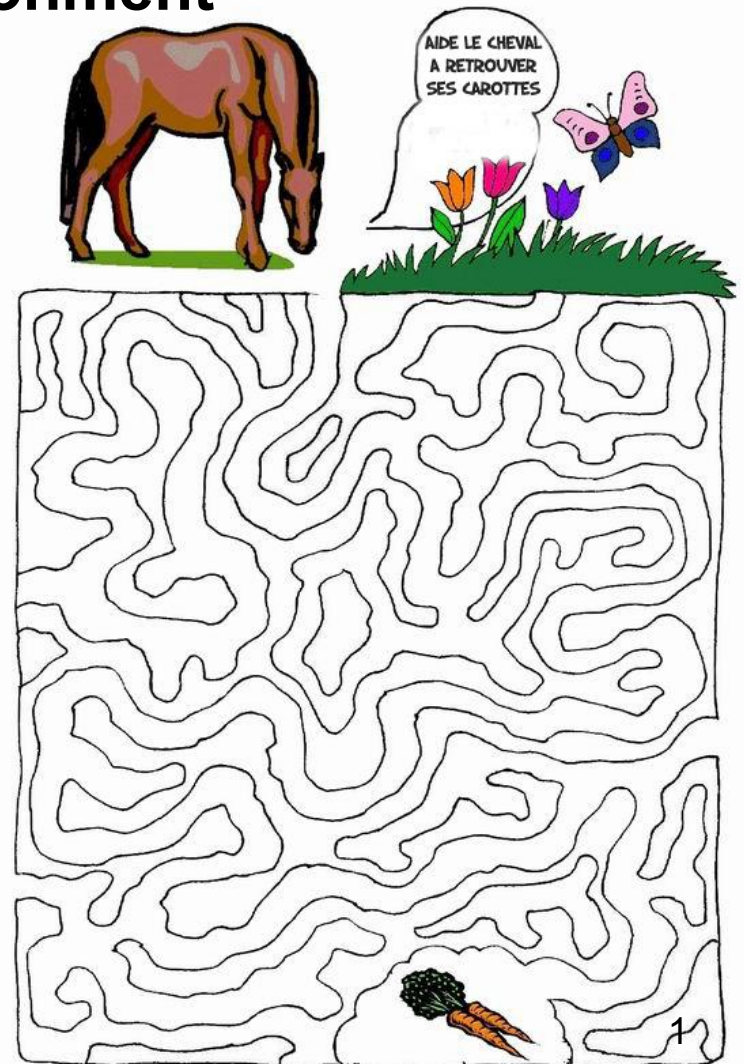


# Decision environment

- Certainty
- Risk
- Uncertainty

*Knowledge degree of a manager*



# How managers can make a decision in certainty environment?

Search for options with the maximum benefit or minimum costs is called the optimization analysis

## 3 optimization methods:

- marginal analysis
- linear programming
- Incremental profit analysis

## How managers can make a decision in risk – and uncertainty environment?



**Unlike short-term decisions, long-term decisions are made under risk and uncertainty**



**I don't know what events will occur and how they will affect the implementation of the desired result**

In conditions of risk and uncertainty typical decision task is quite difficult, because there are many possible outcomes

**Solutions matrix**

( *Payment matrix* )

Necessary  
systematization

I wonder, what is it?



**An example of solutions matrix**

Goals	The state of the external environment			
	N1	N2	N3	N4
S1	6	6	6	4
S2	25	7	7	8
S3	10	20	7	9

