

SURVEY

**FACTORS THAT AFFECT ON SHOPPING
CENTERS SELECTION**

$$Y = SS_0 + SS_1X_1 + SS_2X_2 + SS_3X_3 + SS_4X_4 + SS_5X_5 + SS_6X_6 + SS_7X_7 + SS_8X_8 + SS_9X_9$$

THERE ARE:

- Y-your favorite shopping center
- X1-age
- X2-location
- X3-raiting
- X4-number of boutiques
- X5-advice from friends
- X6-design
- X7-game library
- X8-area
- X9-price

REGRESSION

•	Source	SS	df	MS	Number of obs =	51
•	-----+-----				F(3, 47) =	1.23
•	Model	7.26303807	3	2.42101269	Prob > F =	0.3089
•	Residual	92.4232364	47	1.96645184	R-squared =	0.0729
•	-----+-----				Adj R-squared =	0.0137
•	Total	99.6862745	50	1.99372549	Root MSE =	1.4023

Y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
-----+-----						
X2	0.2046206	0.2961503	-0.69	0.493	-.8003982	.391157
X5	0.1337833	0.1293437	-1.03	0.306	-.3939893	.1264227
X8	0.2717567	0.1853627	-1.47	0.149	-.6446583	.1011449
_cons	4.694907	1.465329	3.20	0.002	1.747045	7.642769

$$Y = 4.694907 + 0.204 * X_2 + 0,133 * X_5 + 0,271 * X_8$$

When all the independent variables are equal to zero, the intercept of the model is 4.694907

When I increase in X_2 and hold second independent constant, satisfaction rate will increase by 0.2046206

When I increase in X_5 and hold another independent constant, dependent variable will increase by 0,1337833

When I increase in X_6 and hold second independent constant, satisfaction rate will increase by 0,2717567.

T-TEST

a) $H_0: \beta_2 = 0$ no linear relationship

$H_1: \beta_2 \neq 0$ linear relationship does exist between x and y

$$t = (\beta_2 - 0) / \text{se}(\beta_2) = 0.2046206 / 0.2961503 = 0.69$$

$$T = (0, 0.025, 3) = 3, 182$$

$t < T$, therefore we fail reject at 5% significance level and conclude that β_2 is statistically insignificant at 10% level

T-TEST

b) $H_0: \beta_5=0$ no linear relationship

$H_1: \beta_3 \neq 0$ linear relationship does exist between x_j and y

$$t = | 0.1337833 / 0.1293437 = 1,0343$$

$$T(0,025,2)=3,182$$

$t < T$, therefore we fail reject at 5% significance level and conclude that β_3 is statistically insignificant at 10% level

T-TEST

c) $H_0: \beta_8=0$ no linear relationship

$H_1: \beta_6 \neq 0$ linear relationship does exist between x and y

$$t = 0.2717567 / 0.1853627 = 1,466088082424$$

$t < T$, therefore we fail reject at 5% significance level and conclude that β_4 is statistically insignificant at 10% level

F-TEST

$H_0: \beta_2 = \beta_5 = \beta_8 = 0$

H_1 : at least one of the β_i is not equal to zero

f-statistics = 1.23

$F(3, 47) = 2.201$

R-SQUARE, R².

The value of R² is 0,01 means that 1% of the variation in satisfaction rate can be explained by the variation of reputation, social life rate, building, feedback, accreditation.

Auto Correlation

- Breusch-Godfrey LM test for autocorrelation

• -----

lags(p)	chi2	df	Prob > chi2
---------	------	----	-------------

• -----+

1	0.142	1	0.7067
---	-------	---	--------

• -----

- H0: no serial correlation

HETROCODECETICITY TEST

- Breusch-Pagan / Cook-Weisberg test for heteroskedasticity
 - Ho: Constant variance
 - Variables: fitted values of Y
- $\text{chi2}(1) = 0.04$
- $\text{Prob} > \text{chi2} = 0.8364$

