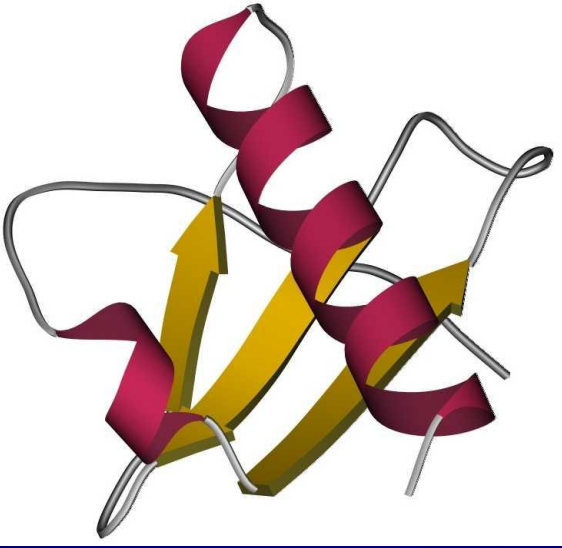


PROTEIN PHYSICS

LECTURE 13-16

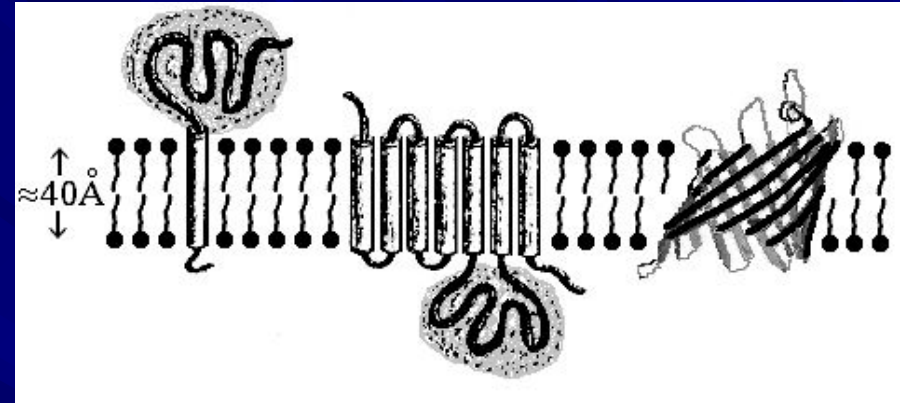
- Structures of water-soluble globular proteins
- Physical selection of protein structures
- Structural classification of proteins

Globular proteins (water-soluble)



Membrane

Fibrous



H-bonds & hydrophobics

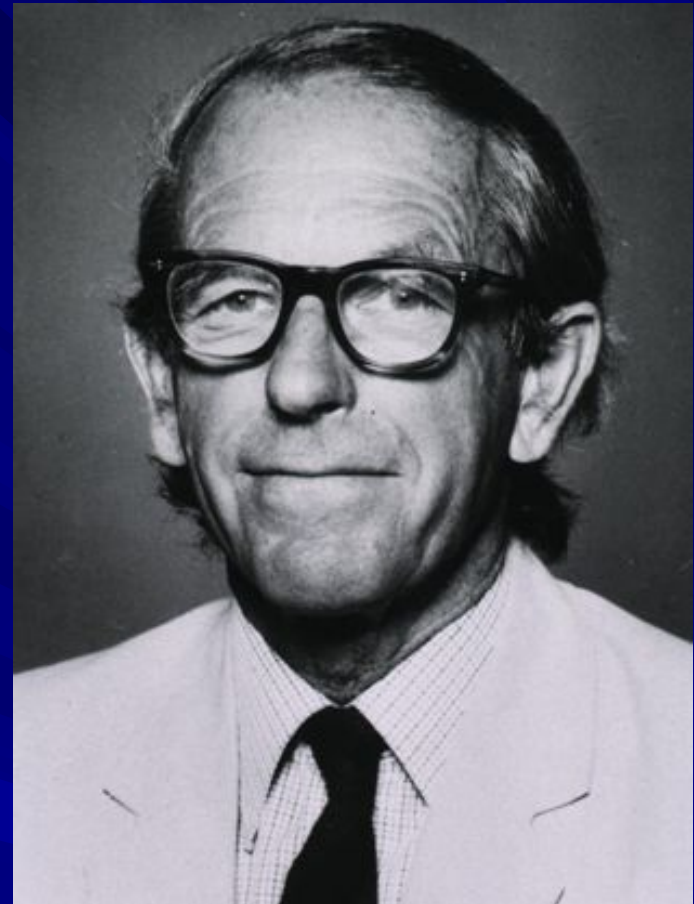
[illegible]

Protein chain

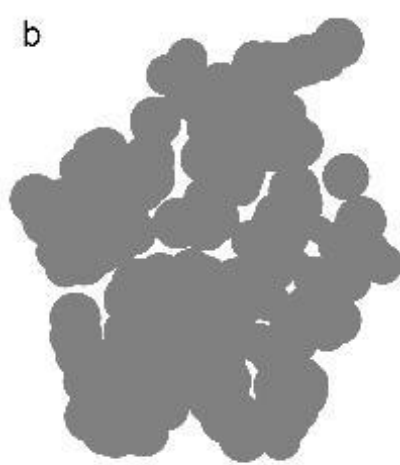
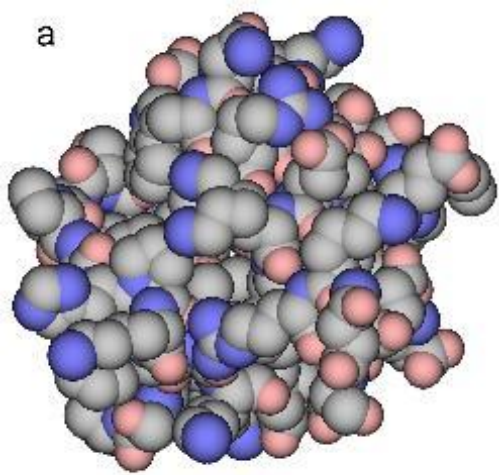


Hermann Emil Louis
Fischer
(1852 –1919)
Nobel Prize 1902

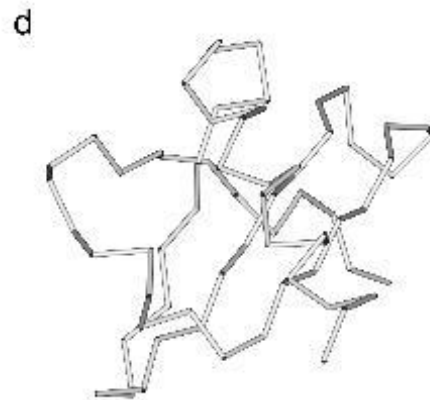
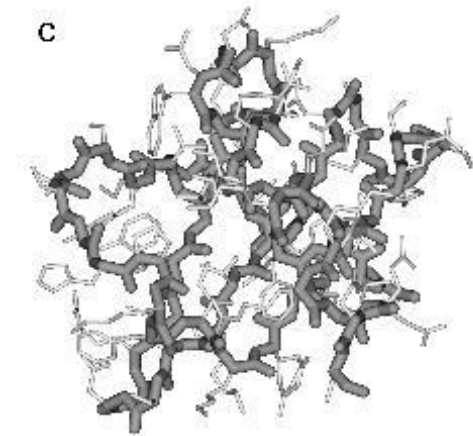
Protein sequence



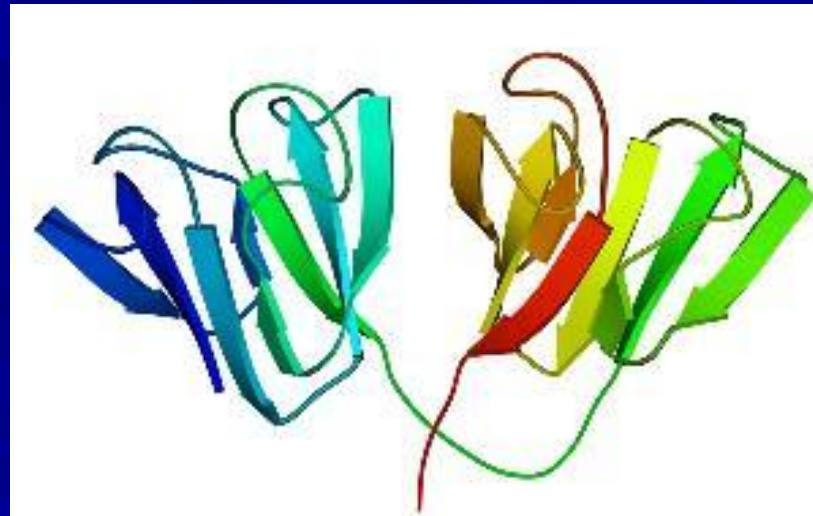
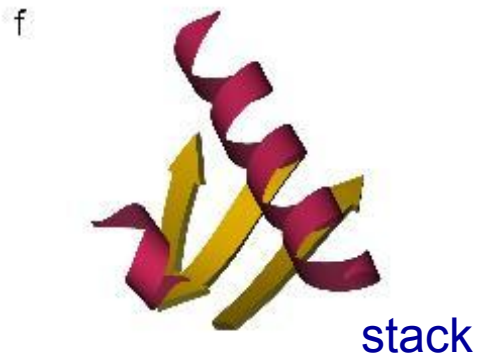
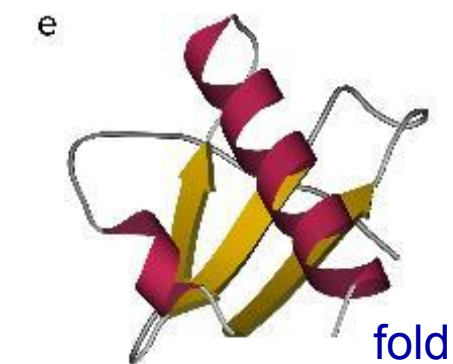
Frederick **Sanger**
(1918 –2013)
Nobel Prizes: 1958, 1980



← **single-domain
globular protein**



domain 1 domain 2



X-RAY

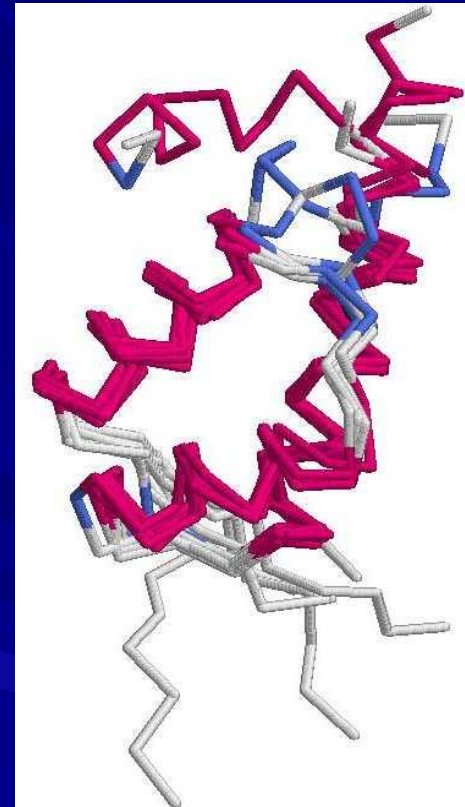
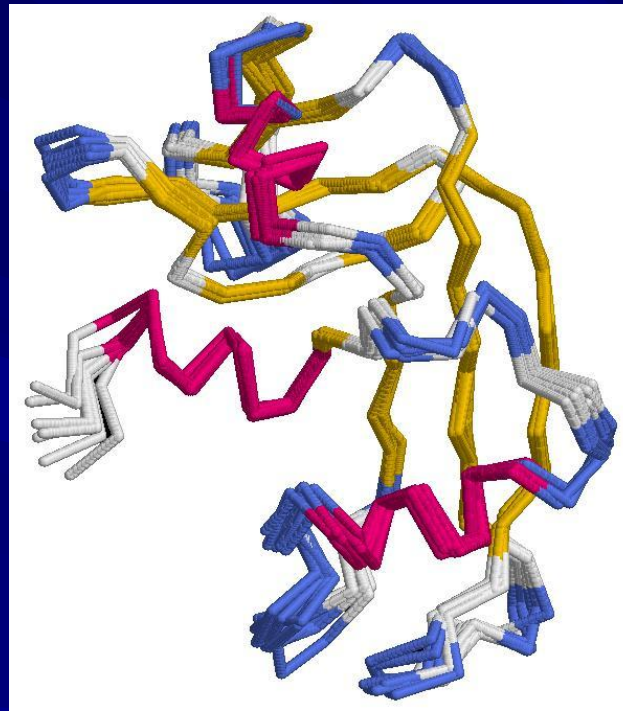
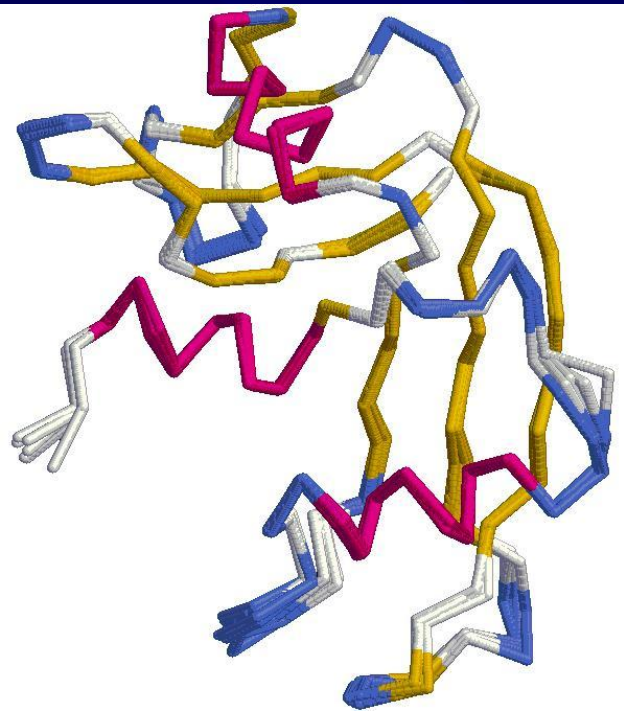
One protein, various crystallizations

NMR

Structures, compatible with one NMR experiment

Homologous

(closely related) proteins



Secondary structures (α -helices, β -strands) are the most rigid and conserved details of proteins; they are determined with the smallest errors and form a basis of protein classification

