Getting More Physical in GALLOF DUTY BLACK OPS

Dimitar Lazarov

Lead Graphics Engineer, Treyarch

Black Ops: shading model

- Diffuse response
 - Direct: analytical lights
 - Indirect: lightmaps, light probes
 - Lambertian BRDF
- Specular response
 - Direct: analytical lights
 - Indirect: environment maps
 - Microfacet BRDF

Black Ops: Microfacet BRDF

• Based on Cook-Torrance:



* pl = point light

Black Ops: normal distribution function

• Blinn-Phong:

$$D_{pl}(h) = \frac{\alpha + 2}{8} (n \cdot h)^{\alpha}$$

 $\alpha = 8192^{g}$

α: specular power

g: gloss

- Energy conserving
- Physically plausible stretchy highlights
- Cheaper replacement for Beckmann NDF (with parameter conversion)

Black Ops: reflectance function

• Schlick-Fresnel:

$F(l,h) = rf_0 + (1 - rf_0)(1 - h \cdot l)^5$

rf_o: base reflectance (specular color)

Black Ops: visibility function

• Schlick-Smith:

$$k = \frac{2}{\sqrt{\pi(\alpha + 2)}}$$
$$V(l, v, h) = \frac{1}{((n \cdot l)(1 - k) + k)((n \cdot v)(1 - k) + k)}$$

- Compared favorably to:
 - No visibility V(l, v, h) = 1
 - Cook-Torrance and Kelemen/Szirmay-Kalos (no gloss/roughness consideration)

Black Ops: environment map normalization

Method to "fit" the environment map's reflection to varying lighting conditions





Black Ops: normalization algorithm

Offline:

```
env_sh9 = capture_sh9(env_pos);
env_average_irradiance = env_sh9[0];
for_each (texel in environment map)
  texel /= env_average_irradiance;
```

Pixel Shader:

```
env color = sample(env map) * pixel average irradiance;
```

Black Ops: environment map pre-filtering

- Offline, CubeMapGen
 - Angular Gaussian filter
 - Edge fixup
- Pixel shader selects mip as a linear function of gloss:

texCUBElod(uv, float4(R, nMips - gloss * nMips));



Black Ops: environment map "Fresnel"

- More than just Fresnel, included shadowing-masking factor
- Early attempt at deriving an "Environment BRDF"

 $F(l,v) = rf_0 + (1 - rf_0) \frac{(1 - n \cdot v)^5}{4 - 3g}$

Getting More Physical in Call of Duty: Black Ops II

- Direct Specular
 - Very happy with the look
 - Focused on performance improvements (details in the course notes)
- Indirect Specular
 - Various deficiencies in the Black Ops methods
 - The major focus of improvements

Environment map normalization: problem

• Average irradiance: poor choice for normalization



Environment map normalization: new idea

- Normalize with irradiance
 - Can't bake normalization offline
 - Pass environment map's directional irradiance to run-time (used tinted scalar 3rd-order Spherical Harmonics)



Improved normalization algorithm

Offline:

```
env_sh9 = capture_sh9(env_pos);
```

Vertex Shader:

```
env_irradiance = eval_sh(env_sh9, vertex_normal);
Pixel Shader:
```

env_color = sample(env_map)/env_irradiance * pixel_irradiance;

Environment map normalization: old method



Environment map normalization: new method



Improved environment map pre-filtering

- Customized CubeMapGen with cosine power filter
 - Concurrent work with Sébastien Lagarde
- Each mip level filtered with matching gloss / specular power
- Top mip "resolution" tied to max specular power
 - Dropped environment map resolution from 256x256 to 128x128
- Blinn-Phong to Phong specular power conversion:

$$\alpha_{\rm phong} = \alpha_{\rm blinn-phong} / 4$$

Environment map pre-filtering: old method



Environment map pre-filtering: new method



Environment lighting: ground truth

• Environment lighting integral

$$\int Env(l)BRDF_{env}(l,v,h)\cos(\omega)d\omega$$

$$D_{env}(h)F(l,h)V(l,v,h)$$

$$D_{env}(h) = \frac{\alpha + 2}{8\pi} (n \cdot h)^{\alpha}$$

Environment lighting: split approximation

Split the integral: easier to calculate the parts separately

$$\left(4\int Env(l)D_{env}(h)\cos(\omega)d\omega\right)\int BRDF_{env}(l,v,h)\cos(\omega)d\omega$$

