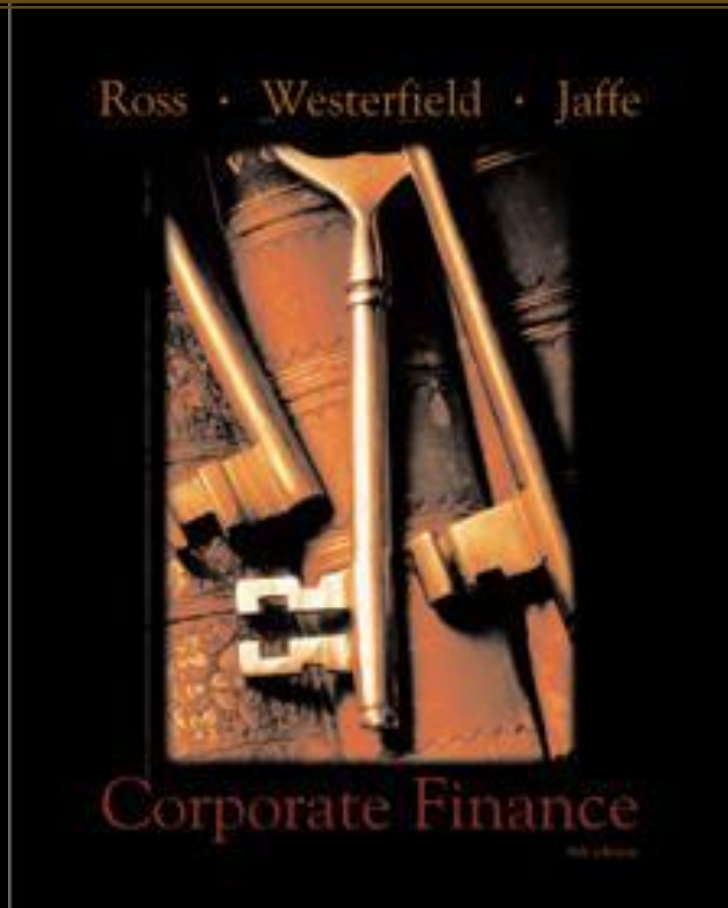


# Strategy and Analysis in Using Net Present Value

# 8

*Seventh Edition*



# Chapter Outline

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8.1 Decision Trees

8.4 Options

# Stewart Pharmaceuticals

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- The Stewart Pharmaceuticals Corporation is considering investing in developing a drug that cures the common cold.
- A corporate planning group, including representatives from production, marketing, and engineering, has recommended that the firm go ahead with the test and development phase.
- This preliminary phase will last one year and cost \$1 billion. Furthermore, the group believes that there is a 60% chance that tests will prove successful.
- If the initial tests are *successful*, Stewart Pharmaceuticals can go ahead with full-scale production. This investment phase will cost \$1.6 billion. Production will occur over the next 4 years.

# Stewart Pharmaceuticals NPV of Full-Scale Production following Successful Test

Investment	Year 1	Years 2-5
Revenues		\$7,000
Variable Costs		(3,000)
Fixed Costs		(1,800)
Depreciation		(400)
Pretax profit		\$1,800
Tax (34%)		(612)
Net Profit		\$1,188
Cash Flow	-\$1,600	\$1,588

$$NPV = -\$1,600 + \sum_{t=1}^4 \frac{\$1,588}{(1.10)^t} = \$3,433.75$$

Note that the *NPV* is calculated as of date 1, the date at which the investment of \$1,600 million is made. Later we bring this number back to date 0.

# Stewart Pharmaceuticals NPV of Full-Scale Production following Unsuccessful Test

Investment	Year 1	Years 2-5
Revenues		\$4,050
Variable Costs		(1,735)
Fixed Costs		(1,800)
Depreciation		(400)
Pretax profit		\$115
Tax (34%)		(39.10)
Net Profit		\$75.90
Cash Flow	-\$1,600	\$475