X-ray 3D protein structure

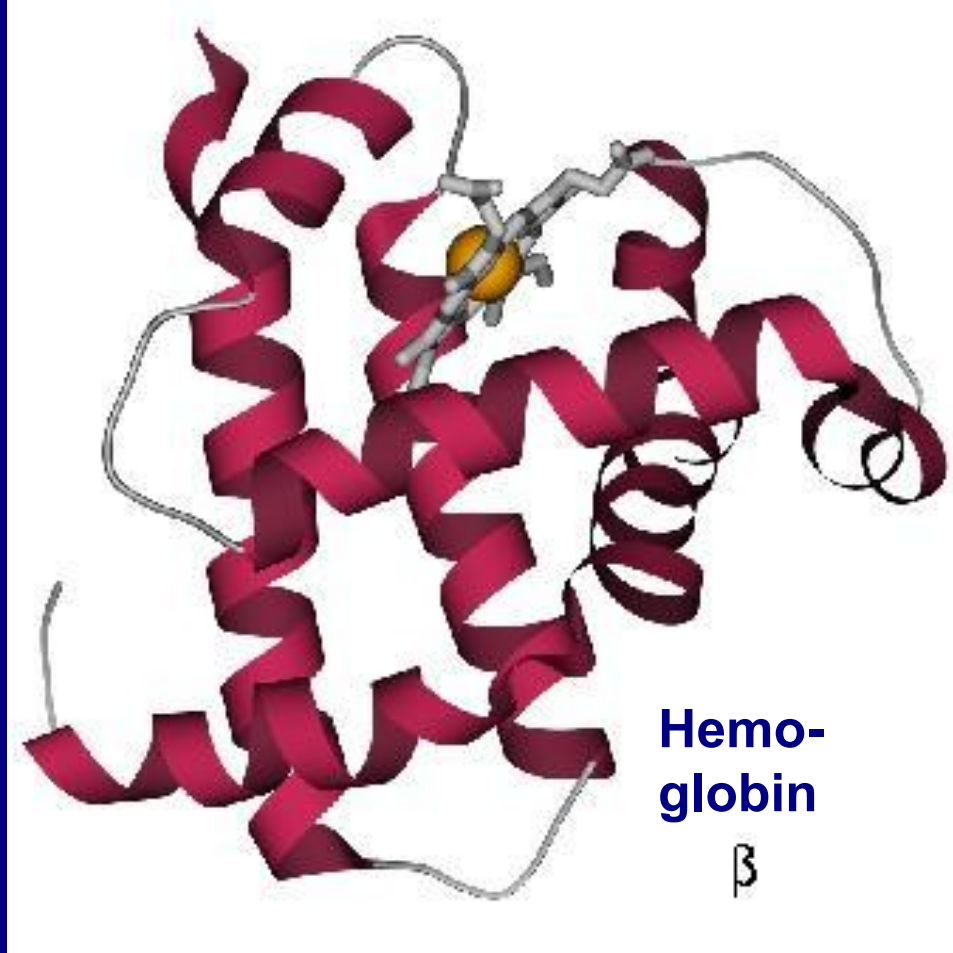
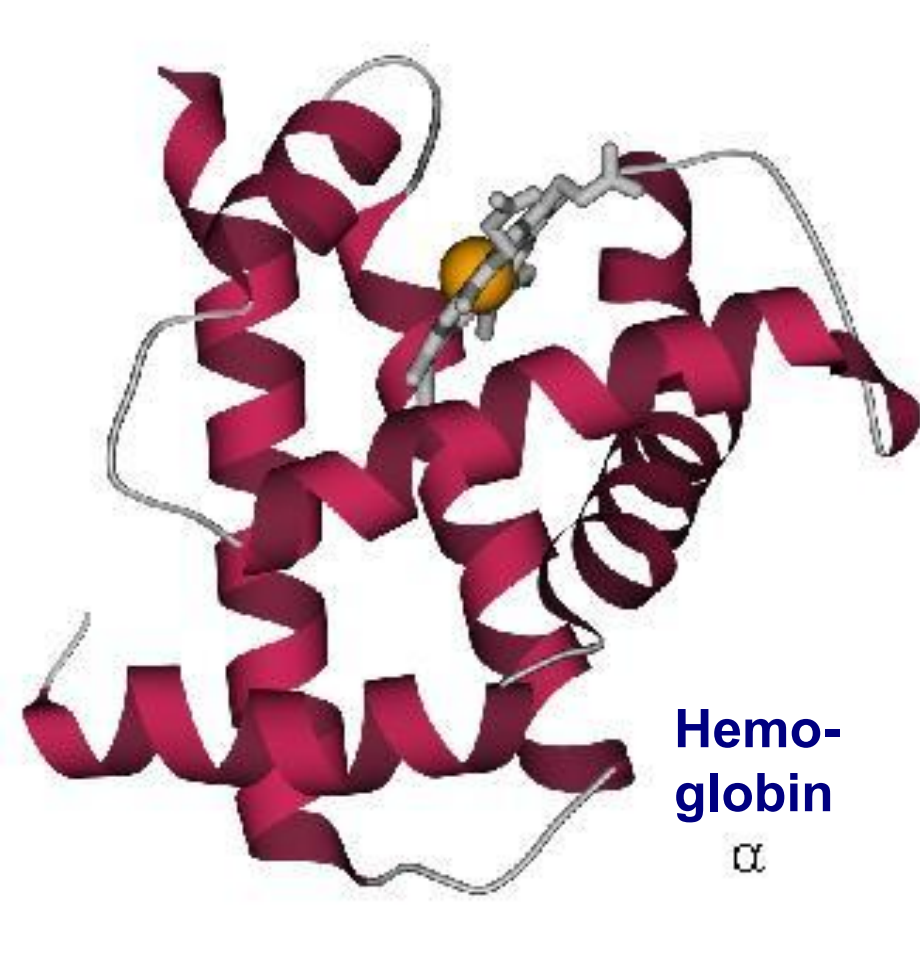


Max Ferdinand **Perutz**
(1914 –2002)
Nobel Prize 1962

NMR 3D protein structure



Kurt **Wüthrich**, 1938
Nobel Prize 2002



Homologous proteins have similar folds.

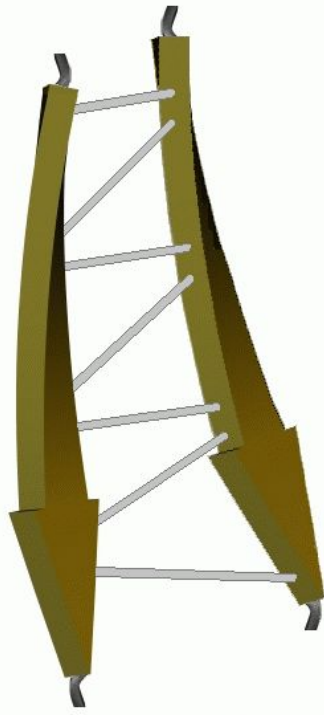
True, but trivial.

NON-trivial:

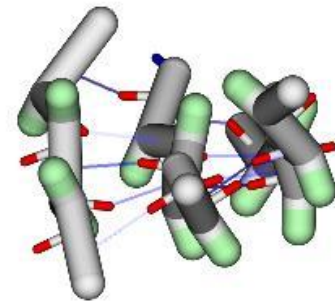
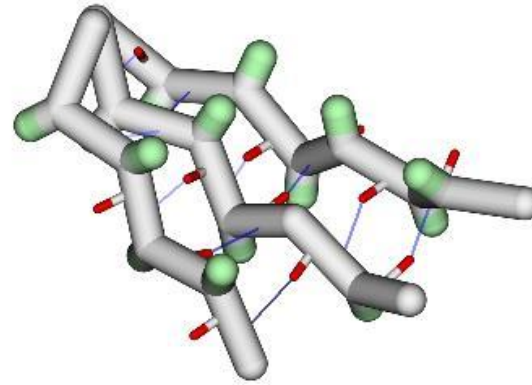
Many NON-homologous proteins have similar folds.



$\beta \uparrow$



$\beta \downarrow$

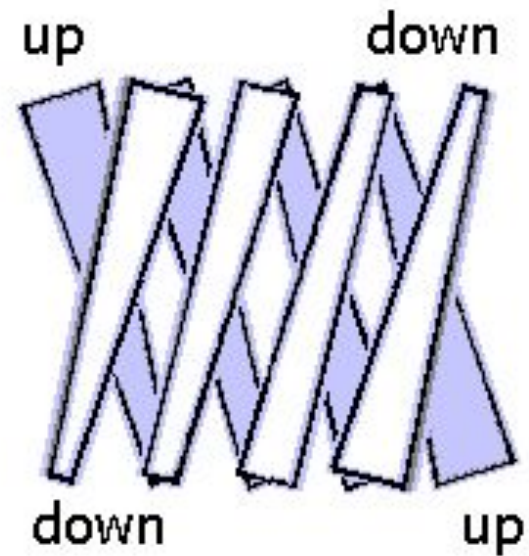
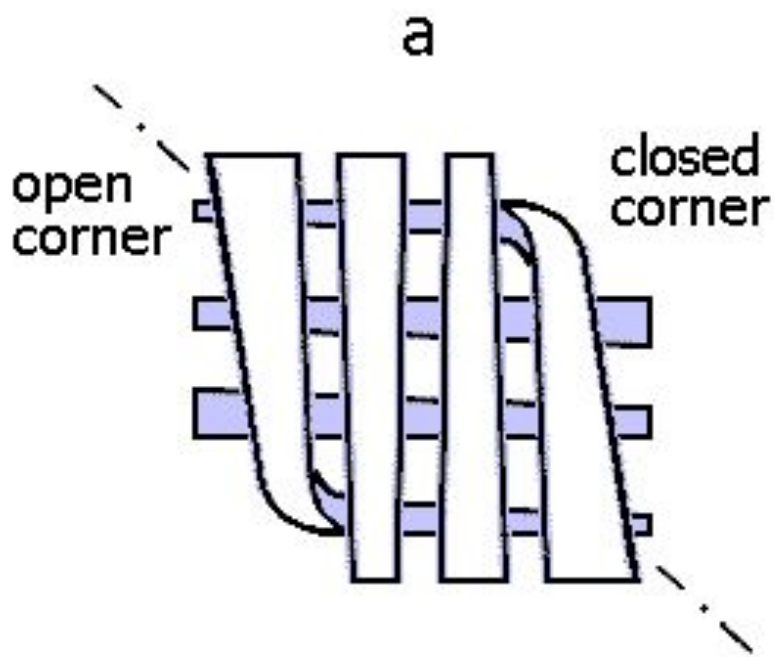


β -sheets: usually, twisted
(usually, right-) $\uparrow$

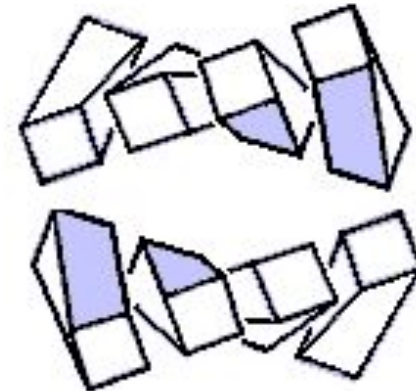
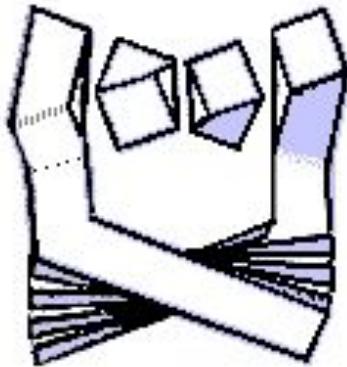
β -proteins

H-bonds: within sheets

Hydrophobics: between sheets



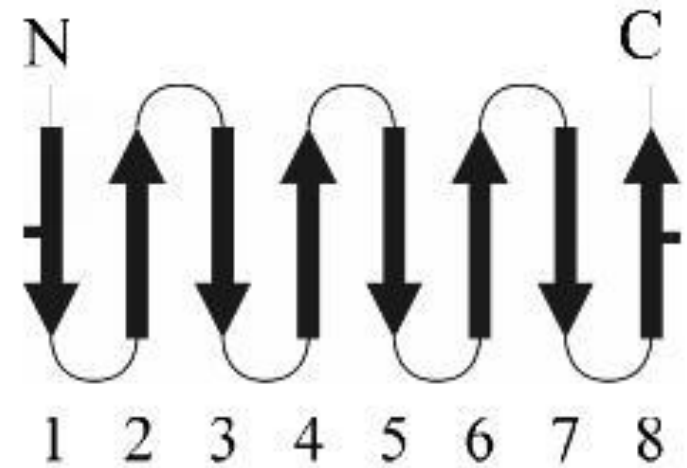
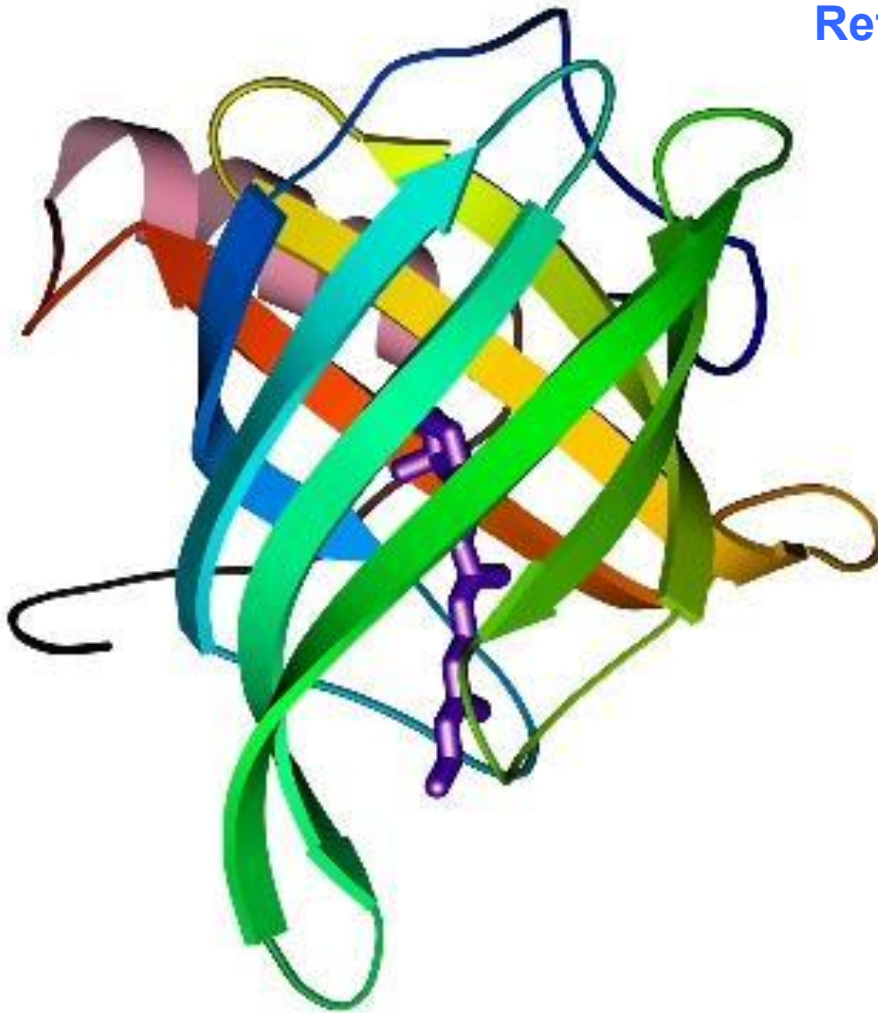
sandwiches
&
cylinders



Orthogonal packing
of β -sheets

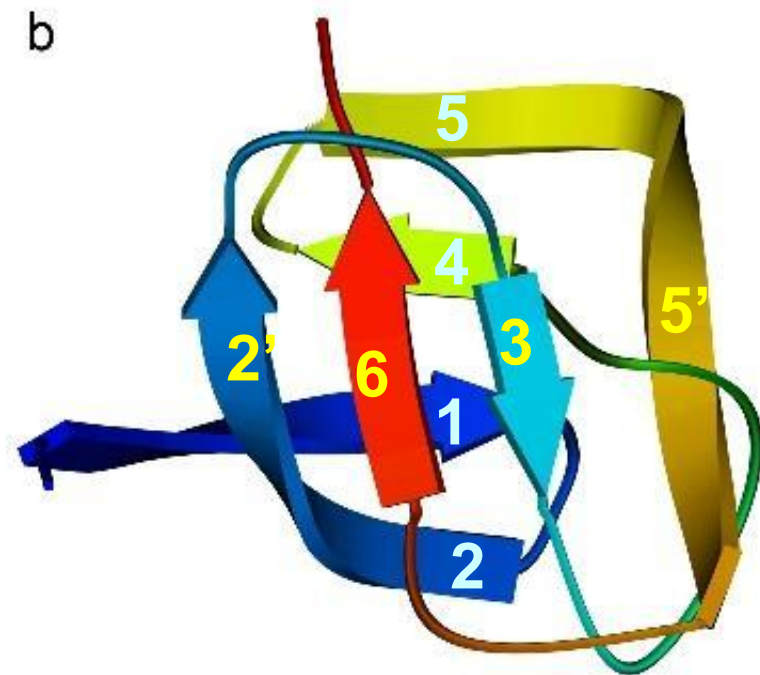
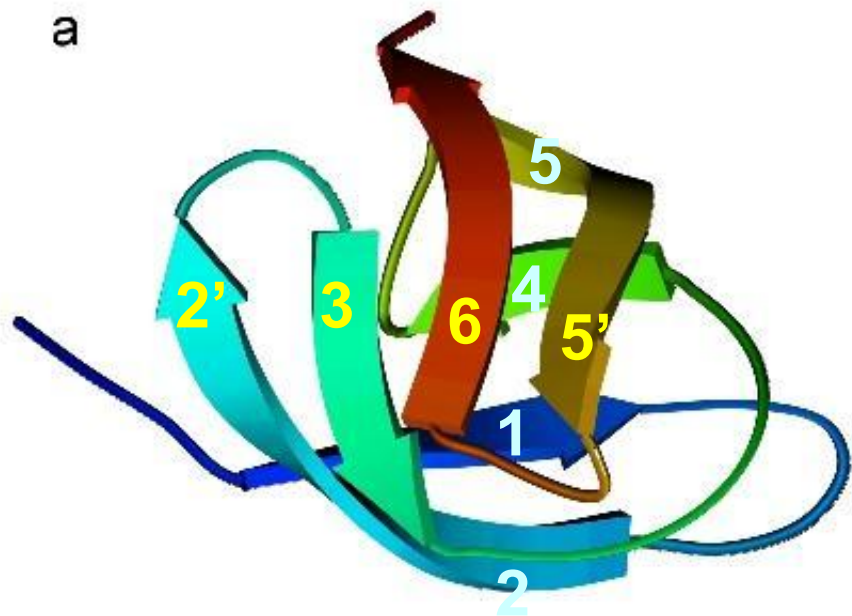
Aligned packing
of β -sheets