Alternative strategies

*Return: Profit,  
production volume*

*The state of the economy: growth,  
stability, recession, depression*

### This tool:

**Formalizes the process of decision-making**

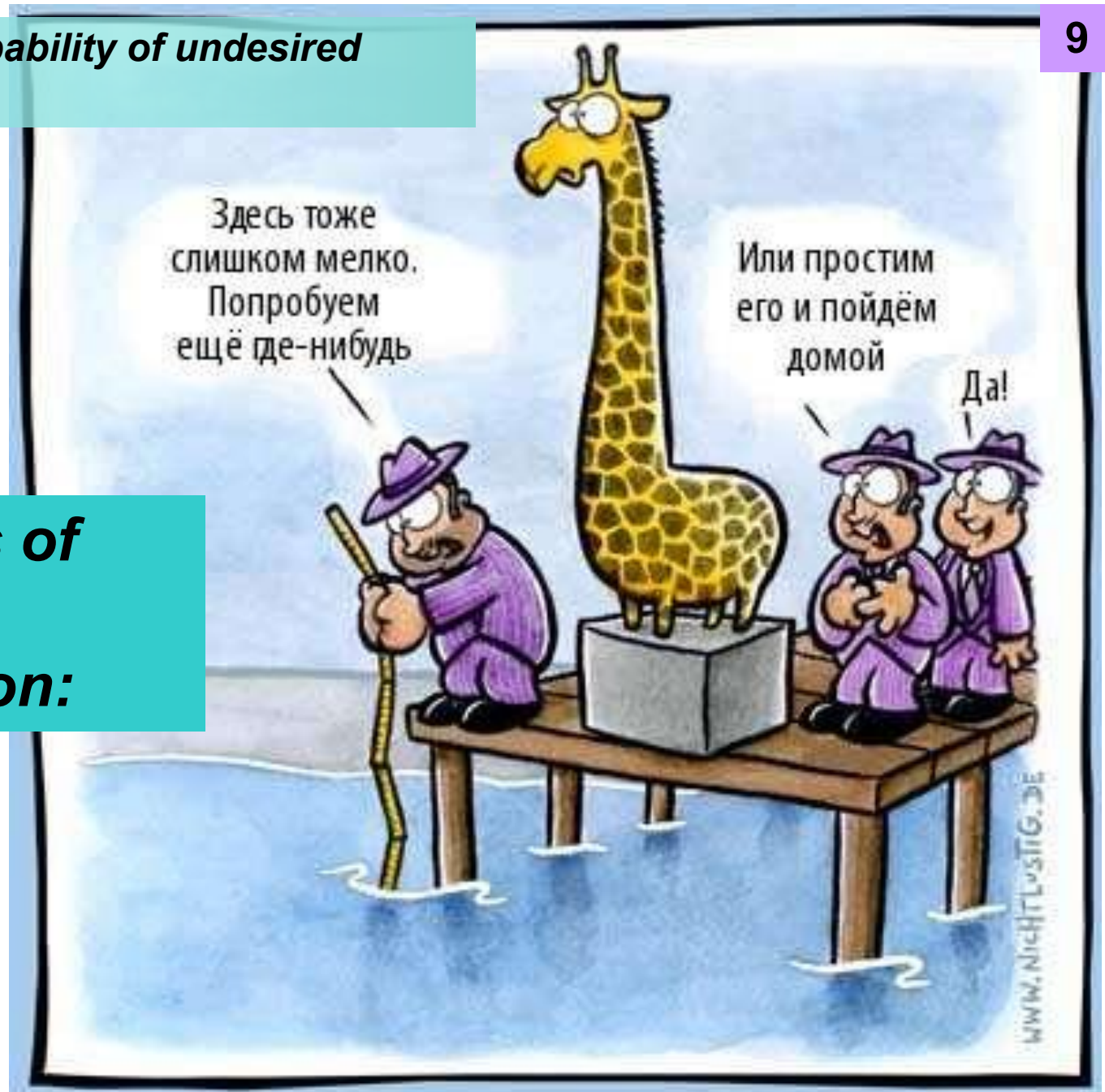
**Provides a summary of return for different purposes  
and state of environment**