$$NPV = -\$1,600 + \sum_{t=1}^4 \frac{\$475.90}{(1.10)^t} = -\$91.461$$

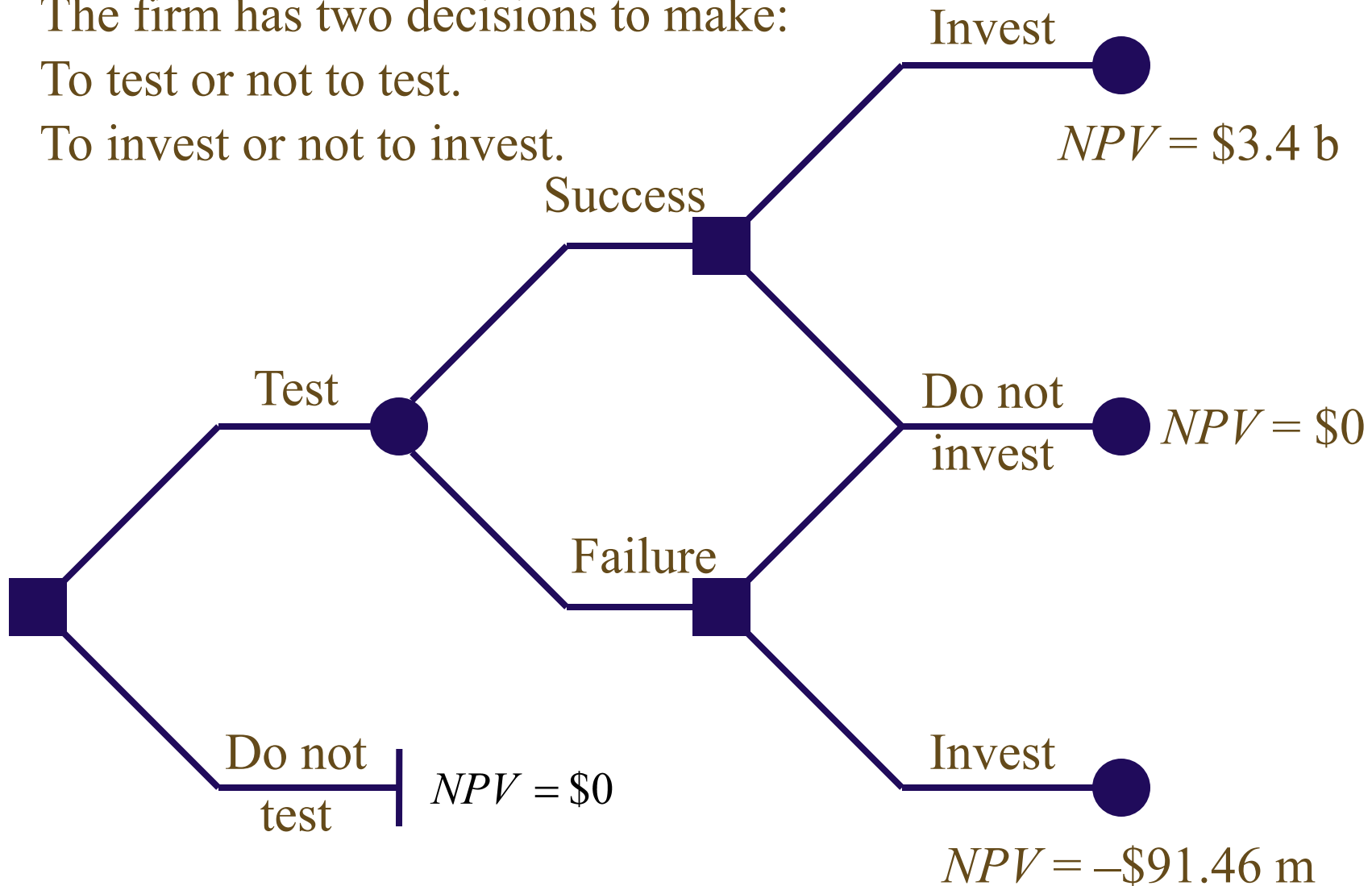
Note that the *NPV* is calculated as of date 1, the date at which the investment of \$1,600 million is made. Later we bring this number back to date 0.

# Decision Tree for Stewart Pharmaceutical

The firm has two decisions to make:

To test or not to test.

To invest or not to invest.



# Stewart Pharmaceutical: Decision to Test

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- Let's move back to the first stage, where the decision boils down to the simple question: should we invest?
- The expected payoff evaluated at date 1 is:

$$\text{Expected payoff} = \left( \text{Prob. success} \times \text{Payoff given success} \right) + \left( \text{Prob. failure} \times \text{Payoff given failure} \right)$$

$$\text{Expected payoff} = (.60 \times \$3,433.75) + (.40 \times \$0) = \$2,060.25$$

- The NPV evaluated at date 0 is:

$$NPV = -\$1,000 + \frac{\$2,060.25}{1.10} = \$872.95$$

So we should test.