Retinol-binding protein



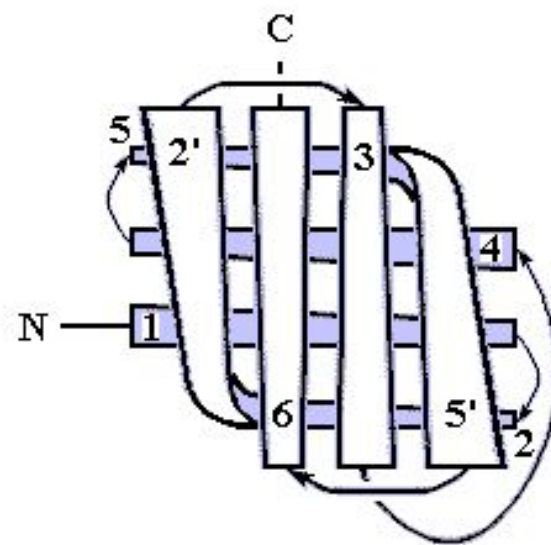
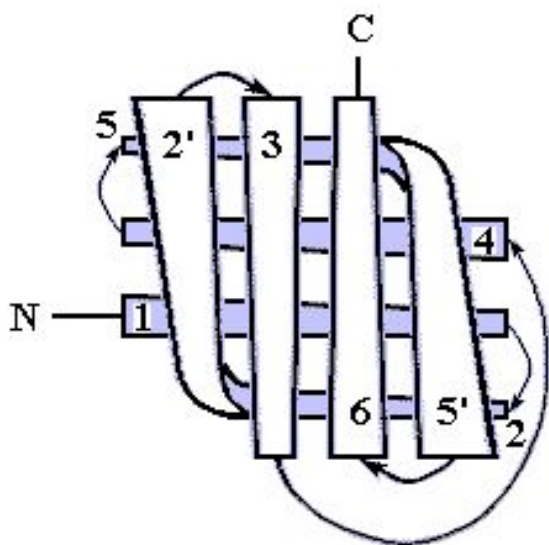
meander

**orthogonal packing
of one rolled
 β -sheet**



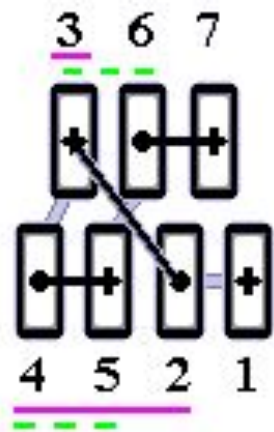
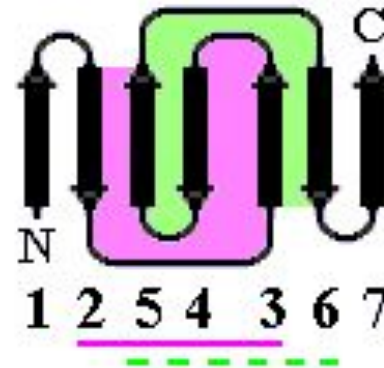
Trypsin-like SER-protease
orthogonal packings of β -sheets

Acid-protease





IG-fold:



Greek key 2::5

Greek key 3::6

non-crossed loops



aligned packing of β -sheets

β -sandwich h

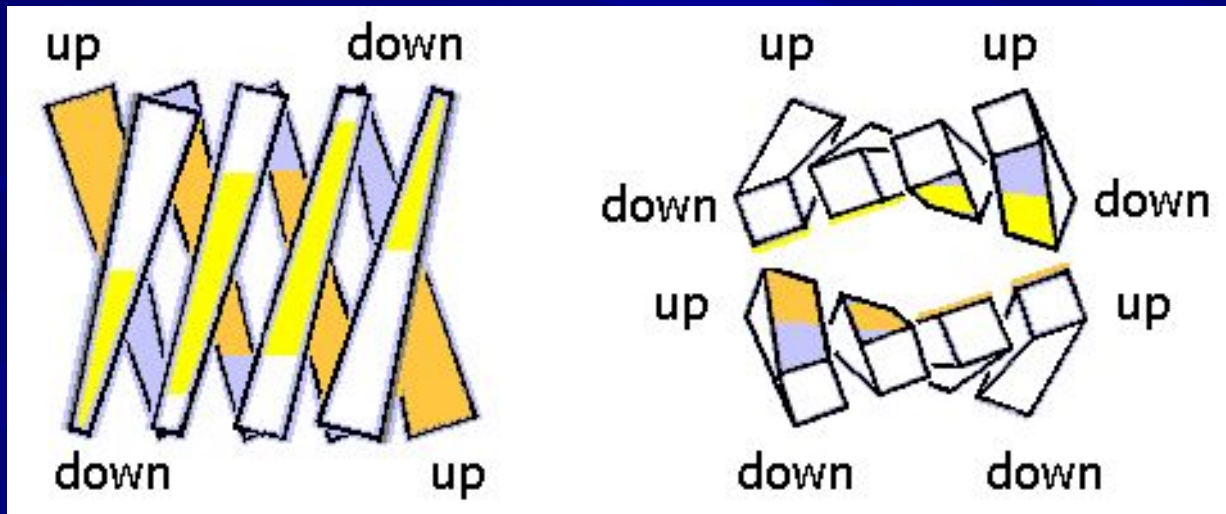
Greek key:
edge of sandwich

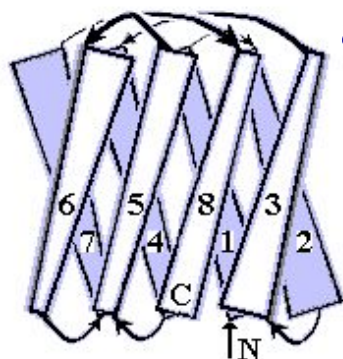
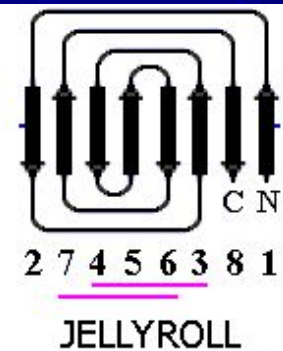
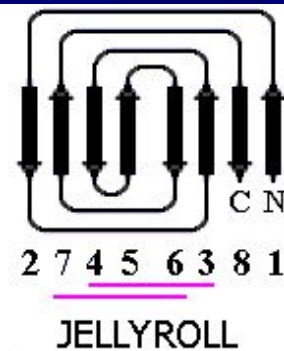
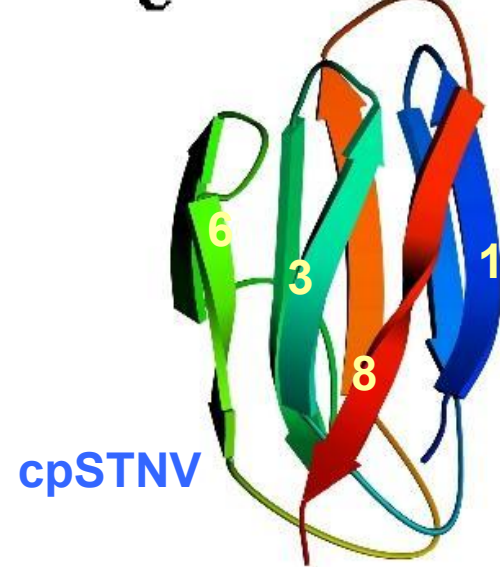
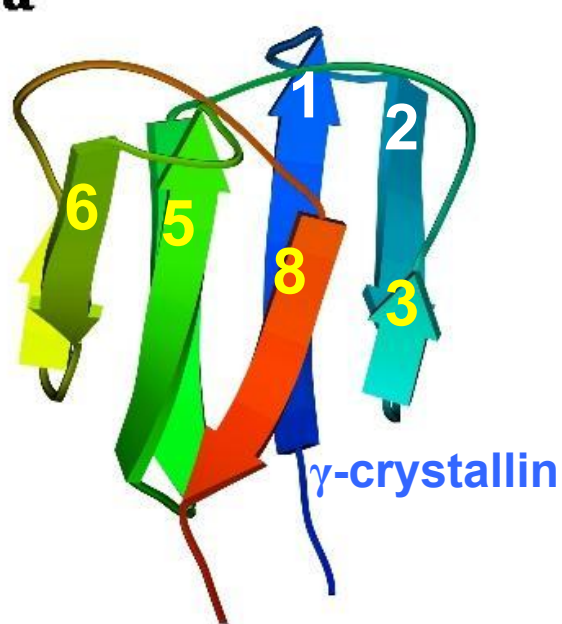


Interlocked pairs:
center of sandwich



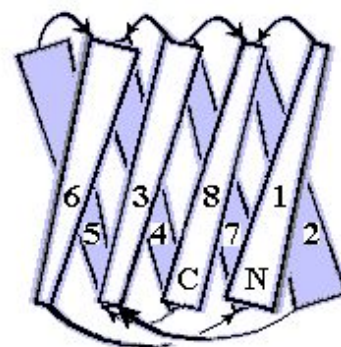
Hydrophobic surfaces
of sheets of the sandwich