DURBIN-WATSON TEST

Durbin-Watson d-statistic(4, 51) = 1.857508

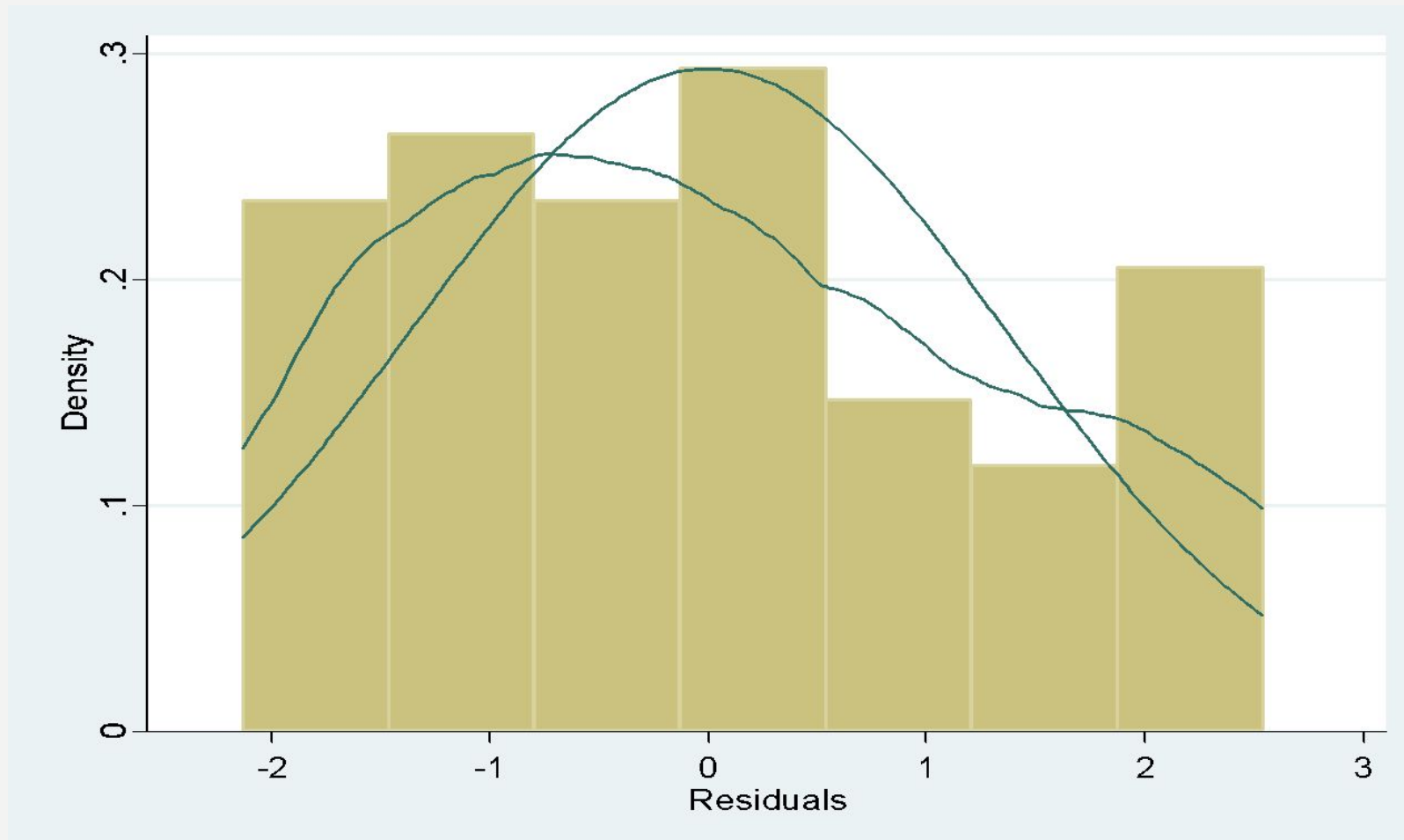
0-----dl(1.206)-----du(1.537)-----4-du(2.463)-----4-dl(2.79)-----4