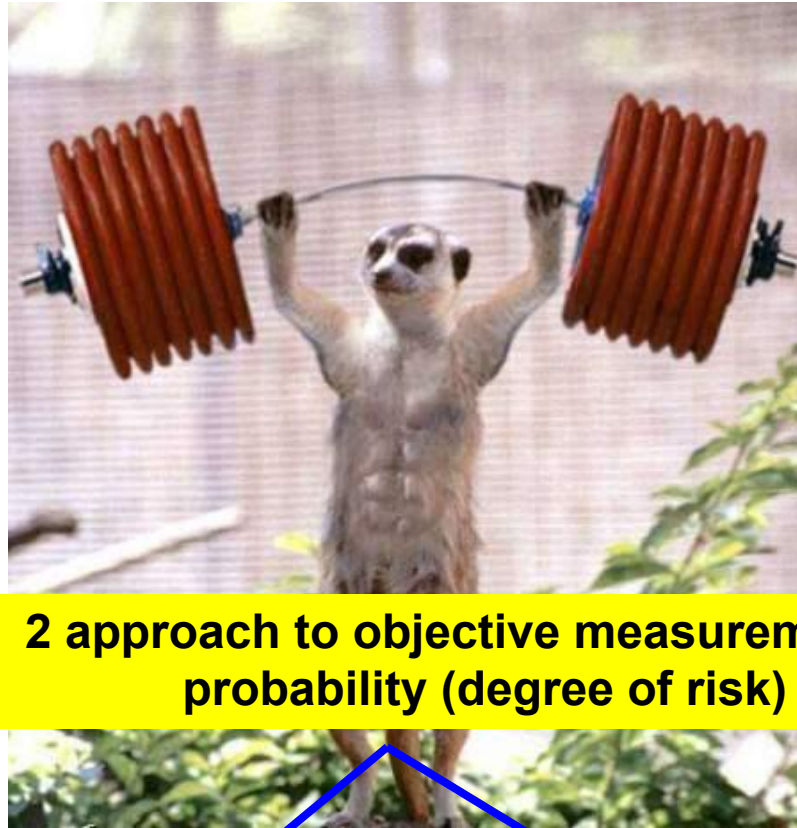
**Decision-making in terms of risk**

*(Risk – probability of undesired occurrence)*

**Methods of risk evaluation:**







**2 approach to objective measurement of probability (degree of risk)**

**A priori**  
**(deductive method)**

**Aposteriori (statistical**  
**analysis of empirical data)**

# A priori (deductive method)

No experiment and analysis of past experience

characteristics of possible cases  
are known in advance

*Ex:*



# Aposteriori (statistical analysis of empirical data)

12

*past experience will continue in the future*

**Watch the frequency of occurrence of the event**

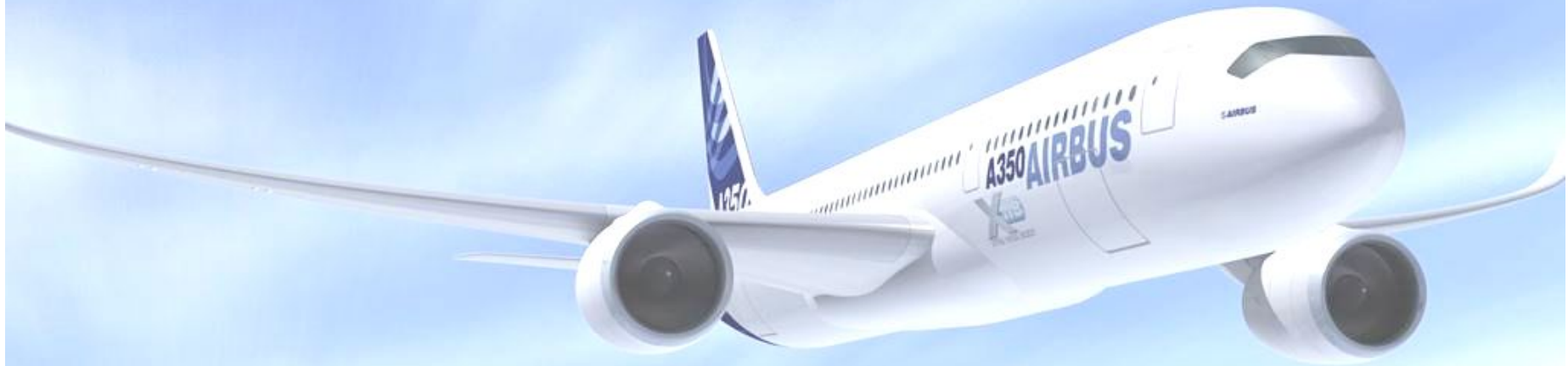
**Understand the frequency distribution for the total number of observations**

**Predict the probability distribution**



## Frequency distribution can be converted into a probability distribution

*If a certain load factor appeared 20 times for 50 flights, we can say that the probability of this factor during the next flight  $20/50 = 40$*



Determine and minimize the risks inherent to a particular project

One of the methods: the calculation of the probability distribution of possible outcomes, then the calculation of expected value



## Expected value



$$E(X) = P_1X_1 + P_2X_2 + \dots + P_nX_n = \sum_{i=1}^n P_iX_i$$

$X_i$  - Value of  $i$  outcome

$P_i$  - Probability of  $i$  outcome

The expected value of the strategy is the weighted average cost, which uses the probability of return as weights