## 8.4 Options

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- One of the fundamental insights of modern finance theory is that options have value.
- The phrase “We are out of options” is surely a sign of trouble.
- Because corporations make decisions in a dynamic environment, they have options that should be considered in project valuation.



# Options

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- The Option to Expand
  - Has value if demand turns out to be higher than expected.
- The Option to Abandon
  - Has value if demand turns out to be lower than expected.
- The Option to Delay
  - Has value if the underlying variables are changing with a favorable trend.

# The Option to Expand

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- Imagine a start-up firm, Campusteria, Inc. which plans to open private (for-profit) dining clubs on college campuses.
- The test market will be your campus, and if the concept proves successful, expansion will follow nationwide.
- Nationwide expansion, if it occurs, will occur in year four.
- The start-up cost of the test dining club is only \$30,000 (this covers leaseholder improvements and other expenses for a vacant restaurant near campus).

# Campusteria *pro forma* Income Statement

Investment	Year 0	Years 1-4
Revenues		\$60,000
Variable Costs		(\$42,000)
Fixed Costs		(\$18,000)
Depreciation		(\$7,500)
Pretax profit		(\$7,500)
Tax shield 34%		\$2,550
Net Profit		-\$4,950
Cash Flow	-\$30,000	\$2,550

$$NPV = -\$30,000 + \sum_{t=1}^4 \frac{\$2,550}{(1.10)^t} = -\$21,916.84$$

We plan to sell 25 meal plans at \$200 per month with a 12-month contract.

Variable costs are projected to be \$3,500 per month.

Fixed costs (the lease payment) are projected to be \$1,500 per month.

We can depreciate our capitalized leaseholder improvements.

# The Option to Expand: Valuing a Start-Up

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- Note that while the *Campusteria test site* has a negative NPV, we *are* close to our break-even level of sales.
- *If* we expand, we project opening 20 *Campusterias* in year four.
- *The value of the project is in the option to expand.*
- If we hit it big, we will be in a position to score large.
- We won't know if we don't try.

# Discounted Cash Flows and Options

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- We can calculate the market value of a project as the sum of the NPV of the project without options and the value of the managerial options implicit in the project.

$$M = NPV + Opt$$

- A good example would be comparing the desirability of a specialized machine versus a more versatile machine. If they both cost about the same and last the same amount of time the more versatile machine is more valuable because it comes with options.

# The Option to Abandon: Example

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- Suppose that we are drilling an oil well. The drilling rig costs \$300 today and in one year the well is either a success or a failure.
- The outcomes are equally likely. The discount rate is 10%.
- The *PV* of the successful payoff at time one is \$575.
- The *PV* of the unsuccessful payoff at time one is \$0.

# The Option to Abandon: Example

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Traditional NPV analysis would indicate rejection of the project.