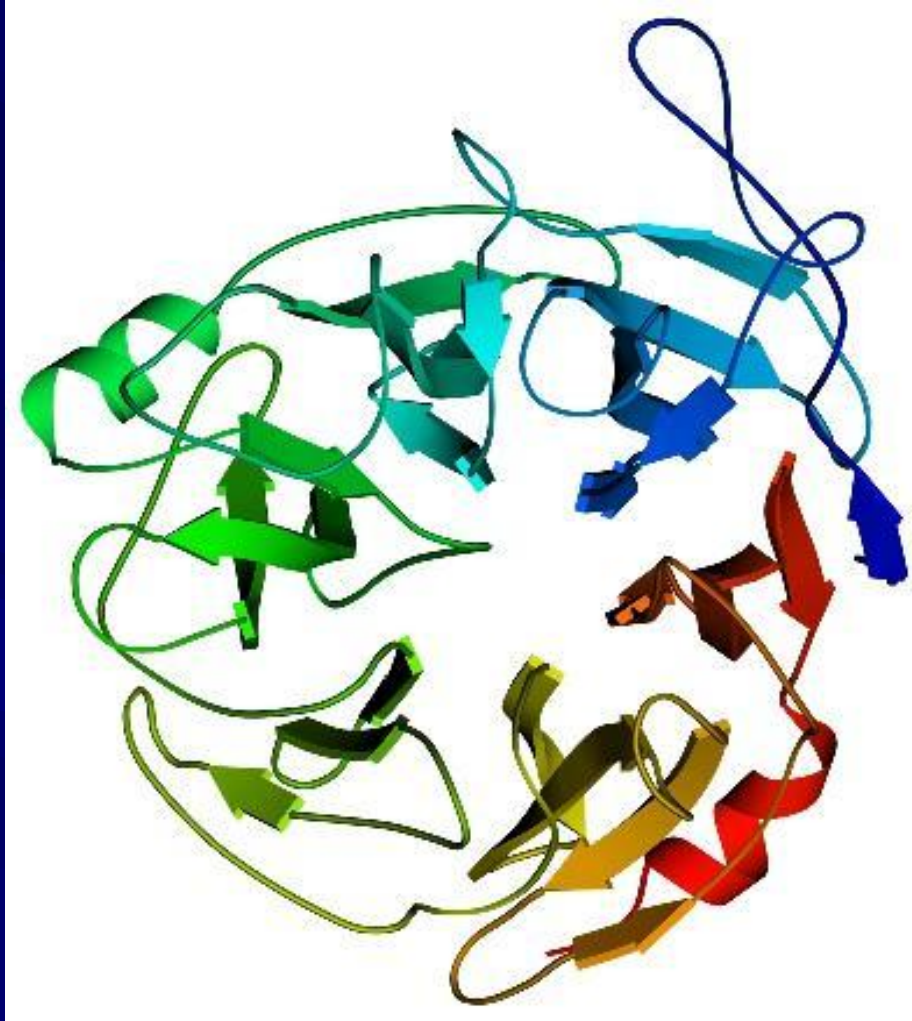


**aligned packings
of β -sheets**

**a) different:
only topologies**



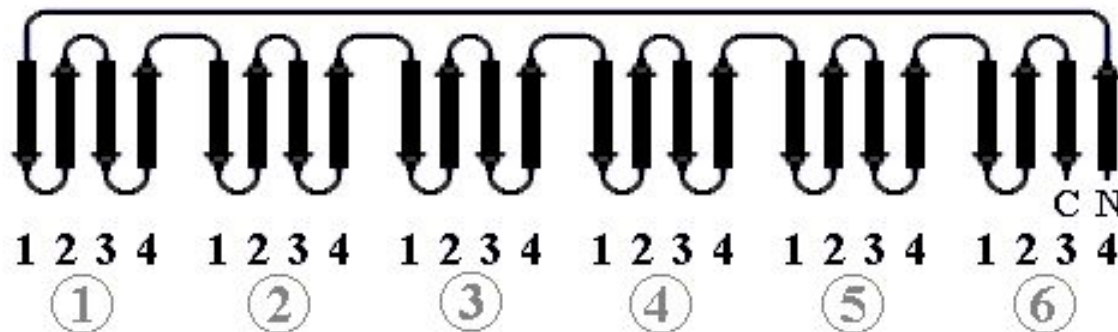
**b) equal:
even
topology**



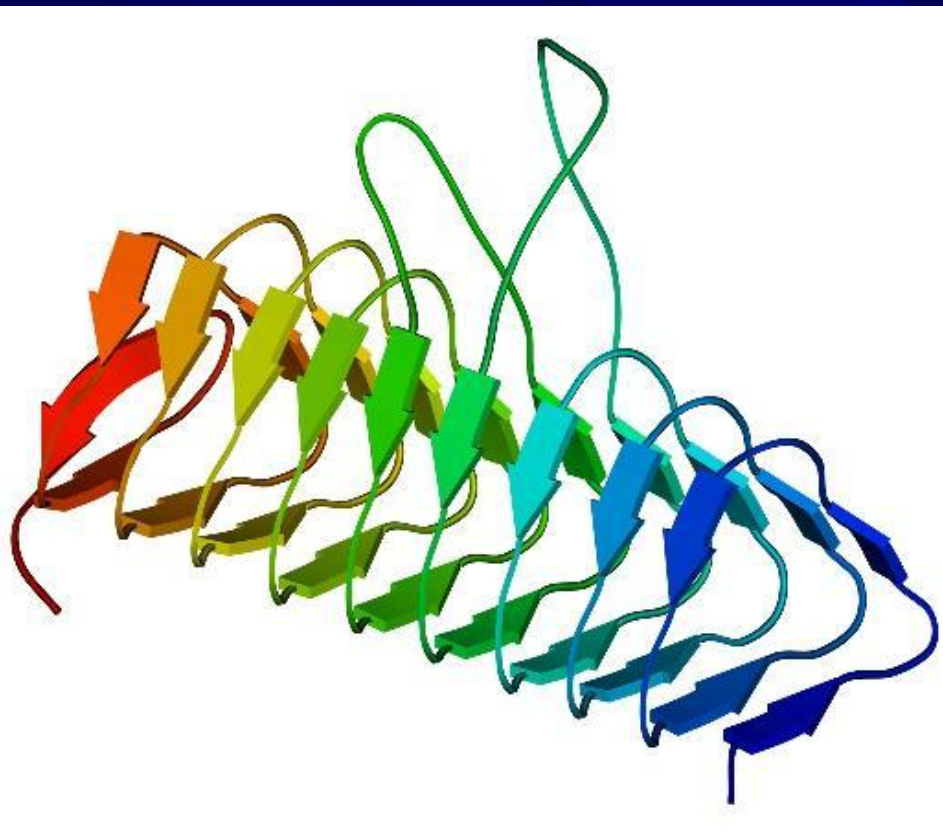
aligned packing
of β -sheets

6-bladed propeller

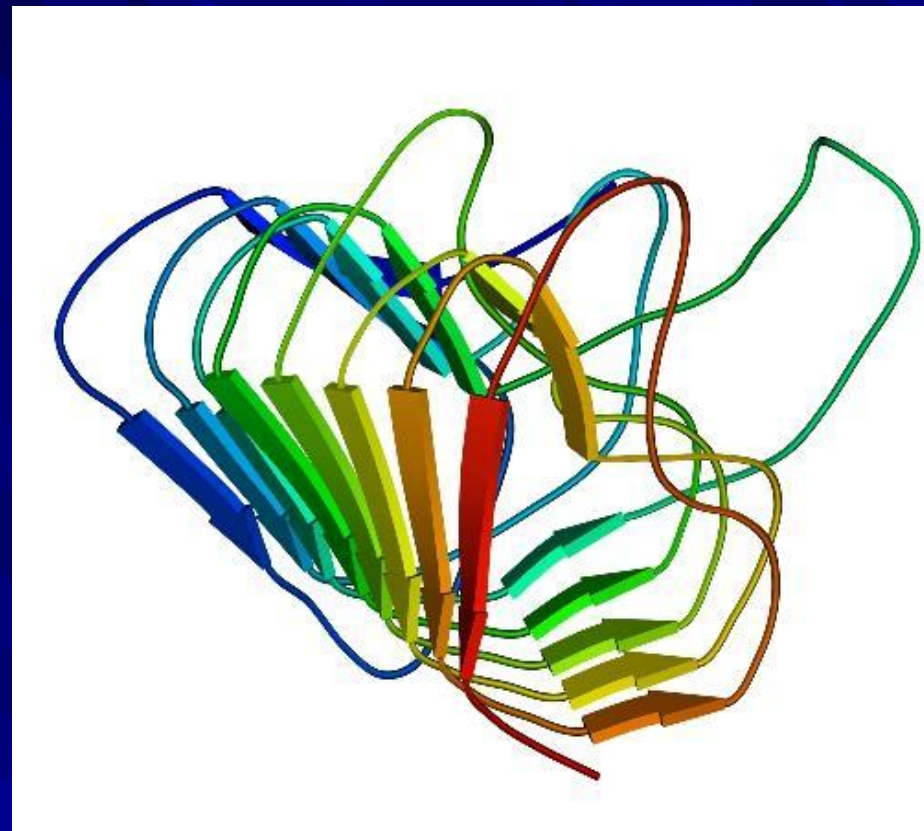
neuraminidase



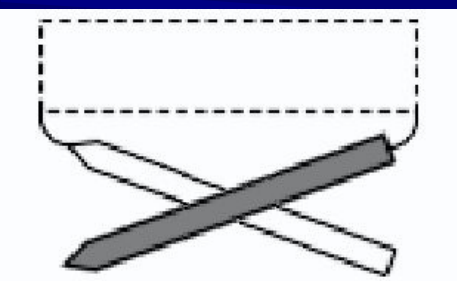
Left-handed β -prism: Acyl transferase



Right-handed β -prism: Pectate lyase

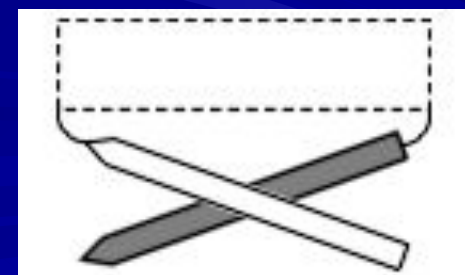


TOPOLOGY of chain turns between parallel β -strands

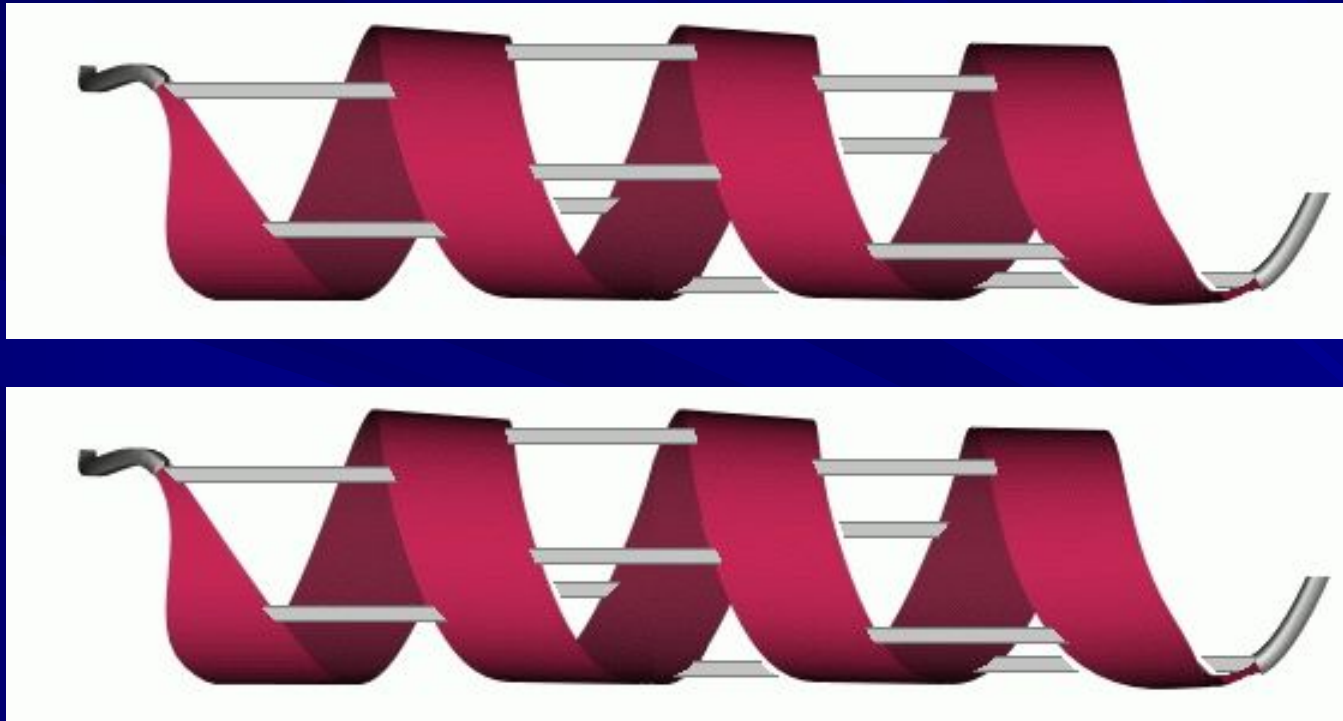


UNusual
LEFT-HANDED
chain turns
(AND NO
 β -TWIST!)

Usual
RIGHT-HANDED
chain turns
(AND RIGHT
 β -TWIST!)



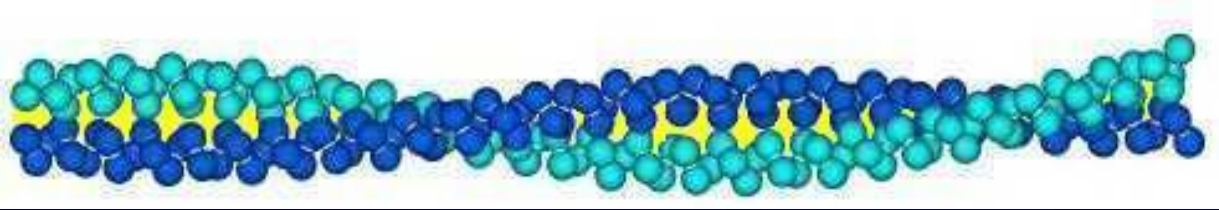
α -proteins



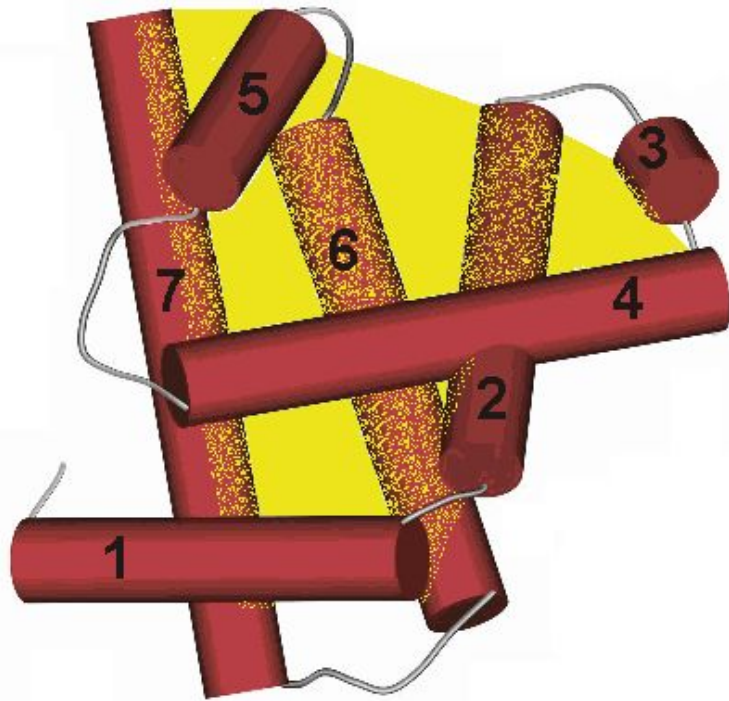
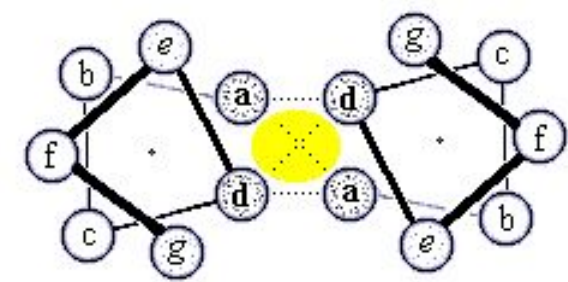
H-bonds: within helices

&

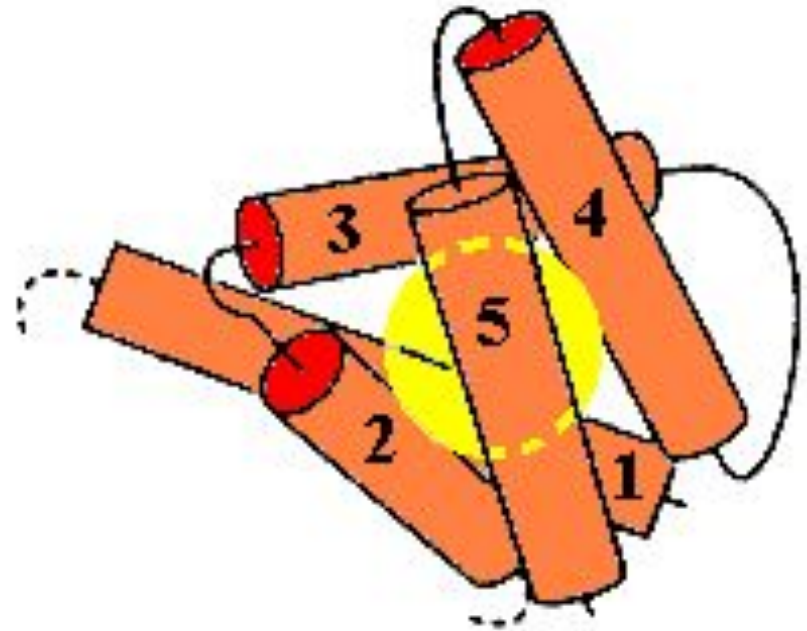
Hydrophobics: between helices



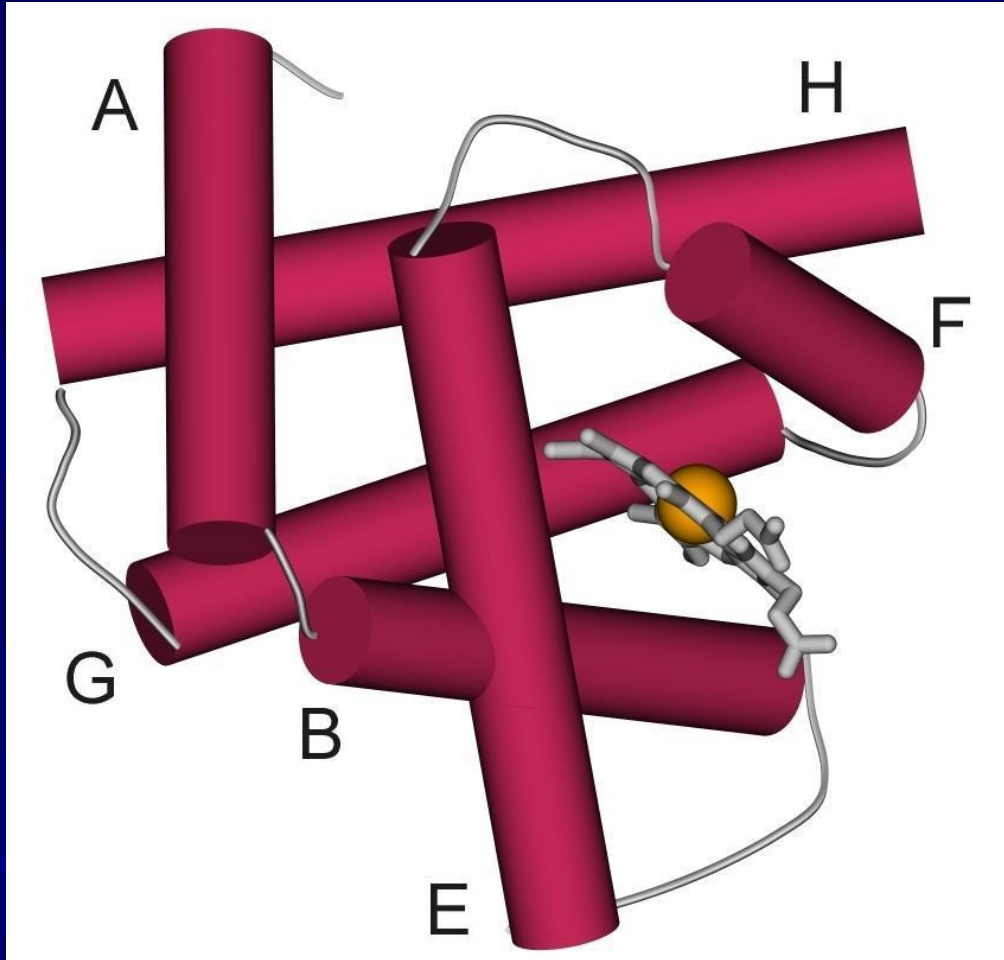
Quasi-cylindrical core (in fibrous)



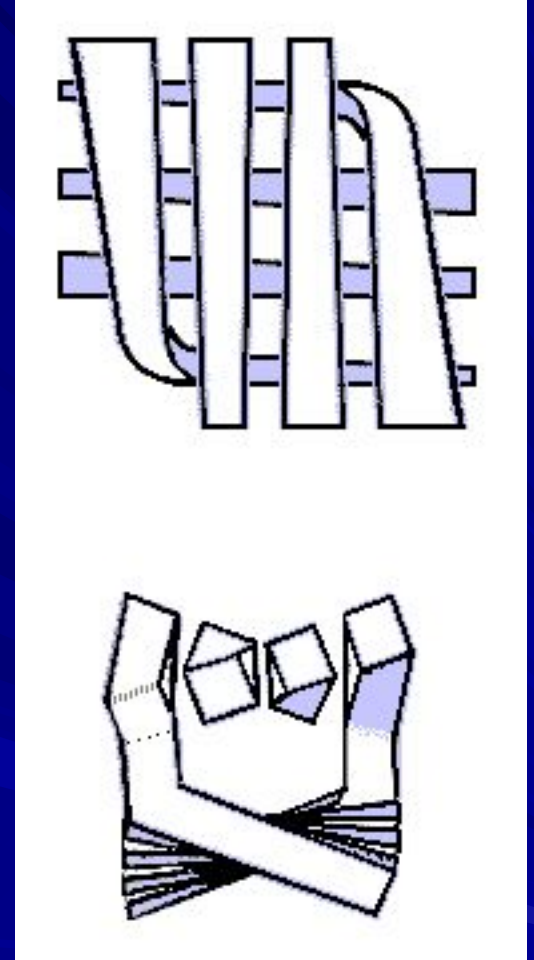
Quasi-flat core



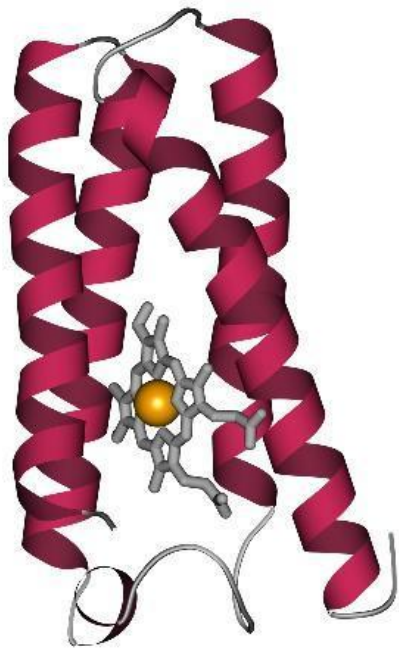
Quasi-spherical core
MOST COMMON



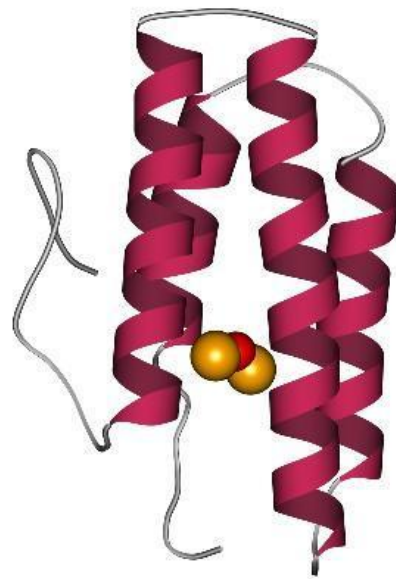
**Orthogonal packing
of LONG α -helices**



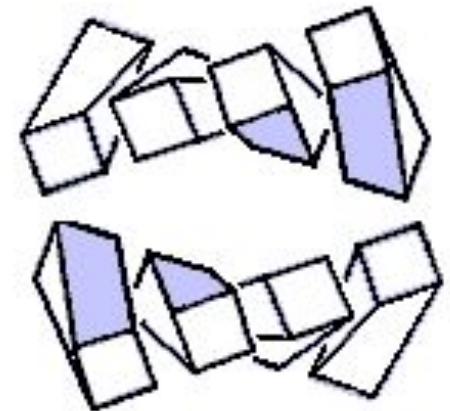
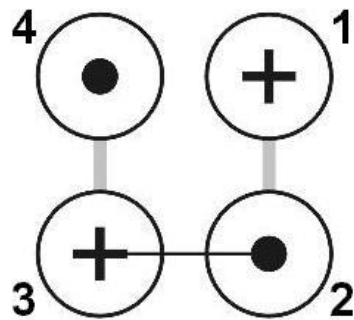
**Similar to orthogonal
packing of β -sheets**