**Manager choose strategy with the highest expected value**



Decision matrix					Expected value E(S)
Alternative strategies	The state of the external environment				
	N1 P=0,20	N2 P=0,65	N3 P=0,10	N4 P=0,05	
S1	6	6	6	4	5,90
S2	25	7	7	-15	9,50
S3	20	20	7	-1	17,65
S4	19	16	9	-2	15,00
S5	20	15	15	-3	15,10
Optimum strategy					



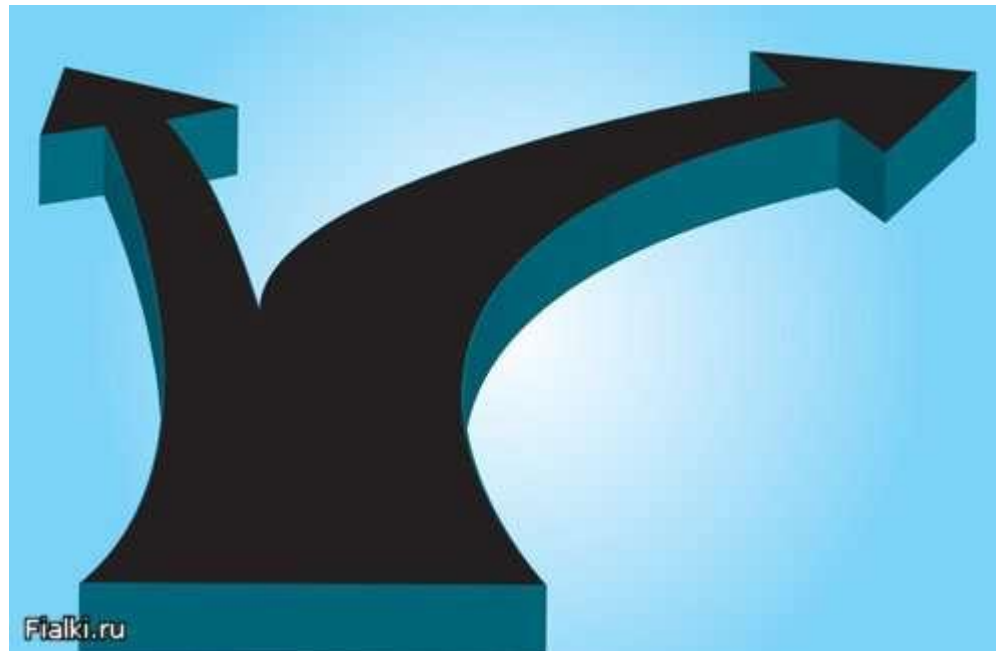
Suppose that expected value of alternatives strategies are equal

Decision matrix			
Alternative strategies	The state of the external environment		
	N1 P=0,25	N2 P=0,50	N3 P=0,25
S1	20	10	20
S2	40	10	0
S3	10	10	10

How can we choose between S1 and S2?

## **New criteria – degree of risk**

**May be determined as deviation scope of probable outcome from expected value**



<b>Decision matrix</b>				
<b>Alternative strategies</b>	<b>The state of the external environment</b>			
	<b>N1</b> P=0,25	<b>N2</b> P=0,50	<b>N3</b> P=0,25	<b>Expected value E(S)</b>
<b>S1</b>	20	10	20	15
<b>S2</b>	40	10	0	15

**By intuition we feel that the further away from the average value will be the actual outcome, the riskier the project will be**



**One way of calculating risk - calculation of swing (amplitude)**

swing (amplitude)

- the difference between the extreme values of probable outcomes

Decision matrix				
Alternative strategies	The state of the external environment			
	N1 P=0,25	N2 P=0,50	N3 P=0,25	Предполагаемая стоимость E(S)
S1	20	10	20	15
S2	40	10	0	15