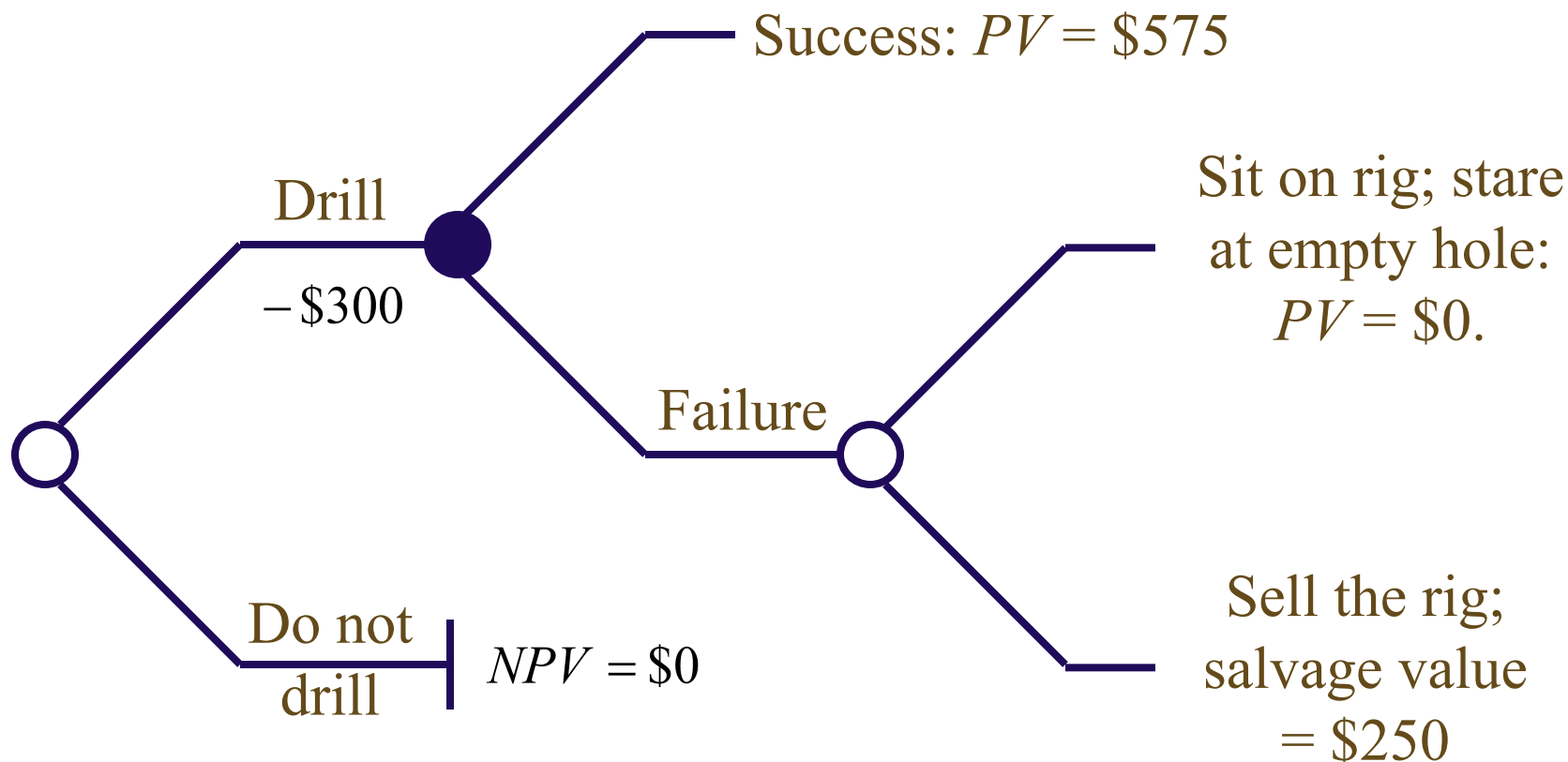
$$\text{Expected Payoff} = \text{Prob. Success} \times \text{Successful Payoff} + \text{Prob. Failure} \times \text{Failure Payoff}$$

$$\text{Expected Payoff} = (0.50 \times \$575) + (0.50 \times \$0) = \$287.50$$

$$NPV = -\$300 + \frac{\$287.50}{1.10} = -\$38.64$$

# The Option to Abandon: Example

Traditional NPV analysis overlooks the option to abandon.



*The firm has two decisions to make: drill or not, abandon or stay.*



# The Option to Abandon: Example

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- When we include the value of the option to abandon, the drilling project should proceed:

$$\text{Expected Payoff} = \text{Prob. Success} \times \text{Successful Payoff} + \text{Prob. Failure} \times \text{Failure Payoff}$$

$$\text{Expected Payoff} = (0.50 \times \$575) + (0.50 \times \$250) = \$412.50$$

$$NPV = -\$300 + \frac{\$412.50}{1.10} = \$75.00$$

# Valuation of the Option to Abandon

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- Recall that we can calculate the market value of a project as the sum of the NPV of the project without options and the value of the managerial options implicit in the project.

$$M = NPV + Opt$$

$$\$75.00 = -\$38.61 + Opt$$

$$\$75.00 + \$38.61 = Opt$$

$$Opt = \$113.64$$

# The Option to Delay: Example

<i>Year</i>	<i>Cost</i>	<i>PV</i>	<i>NPV<sub>t</sub></i>	<i>NPV<sub>0</sub></i>
0	\$ 20,000	\$ 25,000	\$ 5,000	\$ 5,000
1	\$ 18,000	\$ 25,000	\$ 7,000	\$ 6,364
2	\$ 17,100	\$ 25,000	\$ 7,900	\$ 6,529
3	\$ 16,929	\$ 25,000	\$ 8,071	\$ 6,064
4	\$ 16,760	\$ 25,000	\$ 8,240	\$ 5,628

$$\$6,529 = \frac{\$7,900}{(1.10)^2}$$

- Consider the above project, which can be undertaken in any of the next 4 years. The discount rate is 10 percent. The present value of the benefits at the time the project is launched remain constant at \$25,000, but since costs are declining the NPV at the time of launch steadily rises.
- The best time to launch the project is in year 2—this schedule yields the highest NPV when judged today.