Cytochrome c'

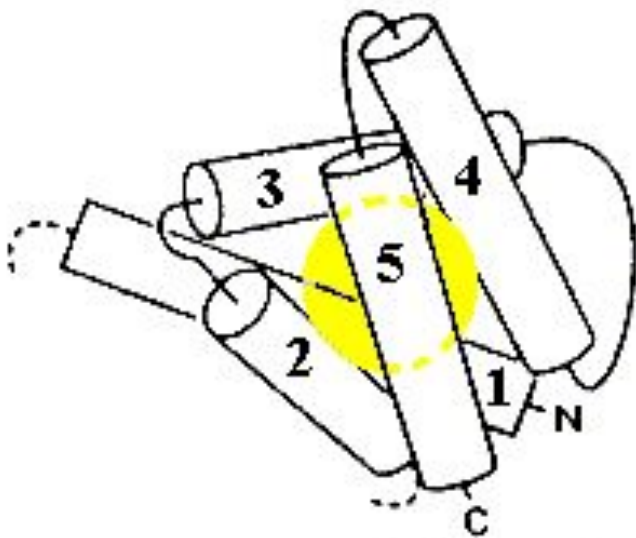


Hemerythrin



**Aligned packing
of LONG α -helices**

**Similar to aligned
packing of β -sheets**

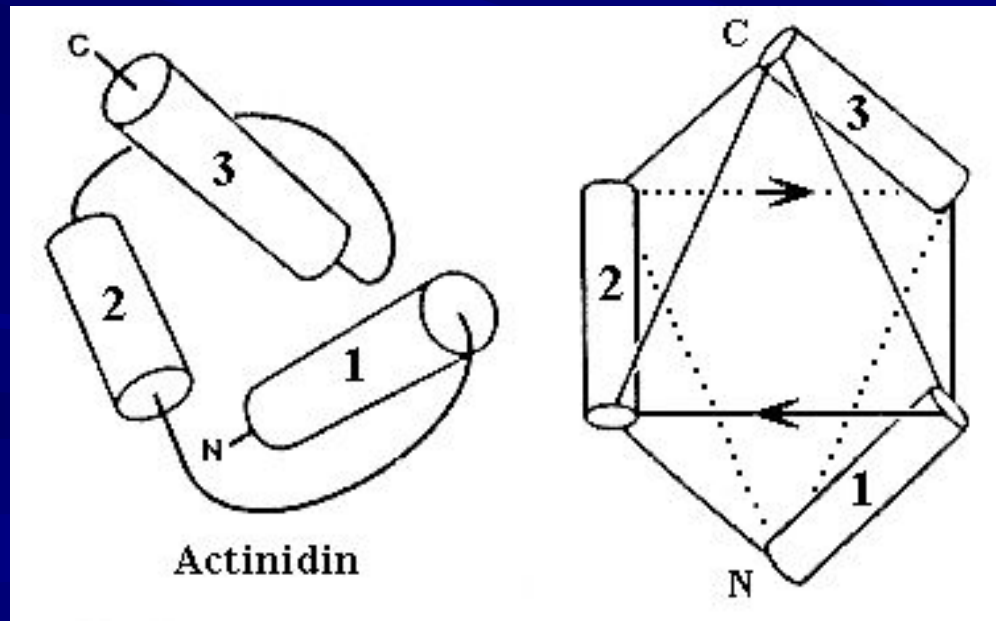


Thermolysin, domain 2

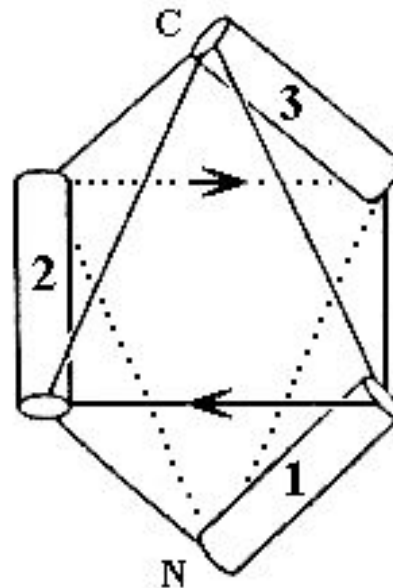


Quasi-spherical
core:

MOST COMMON



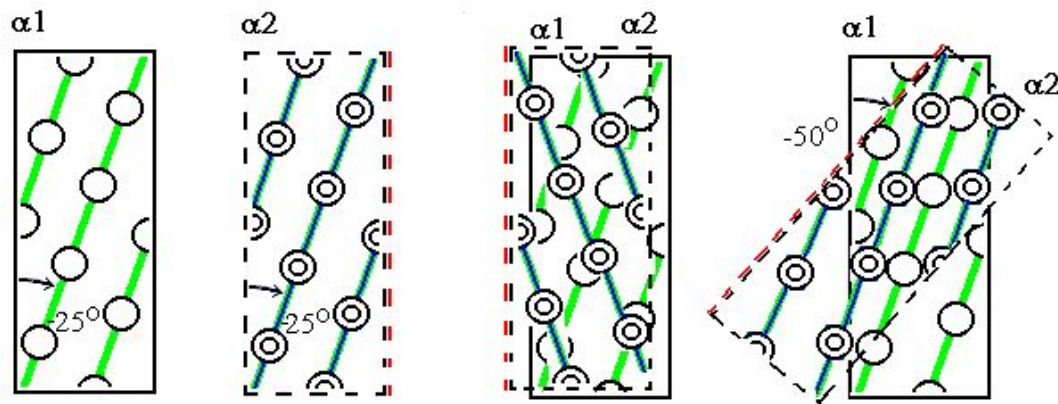
Actinidin



Quasi-spherical
polyhedra

no loop turns of $\sim 360^\circ$
no loop crossings

a

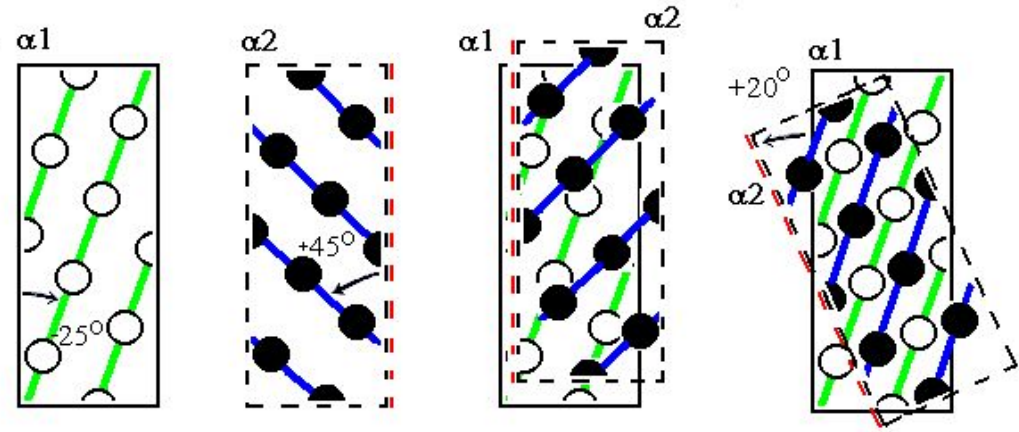


CLOSE PACKING

Packing of ridges:

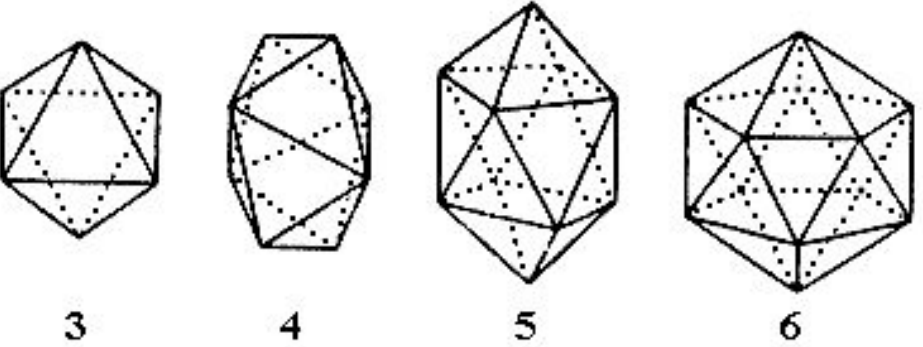
“0-4” & “0-4”: -50°

b

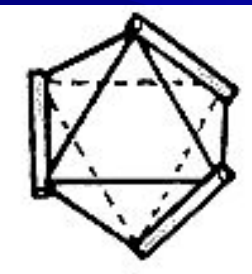


“0-4” & “1-4”: $+20^\circ$

$-60^\circ \approx -50^\circ$ $+60^\circ \neq +20^\circ$

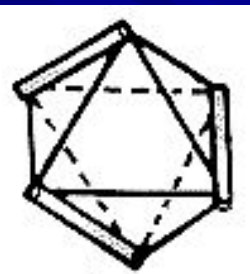


IDEAL POLYHEDRA



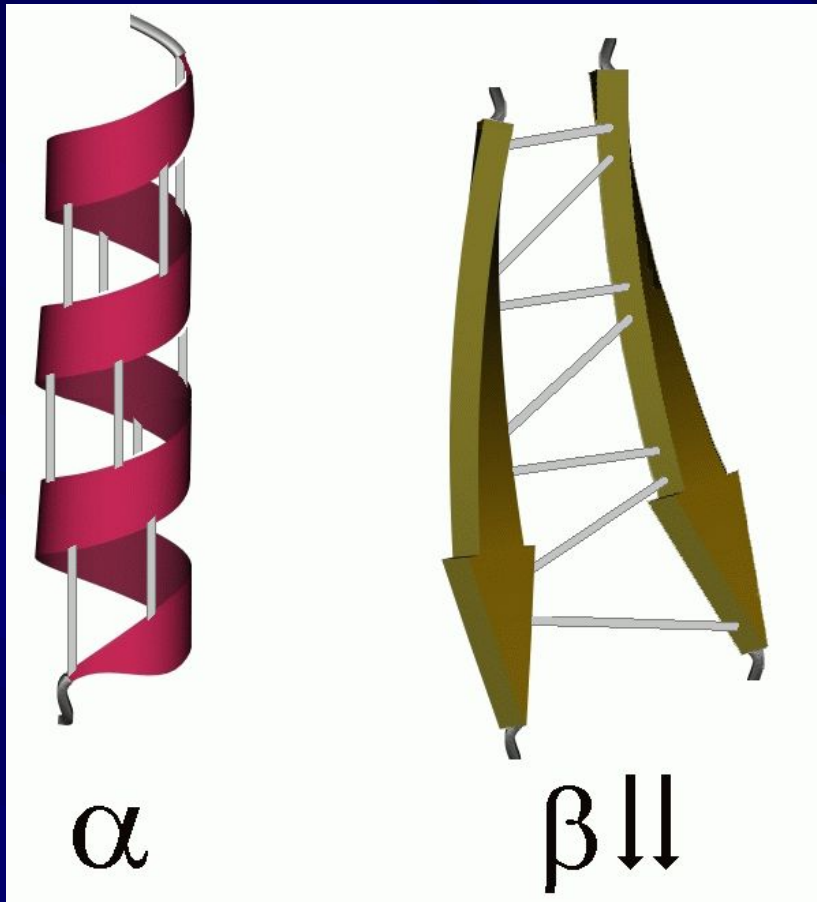
right-
(-60° between helices)

* often *



left-
($+60^\circ$ between helices)

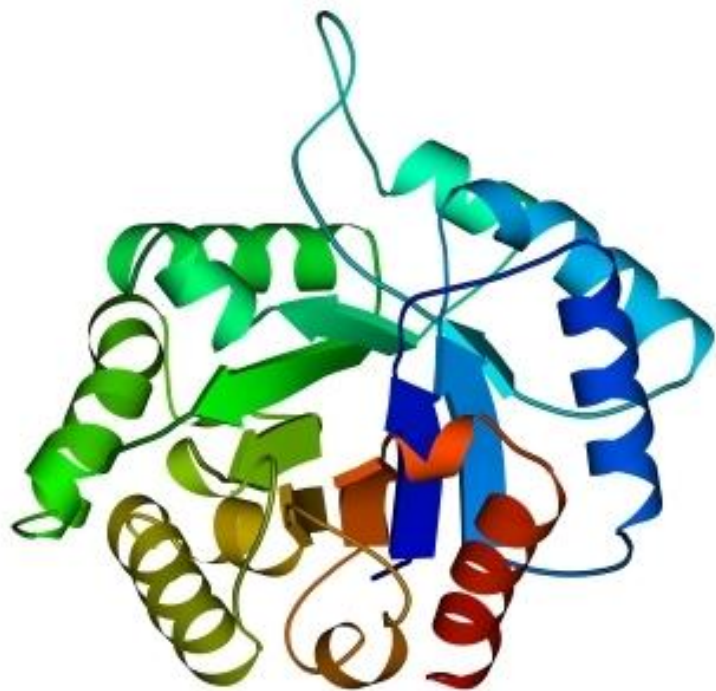
rare



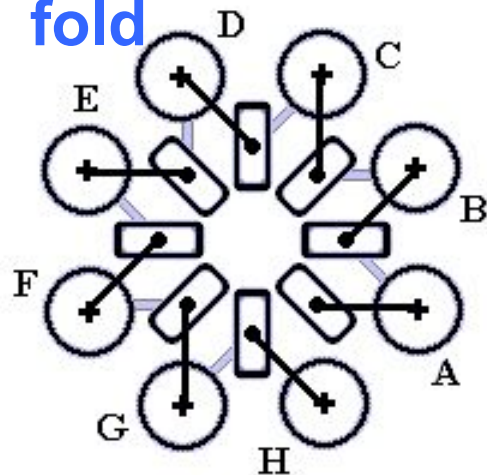
α/β proteins

H-bonds: within helices & sheets

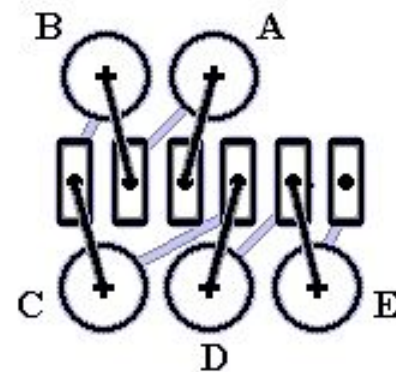
Hydrophobics: between helices & sheets



a **TIM barrel fold**

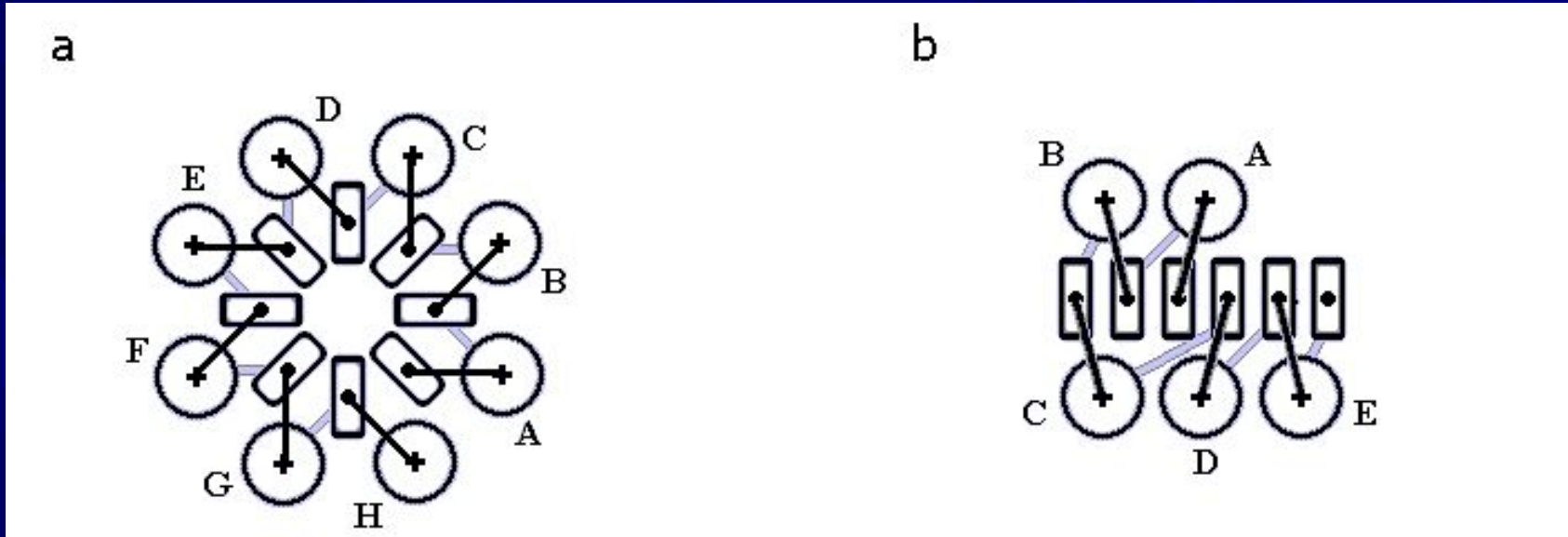


b **Rossmann**

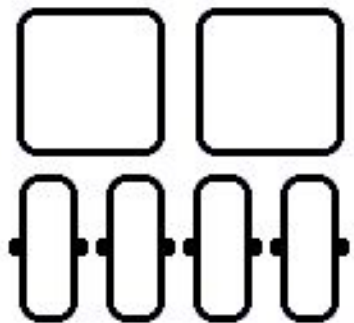


Regular secondary structure sequence:

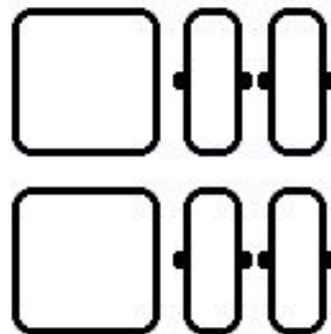
$\beta - \alpha - \beta - \alpha - \beta - \alpha - \beta - \alpha - \beta - \dots$



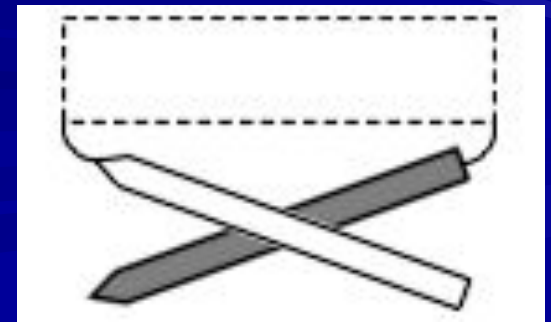
α and β layers

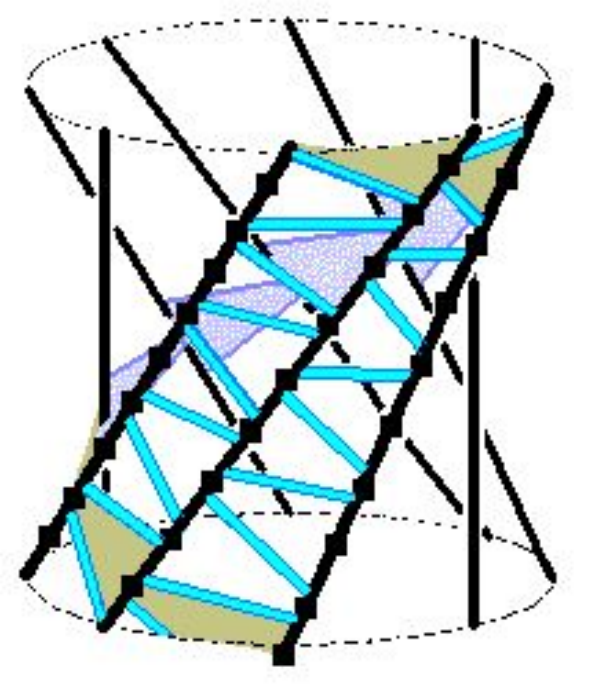


NO:

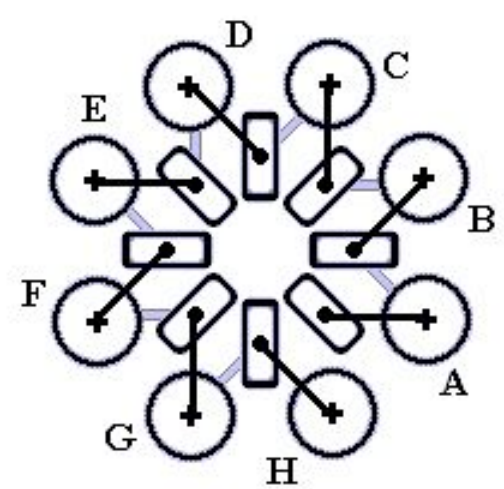


right-handed
superhelices

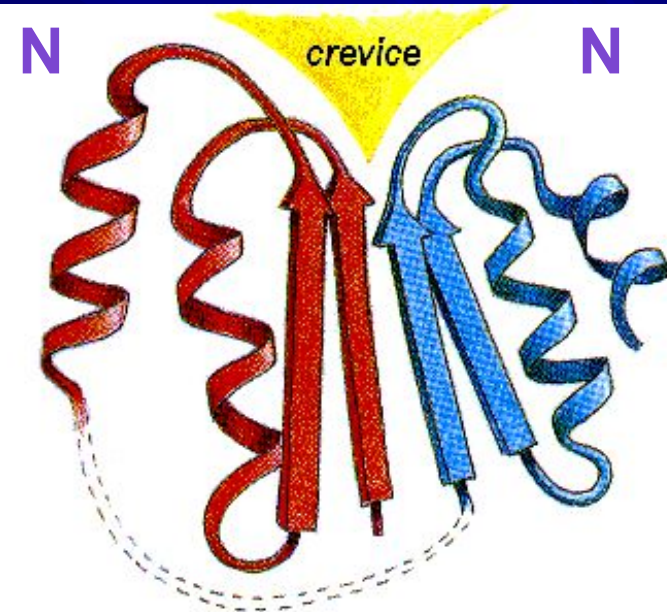
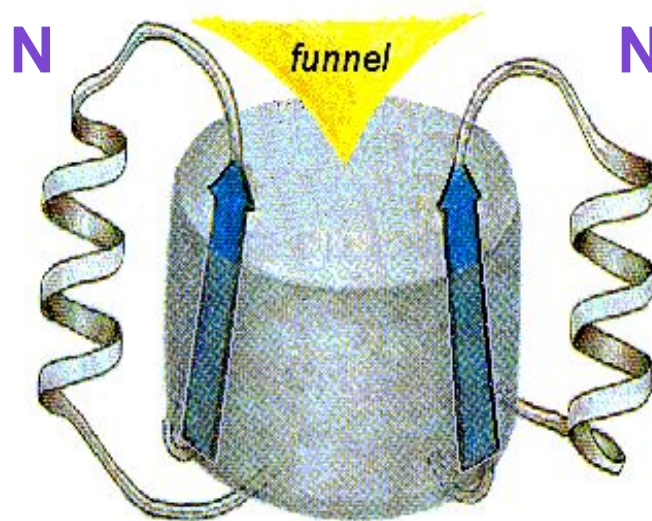




Classification of β -barrels:
“share number” S
and
strand number N.
Here: S=8, N=8



**Standard
 active site
 position is
 given by
 the archi-
 tecture**





α



$\beta \downarrow \uparrow$

$\alpha + \beta$ proteins

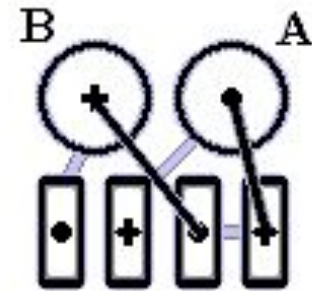
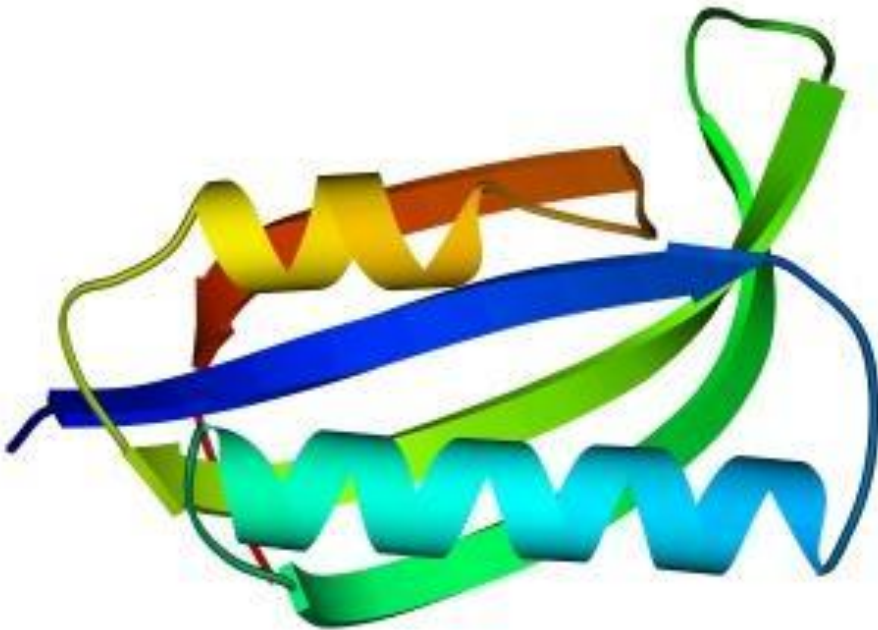
H-bonds: within helices & sheets

Hydrophobics: between helices & sheets

$\alpha + \beta$:

a) A kind of regularity in the secondary structure sequence:

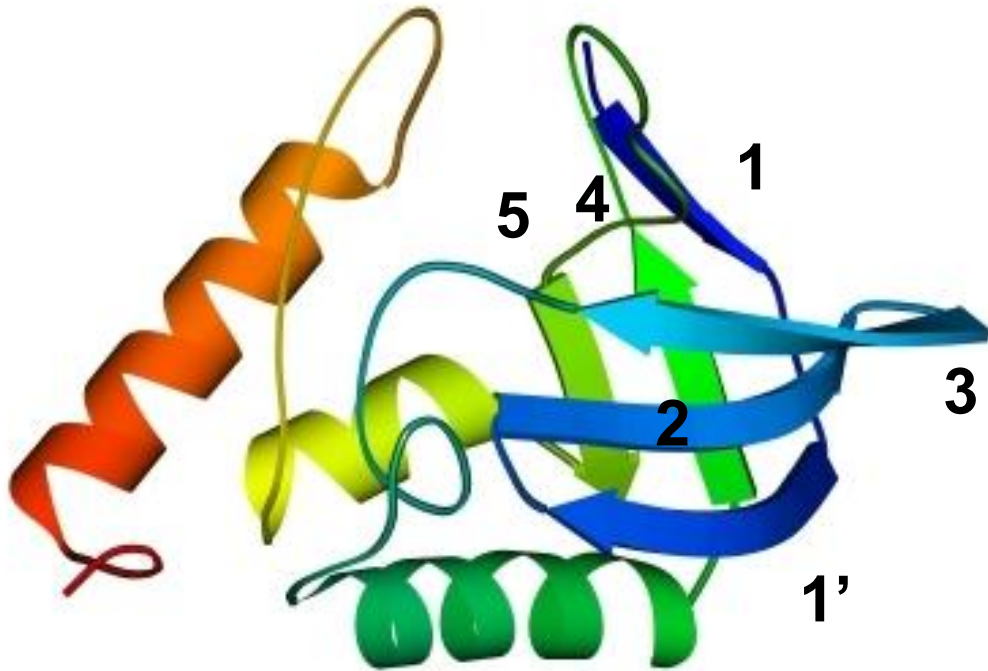
$\beta - \alpha - \beta - \beta - \alpha - \beta \dots$



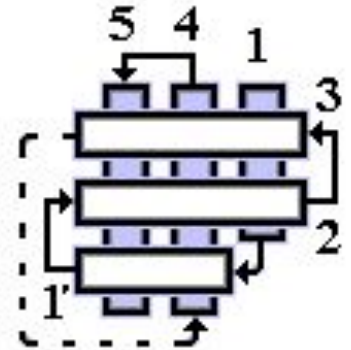
**Ferridoxin
fold**

$\alpha + \beta$:

b) Secondary structure sequence:
composed of irregular blocks, e.g.:
 $\beta - \beta - \beta - \beta - \beta - \alpha - \beta - \beta - \alpha - \alpha \dots$



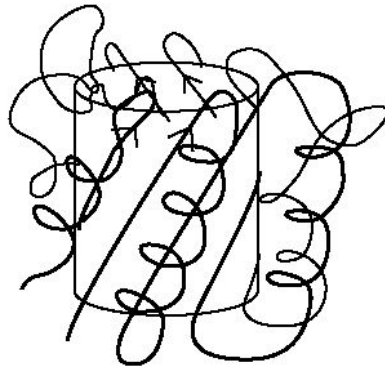
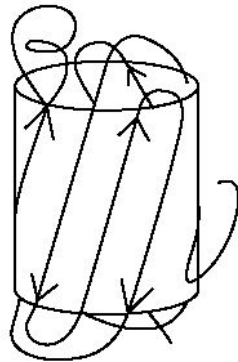
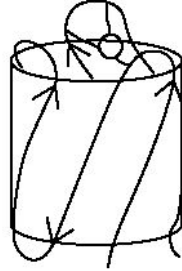
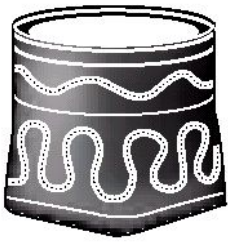
Nuclease fold



OB-fold

of the β -subdomain
of nuclease

(“Russian doll effect”)



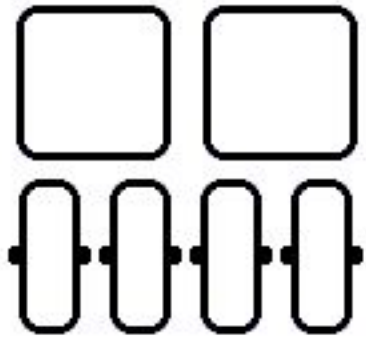
TYPICAL FOLDING PATTERNS (1977)



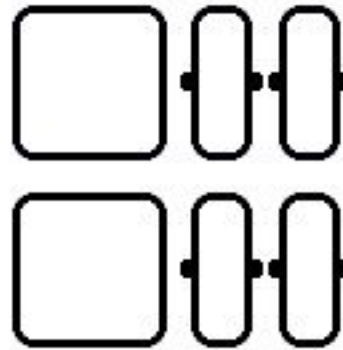
Jane Shelby
Richardson,
1941

EMPIRICAL RULES

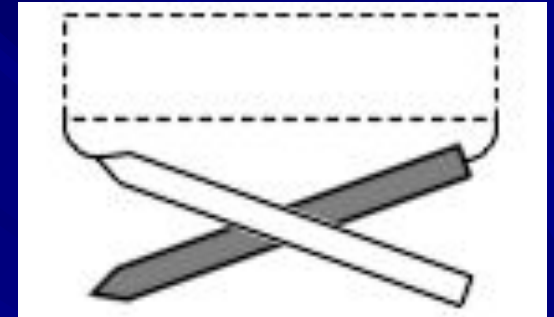
separate α and β layers



NO:

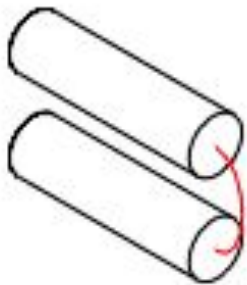


right-handed
superhelices

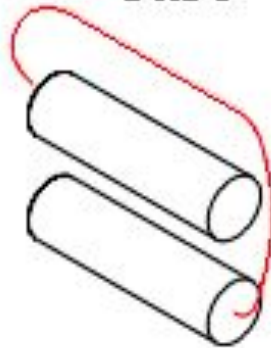


Lost H-bonds: defect!