*Swing for S1 – 10, for S2 – 40.*

root-mean-square deviation

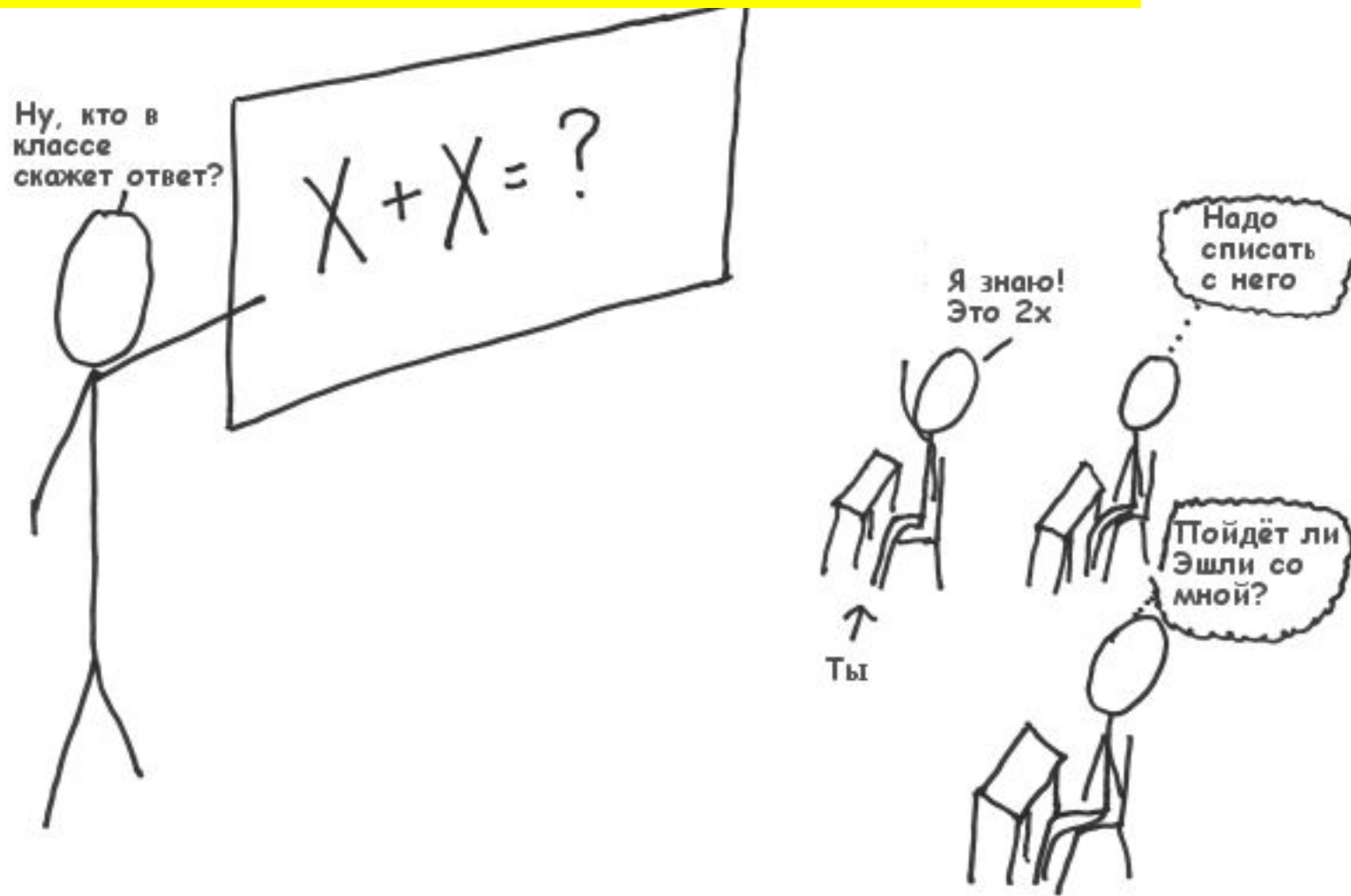
$\sigma$



*The higher root-mean-square deviation - the higher risk*

Пойдёмте обратно в наш класс алгебры...

### Calculation of the root-mean-square deviation:



## Вычисление среднего квадратичного отклонения

Таблица 4.4

Вычисление среднего квадратичного отклонения

Стратегия	$(X_i - \mu)$	$(X_i - \mu)^2$	$P_i$	$(X_i - \mu)^2 P_i$	
$S_1$	5	25	0,25	6,25	
	-5	25	0,50	12,50	
	5	25	0,25	6,25	
				$\sigma_1^2 = 25,00$	$\sigma_1 = 5$
$S_2$	25	625	0,25	156,25	
	-5	25	0,50	12,50	
	-15	225	0,25	56,25	
				$\sigma_2^2 = 225,00$	$\sigma_2 = 15$

**S2 is 3 times more risky than S1**