• P ? Nope ? Negative

• No autocorrelation

Normality test

- Jarque-Bera normality test: 3.129 Chi(2) 0.2092



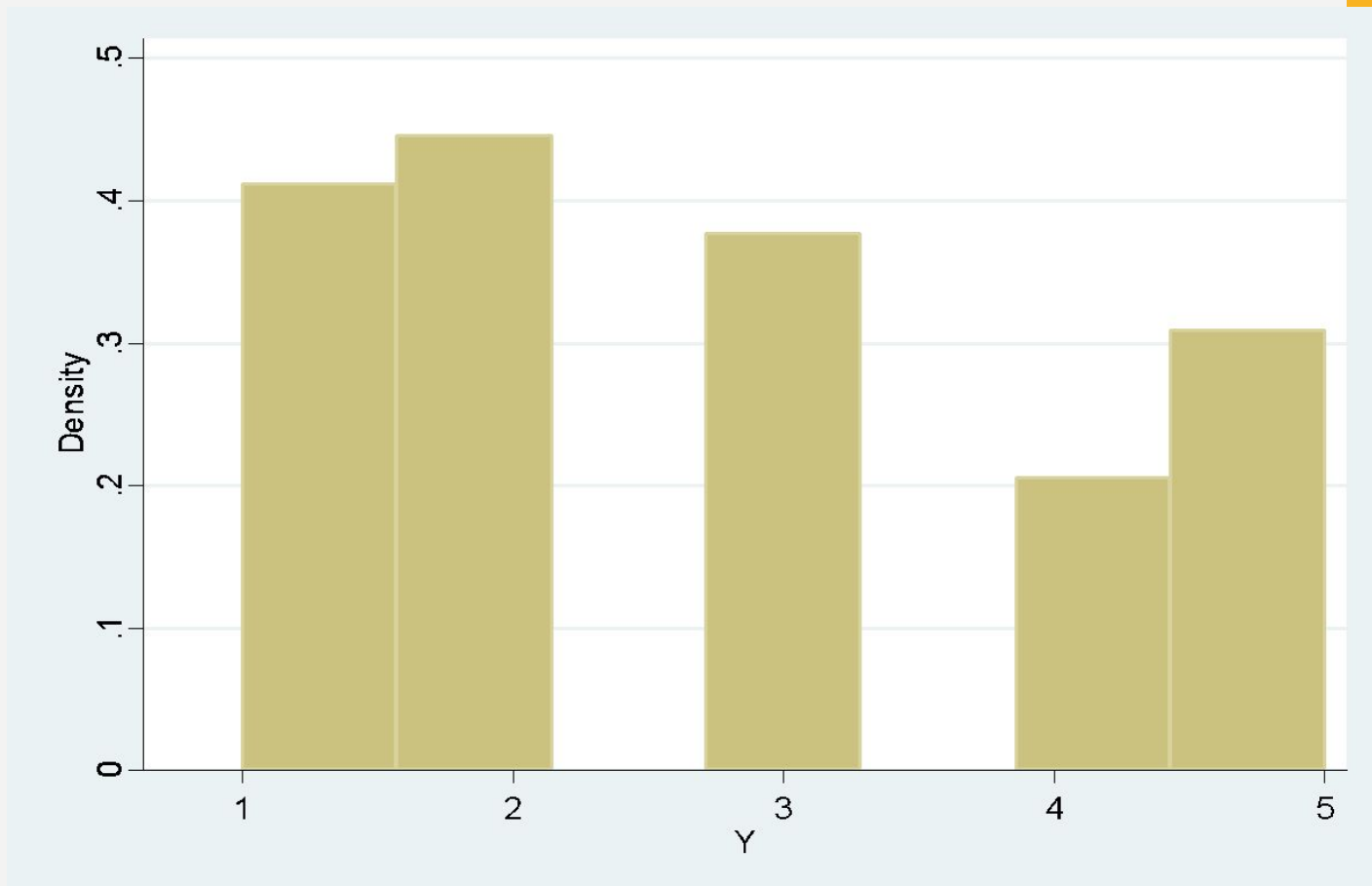
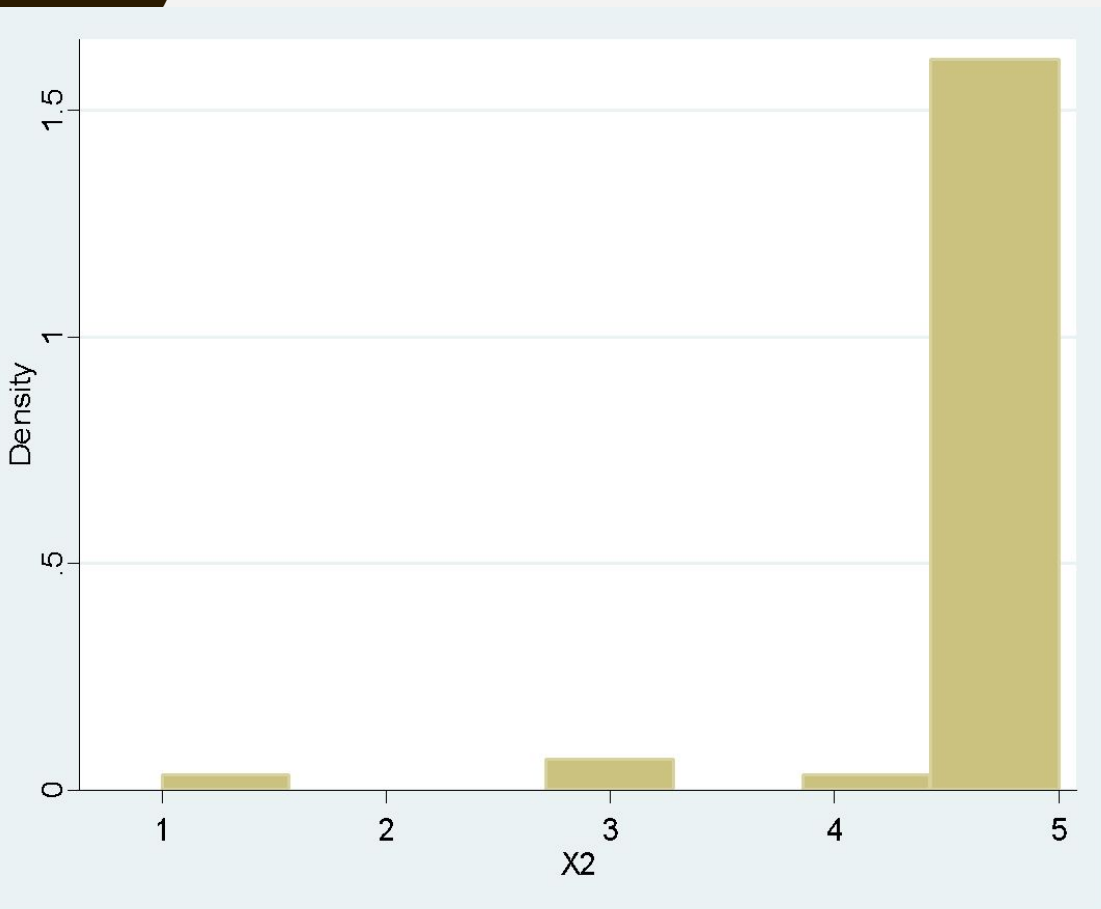
MULTICOLLENARITY TEST

- Variable | VIF I/VIF
- -----+-----
- X5 | 1.07 0.937834
- X2 | 1.04 0.957690
- X8 | 1.02 0.978161
- -----+-----
- Mean VIF | 1.04

RAMSEY TEST

- Ramsey RESET test using powers of the fitted values of Y
- Ho: model has no omitted variables
- $F(3, 44) = 0.01$
- Prob > F = 0.9980

HISTOGRAM



HISTOGRAM

