## Business Statistics: A First Course $6{ }^{\text {th }}$ Edition

## Chapter 2

## Organizing and Visualizing Data

## Organizing and Visualizing Data



## Learning Objectives

## In this chapter you learn:

- The sources of data used in business
- To construct tables and charts for numerical data
- To construct tables and charts for categorical data
- The principles of properly presenting graphs



## GOALS

- 1.Organize qualitative data into a frequency table.
- 2.Present a frequency table as a bar chart or a pie chart.
- 3.Organize quantitative data into a frequency distribution.
- 4.Present a frequency distribution for quantitative data using histograms, frequency polygons, and cumulative frequency polygons.


## A Step by Step Process For Examining \& Concluding From Data Is Helpful

## In this book we will use DCOVA

- Define the variables for which you want to reach conclusions
- Collect the data from appropriate sources
- Organize the data collected by developing tables
- Visualize the data by developing charts
- Analyze the data by examining the appropriate tables and charts (and in later chapters by using other statistical methods) to reach conclusions


## Why Collect Data?

## DCOV

- A marketing research analyst needs to assess the effectiveness of a new television advertisement.
- A pharmaceutical manufacturer needs to determine whether a new drug is more effective than those currently in use.
- An operations manager wants to monitor a manufacturing process to find out whether the quality of the product being manufactured is conforming to company standards.
- An auditor wants to review the financial transactions of a company in order to determine whether the company is in compliance with generally accepted accounting principles.


## Sources of Data

DCOV

- Primary Sources: The data collector is the one using the data for analysis
- Data from a political survey
- Data collected from an experiment
- Observed data
- Secondary Sources: The person performing data analysis is not the data collector
- Analyzing census data
- Examining data from print journals or data published on the internet.


## Sources of data fall into four categories <br> DCOV

- Data distributed by an organization or an individual
- A designed experiment
- A survey
- An observational study


## Examples Of Data Distributed By Organizations or Individuals

- Financial data on a company provided by $A$ investment services
- Industry or market data from market research firms and trade associations
- Stock prices, weather conditions, and sports statistics in daily newspapers


## Examples of Data From A Designed Experiment

- Consumer testing of different versions of a product to help determine which product should be pursued further
- Material testing to determine which supplier's material should be used in a product
- Market testing on alternative product promotions to determine which promotion to use more broadly


## Examples of Survey Data

- Political polls of registered voters during political campaigns
- People being surveyed to determine their satisfaction with a recent product or service experience


# Examples of Data From Observational Studies 

- Market researchers utilizing focus groups to elicit unstructured responses to open-ended questions
- Measuring the time it takes for customers to be served in a fast food establishment
- Measuring the volume of traffic through an intersection to determine if some form of advertising at the intersection is justified


## Categorical Data Are Organized By

## Utilizing Tables

DCOV


## Organizing Categorical Data: Summary Table

- A summary table indicates the frequency, amount, or percentage of items in a set of categories so that you can see differences between categories.
Summary Table From A Survey of 1000 Banking Customers

| Banking Preference? | Percent |
| :--- | ---: |
| ATM | $16 \%$ |
| Automated or live telephone | $2 \%$ |
| Drive-through service at branch | $17 \%$ |
| In person at branch | $41 \%$ |
| Internet | $24 \%$ |

## Organizing Categorical Data: Summary Table

DCOV

- A summary table tallies the frequencies or percentagesAf items in a set of categories so that you can see differences between categories.


## Main Reason Young Adults Shop Online

| Reason For Shopping Online? | Percent |
| :--- | ---: |
| Better Prices | $37 \%$ |
| Avoiding holiday crowds or hassles | $29 \%$ |
| Convenience | $18 \%$ |
| Better selection | $13 \%$ |
| Ships directly | $3 \%$ |

Source: Data extracted and adapted from "Main Reason Young Adults Shop Online?"
USA Today, December 5, 2012, p. 1A.

## A Contingency Table Helps Organize Two or More Categorical Variables

- Used to study patterns that may exist between the responses of two or more categorical variables
- Cross tabulates or tallies jointly the responses of the categorical variables
- For two variables the tallies for one variable are located in the rows and the tallies for the second variable are located in the columns


## Contingency Table - Example

A random sample of 400 invoices is drawn.
Each invoice is categorized as a small, medium, or large amount.
Each invoice is also examined to identify if there are any errors.
These data are then organized in the contingency table to the right.