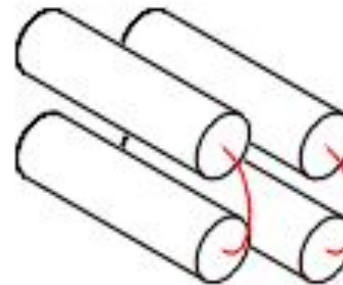
frequent



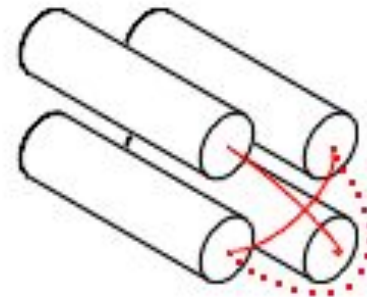
rare



frequent



rare



no large, $\sim 360^\circ$ turns

NO 'defects'

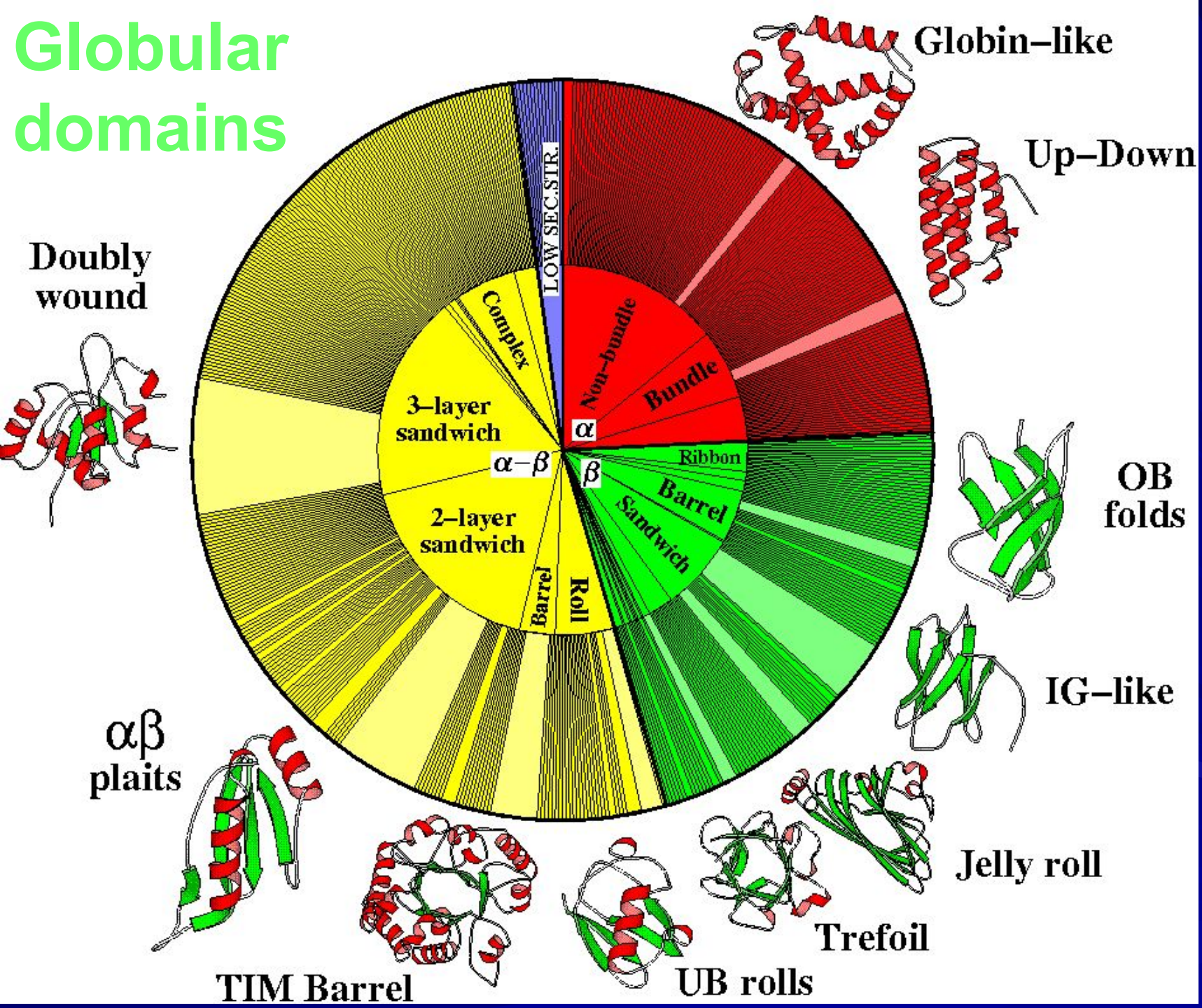
no loop crossings

RESULT:
NARROW SET
OF PREDOMINANT FOLDING PATTERNS
these are those that have no 'defects'

ALSO,

**these are “natively disordered proteins”,
which form a definite structure
only when bound
to some another molecule
(ligand, DNA, protein...)**

Globular domains



Classification of 3D protein folds



Алексей Григорьевич
Мурзин, 1956

SCOP



Cyrus Homi **Chothia**,
1942



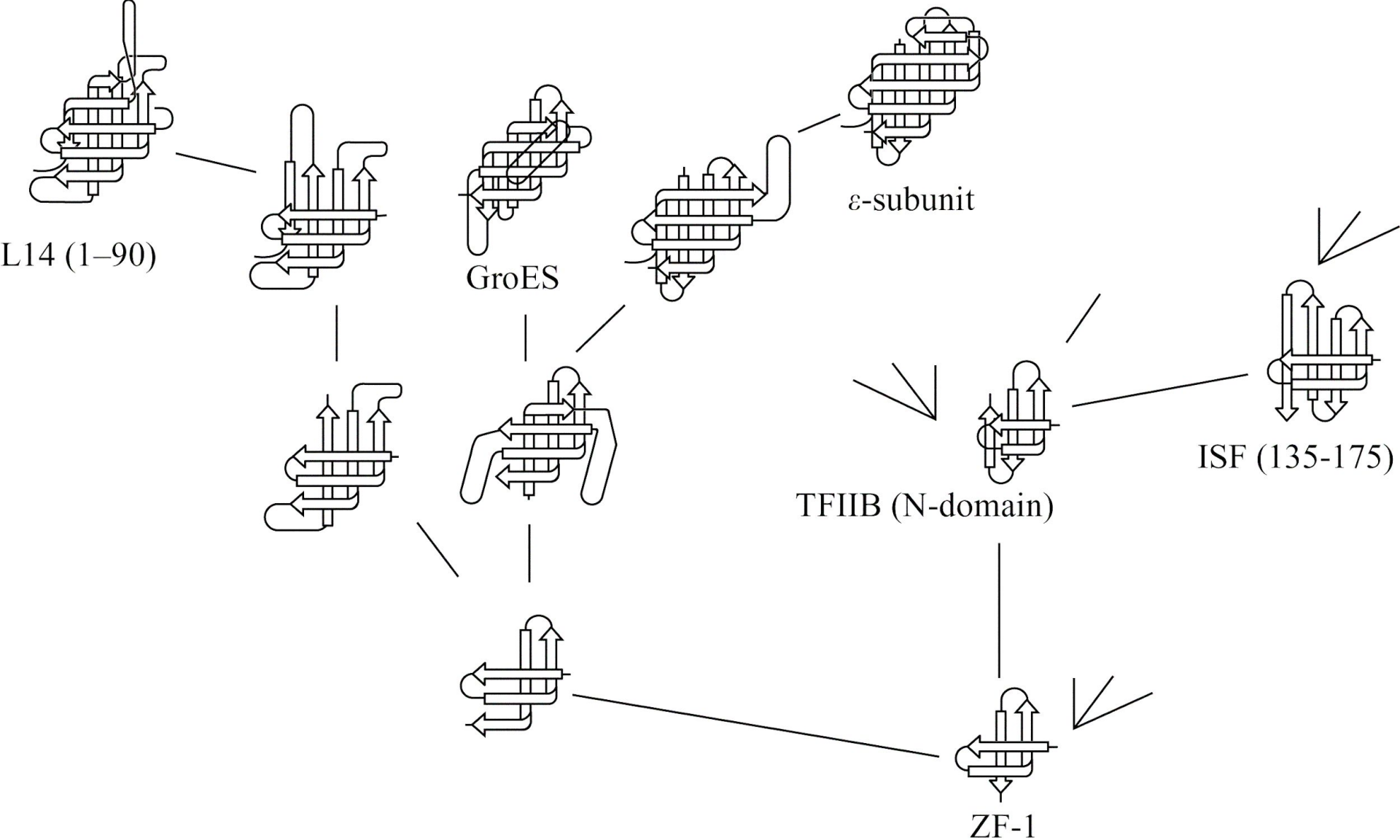
CATH

Dame
Janet Maureen
Thornton,
1949

«Деревья»

Александр
Васильевич
Ефимов,
1954





Efimov's "trees"

80/20 LAW:

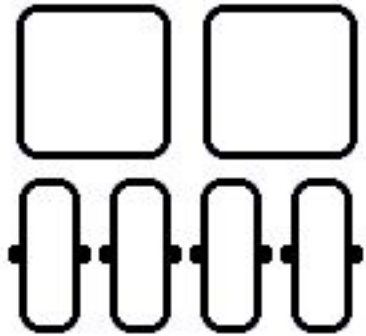
**80% OF BEER IS CONSUMED BY ONLY
20% OF THE POPULATION**

**80% OF PROTEINS BELONG TO ONLY
20% OF OBSERVED FOLDS**

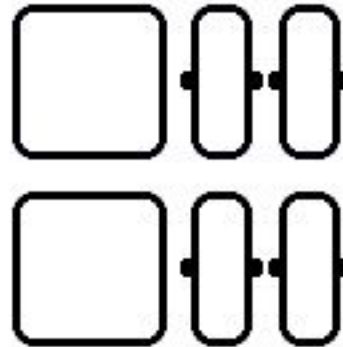
These folds are "typical" for proteins.
The remaining 20% of proteins are scattered
over "unusual" folds, which form 80% of
observed folds

EMPIRICAL RULES for FREQUENT FOLDS

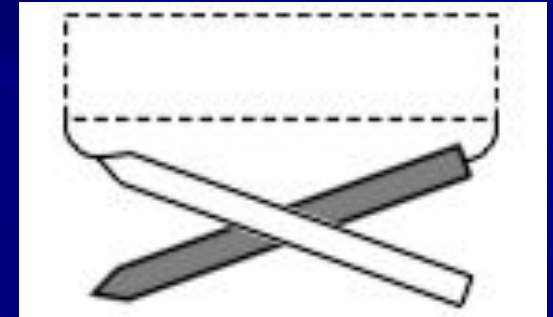
α and β structures,
separate α and β layers



NO:

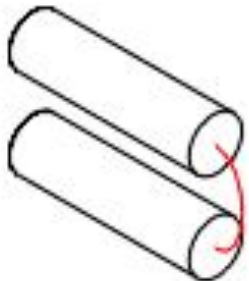


right-handed
superhelices

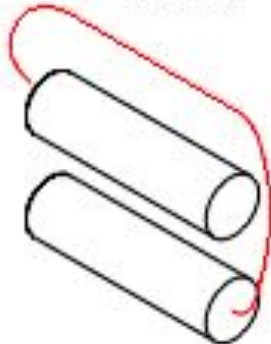


Lost H-bonds: defect!

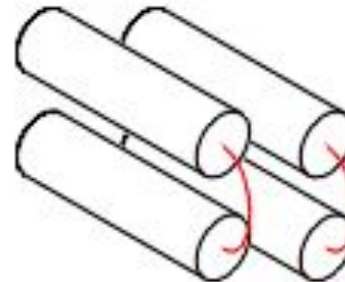
frequent



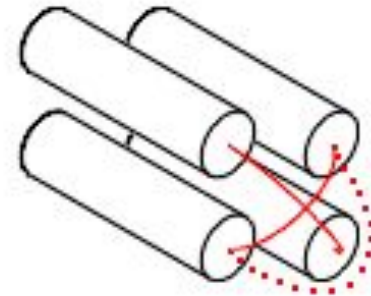
rare



frequent



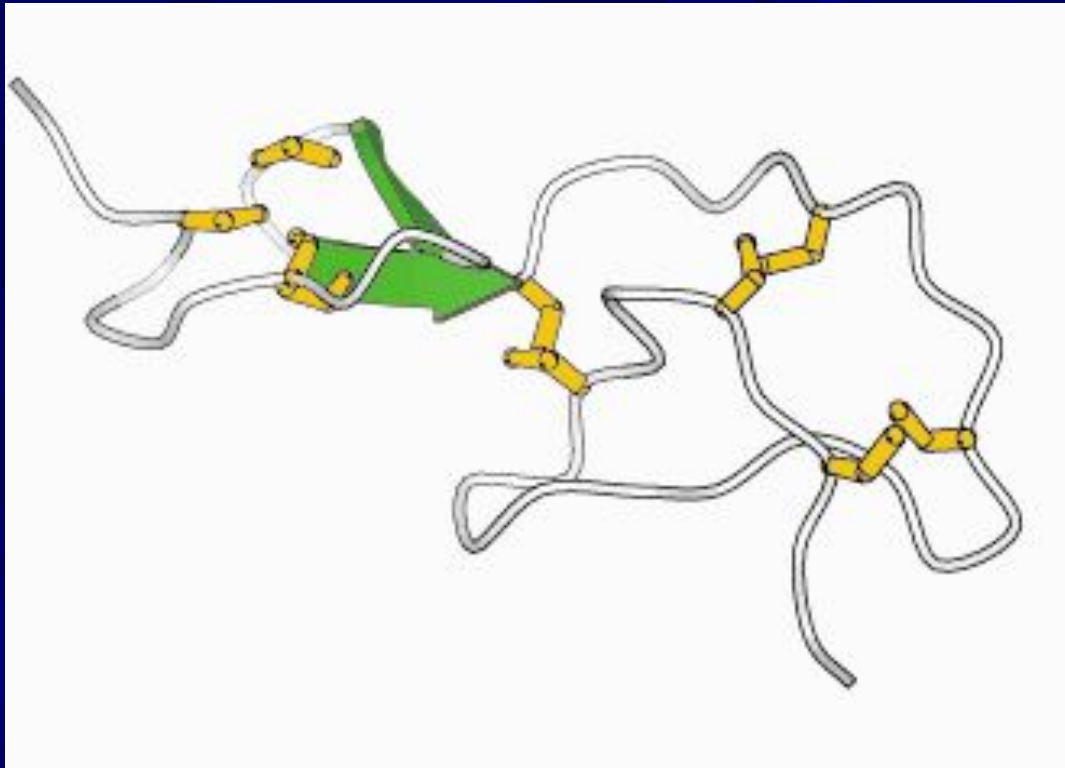
rare



no large (360-degree) turns

no loop crossing

e.g.:



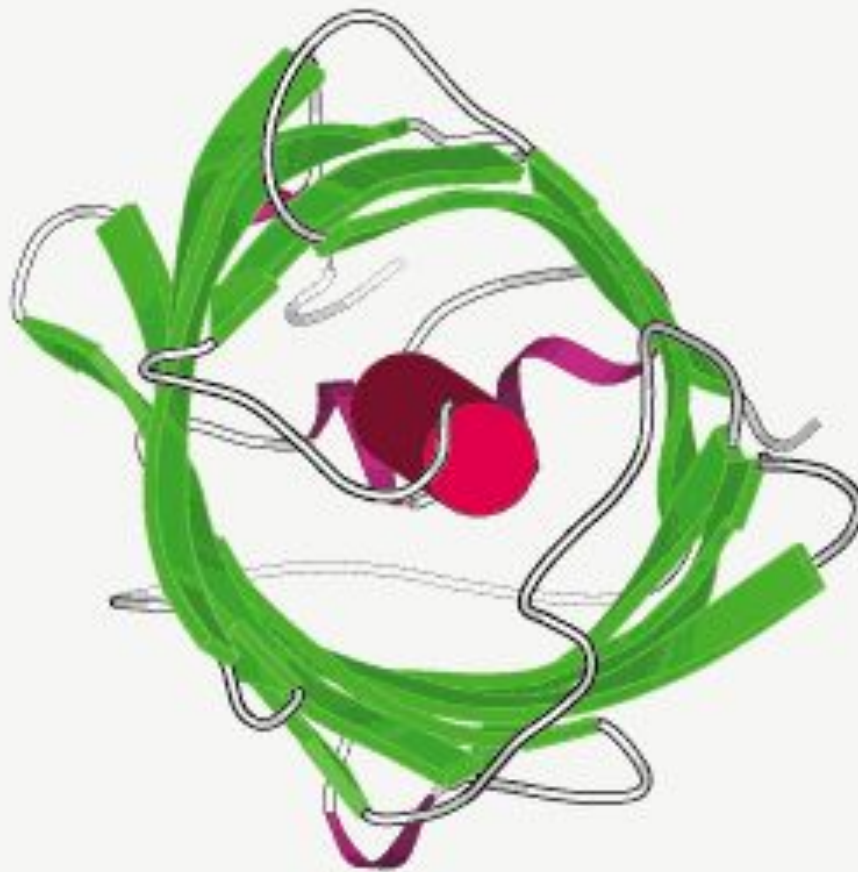
Unusual fold

(no α , almost no β structure: **bad for stability**) -

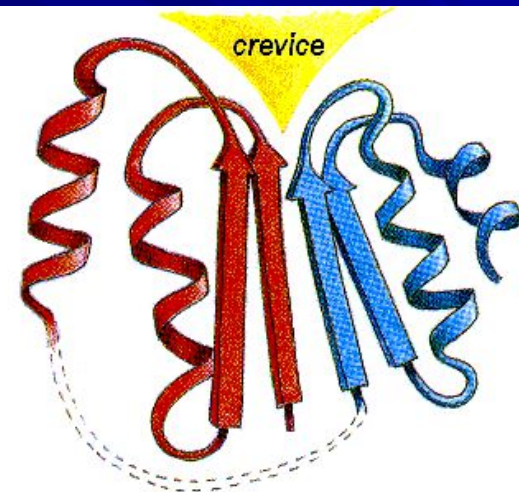
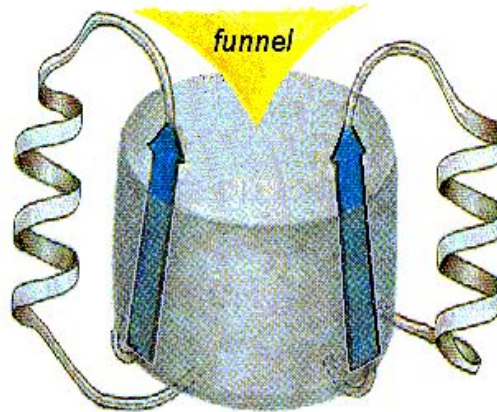
BUT: very special sequence

(very many Cysteins, and therefore
very many S-S bonds)