Environment map filtering

Approximate with mip map pre-filtering

(also referred to as "Ambient BRDF") Approximate with cheap analytical
expressions

Environment BRDF

Environment BRDF: reflectance interpolation

• From the Fresnel formulation:

$$F(l,h) = rf_0 + (1 - rf_0)(1 - h \cdot l)^5$$

$$BRDF_{env} \cos(\omega)d\omega = rf_0 \int D_{env}V \cos(\omega)d\omega + (1 - rf_0) \int D_{env}V(1 - h \cdot l)^5 \cos(\omega)d\omega$$

$$rf_0 = 1$$

$$rf_0 = 0$$

Numerical integration in Mathematica

- Plotted two sets of ground-truth curves for $rf_0 = 0$ and $rf_0 = 1$
- Each set contained curves for gloss values 0.0, 0.2, 0.4, 0.6, 0.8 and 1.0



Approximate curves: accurate



* HLSL expressions in the course notes

Approximate curves: cheaper



* HLSL expressions in the course notes

Focus on $rf_0 = 0.04$

- Needed faster approximations
- We had a special-case "simple" material (dielectric only) with a hardcoded specular color of 0.04
- Most of our environment specular problems revolved around dielectrics
- Metals looked good even with the cheapest approximations:

```
float a1vf(float g)
{
    return 0.25 * g + 0.75;
}
```

Approximate curves: $rf_0 = 0.04$

float a004(float g, float NoV)

```
float t = min(0.475 * g, exp2(-9.28 * NoV));
return (t + 0.0275) * g + 0.015;
```



g = 0.0, 0.5, 1.0

Final approximation

```
float a0r(float q, float NoV)
   return (a004(g, NoV) - a1vf(g) * 0.04) / 0.96;
float3 EnvironmentBRDF(float q, float NoV, float3 rf0)
   float4 t = float4(1/0.96, 0.475, (0.0275 - 0.25*0.04)/0.96, 0.25);
   t * = float4(q, q, g, q);
   t += float4(0, 0, (0.015 - 0.75*0.04)/0.96, 0.75);
   float a0 = t.x * min(t.y, exp2(-9.28 * NoV)) + t.z;
   float a1 = t.w;
   return saturate (a0 + rf0 * (a1 - a0));
```

Environment BRDF: old method



Environment BRDF: new method



Acknowledgments

- Naty Hoffman
- Marc Olano
- Jorge Jimenez
- Sébastien Lagarde
- Stephen Hill & Stephen McAuley
- The team at Treyarch

We are hiring

- You can find a list of our open positions at <u>www.activisionblizzard.com/careers</u>. Here is just a sample of what Treyarch currently has available:
- Senior Graphics Engineer
- Senior Concept Artist-Vehicles/Weapons
- Senior Artist-Vehicles/Weapons
- Technical Animator

Bonus slides

Black Ops II: new Fresnel approximation

• Used *Mathematica* to fit candidate curves

$$F_{opt}(l,h) = rf_0 + (1 - rf_0)2^{-10(h \cdot l)}$$



Black Ops II: new visibility function approximation

 Visually matched in game (not an exact fit, but much faster)

$$k = \min(1.0, g + 0.545)$$
$$V_{opt}(v, h) = \frac{1}{k(v \cdot h)^2 + (1 - k)}$$







g = 0.0

g = 0.5

g = 1.0