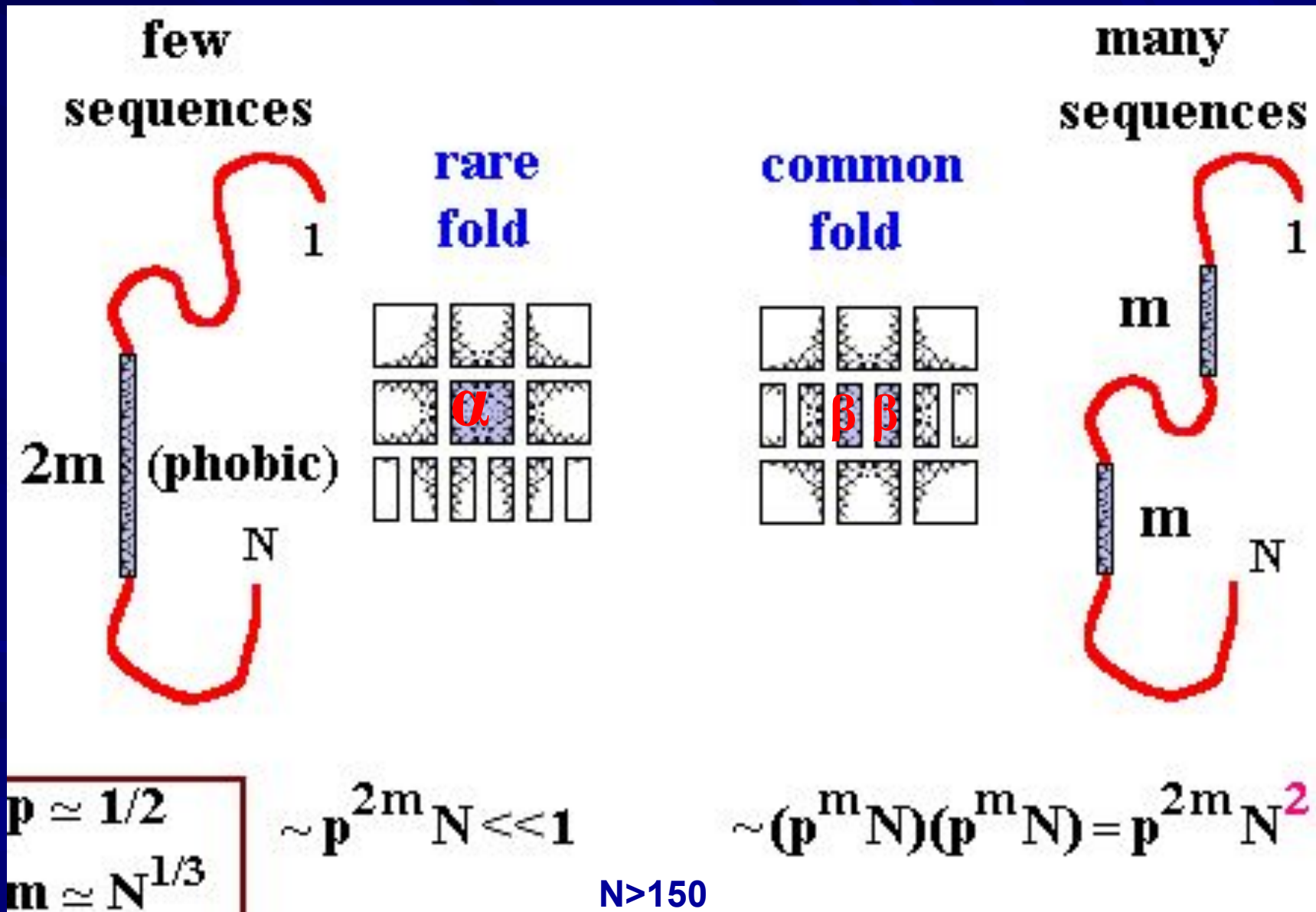
Unusual
fold (GFP):
helix inside



Usual folds:
helices outside

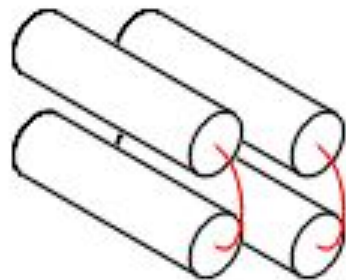


What is more usual:
sequence providing α inside or $\beta\beta$ inside?

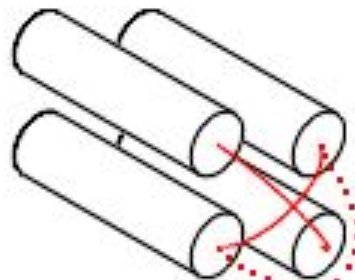


Selected elements

common



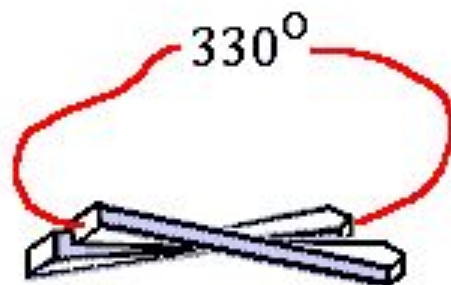
rare



Defect: Loop crossing.

Either lost H-bond (energy defect, $\simeq +2$ kcal/mol $\simeq +3kT$), or additional bending, or special sequence

common



rare



Defect: additional bending.

$\simeq +3kT$. Entropic defect ?!
 ~ 20 times less conformations
= 20 times less chance to include the lowest-energy conformation

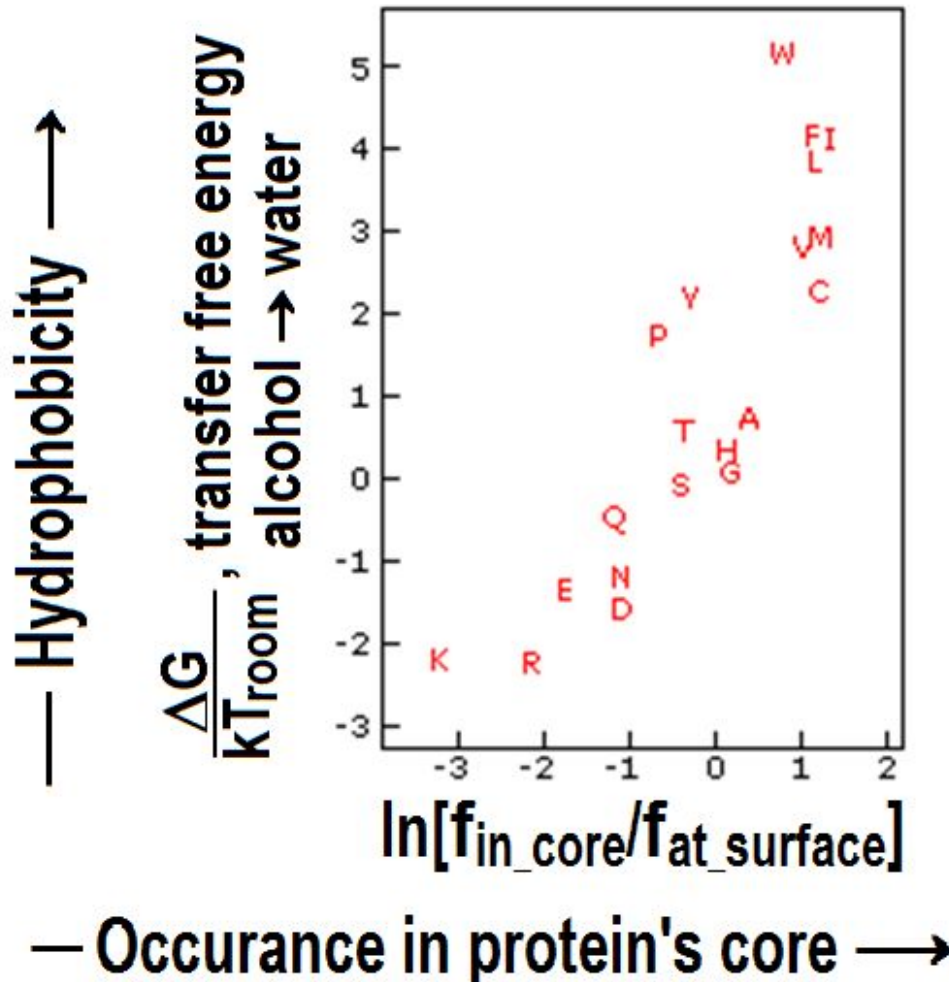
free energy DEFECTS

common folds — NO DEFECTS — common sequences?

rare folds — WITH DEFECTS — rare sequences?

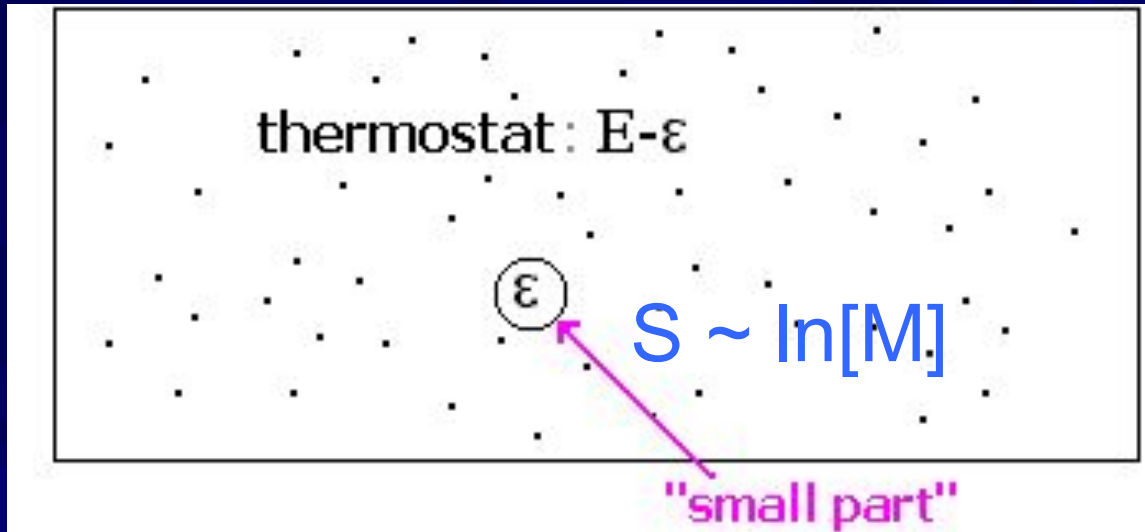
Small protein details

Observation (Pohl, 1971):
Occurrence $\sim \exp\left[-\frac{\text{Free energy}}{kT_c}\right]$



Miller,
Janin,
Chothia
1984

WHAT IS “TEMPERATURE”?



THEORY

Closed
system:
energy
 $E = \text{const}$

CONSIDER: 1 state of “small part” with ε & all states of thermostat with $E-\varepsilon$. $M(E-\varepsilon) = 1 \cdot M_{\text{th}}(E-\varepsilon)$

$$S_t(E-\varepsilon) = k \cdot \ln[M_t(E-\varepsilon)] \cong S_t(E) - \varepsilon \cdot (dS_t/dE)|_E$$

$$M_t(E-\varepsilon) = \exp[S_t(E)/k] \cdot \exp[-\varepsilon \cdot (dS_t/dE)|_E/k]$$

Thus: $d[\ln(M_t)]/dE = 1/kT$

Gibbs: $\frac{1}{kT} = \frac{d}{dE} \ln[\text{\#states}]$

'state' = *configuration*

E - *its energy*

as well:

'state' = *a. a. sequence*

E - *the structure's stability
for this sequence*

**Protein structure is stable,
if its free energy is below some threshold**

For example:

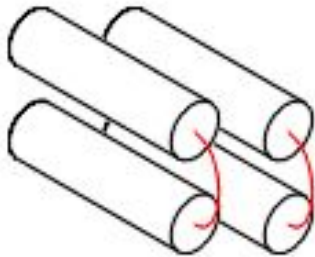
below that of completely unfolded chain;

or:

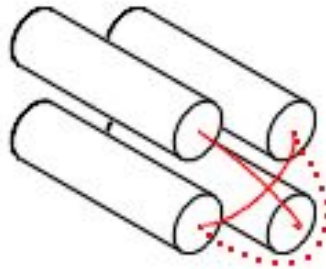
below that of any other globular structure

PHYSICAL SELECTION OF FOLDS

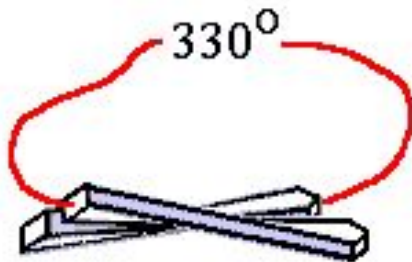
common



rare



common



rare



free energy DEFECTS

common folds — NO DEFECTS —
— common sequences.

rare folds — WITH DEFECTS —
— rare sequences.

*More stable detail —
more random sequences*

*Less stable detail —
less random sequences*

**What's good for protein's
detail is good for the whole
protein structure**

**“What's good for General
Motors is good for America”**

*(a famous misquote of
Charles Erwin **Wilson**)*

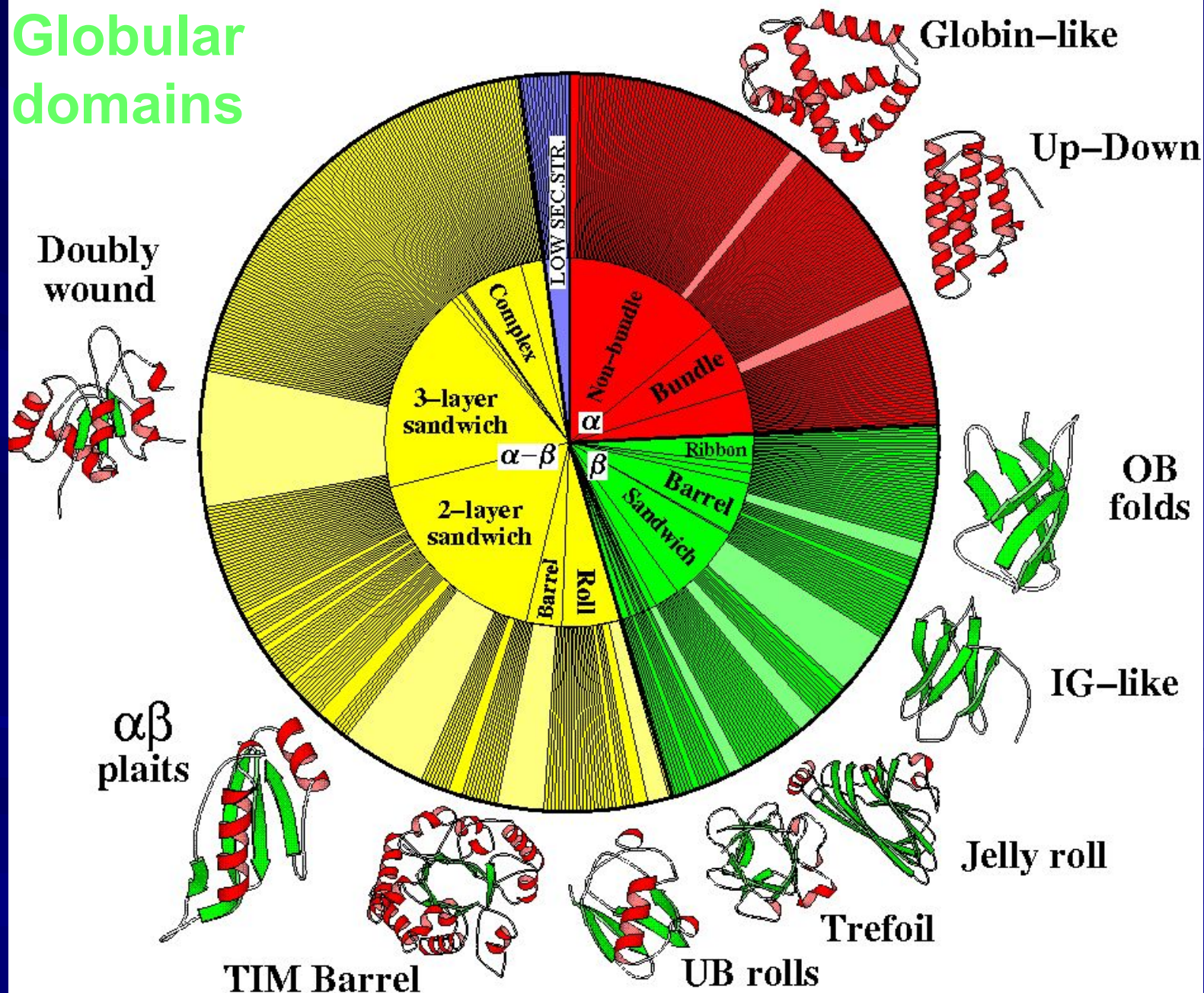
“Multitude principle”

for physical selection of folds
of globular proteins (*now*: **“designability”**):

*the more sequences fit the given
architecture without destroying its stability,
the higher the occurrence of this
architecture in natural proteins.*

RATIONAL STRUCTURAL CLASSIFICATION OF PROTEINS

Globular domains



CATH

≈

SCOP

- Structures of water-soluble globular proteins
- Physical selection of protein structures: *min. of defects!*
- Rational structural classification of proteins