A
Contingency Table Showing Frequency of Invoices Categorized By Size and The Presence Of Errors

|  | No <br> Errors | Errors | Total |
| :---: | ---: | ---: | ---: |
| Small <br> Amount | 170 | 20 | 190 |
| Medium <br> Amount | 100 | 40 | 140 |
| Large <br> Amount | 65 | 5 | 70 |
| Total | 335 | 65 | 400 |

## Contingency Table Based On Percentage of Overall Total

|  | No <br> Errors | Errors | Total |
| :---: | ---: | ---: | ---: |
| Small <br> Amount | 170 | 20 | 190 |
| Medium <br> Amount | 100 | 40 | 140 |
| Large | 65 | 5 | 70 |
| Amount |  |  |  |

## Contingency Table Based On Percentage of Row Totals

|  | No <br> Errors | Errors | Total |
| :---: | ---: | ---: | ---: |
| Small <br> Amount | 170 | 20 | 190 |
| Medium <br> Amount | 100 | 40 | 140 |
| Large <br> Amount | 65 | 5 | 70 |
| Total | 335 | 65 | 400 |
| Medium invoices have a larger <br> chance (28.57\%) of having <br> errors than small (10.53\%) or <br> large (7.14\%) invoices. |  |  |  |

## Contingency Table Based On Percentage Of Column Total

|  | No Errors | Errors | Total | 50 | $75 \%$ | 170 / | $5$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Small Amount | 170 | 20 | 190 | $>3$ | 77\% | 20 / |  |
| Medium | 100 | 40 | 140 |  |  |  |  |
| Amount |  |  |  |  | No |  |  |
| Large | 65 | 5 | 70 |  | Errors | Errors | Total |
| Amount |  |  |  | Small Amount | 50.75\% | 30.77\% | 47.50\% |
| Total | 335 | 65 | 400 |  |  |  |  |
|  |  |  |  |  | 29.85\% | 61.54\% | 35.00\% |
| There is a $61.54 \%$ chance that invoices with errors are |  |  |  | Amount <br> Large <br> Amount | 19.40\% | 7.69\% | 17.50\% |

## Tables Used For Organizing Numerical Data

## Numerical Data

A

Frequency Distributions

## Organizing Numerical Data: Ordered Array

DCOV

- An ordered array is a sequence of data, in rank order, from the smallest value to the largest value.
- Shows range (minimum value to maximum value)
- May help identify outliers (unusual observations)

| Age of <br> Surveyed <br> College <br> Students | Day Students |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :---: |
|  | 16 | 17 | 17 | 18 | 18 | 18 |  |
|  | 19 | 19 | 20 | 20 | 21 | 22 |  |
|  | 22 | 25 | 27 | 32 | 38 | 42 |  |
|  | Night Students |  |  |  |  |  |  |
|  | 18 | 18 | 19 | 19 | 20 | 21 |  |
|  | 23 | 28 | 32 | 33 | 41 | 45 |  |

## Organizing Numerical Data: Frequency Distribution

- The frequency distribution is a summary table in which the data are arranged into numerically ordered classes.
- You must give attention to selecting the appropriate number of class groupings for the table, determining a suitable width of a class grouping, and establishing the boundaries of each class grouping to avoid overlapping.
- The number of classes depends on the number of values in the data. With a larger number of values, typically there are more classes. In general, a frequency distribution should have at least 5 but no more than 15 classes.
- To determine the width of a class interval, you divide the range (Highest value-Lowest value) of the data by the number of class groupings desired.


## Organizing Numerical Data: Frequency Distribution Example

Example: A manufacturer of insulation randomly selects 20 winter days and records the daily high temperature in degrees F .
$24,35,17,21,24,37,26,46,58,30,32,13,12,38,41,43,44,27,53,27$

## Organizing Numerical Data: Frequency Distribution Example

- Sort raw data in ascending order:
12, 13, 17, 21, 24, 24, 26, 27, 27, 30, 32, 35, 37, 38, 41, 43, 44, 46, 53, 58
- Find range: 58-12=46
- Select number of classes: 5 (usually between 5 and 15)
- Compute class interval (width): 10 (46/5 then round up)
- Determine class boundaries (limits):
. Class 1: 10 to less than 20
- Class 2: 20 to less than 30
- Class 3: 30 to less than 40
- Class 4: 40 to less than 50
- Class 5: 50 to less than 60
- Compute class midpoints: 15, 25, 35, 45, 55
- Count observations \& assign to classes


## Organizing Numerical Data: Frequency Distribution Example

DCOV
Data in ordered array:
12, 13, 17, 21, 24, 24, 26, 27, 27, 30, 32, 35, 37, 38, 41, 43, 44, 46, 53, 58

| Class | Midpoints | Frequency |
| :---: | :---: | :--- |
| $\mathbf{1 0}$ but less than 20 | 15 | 3 |
| $\mathbf{2 0}$ but less than 30 | 25 | 6 |
| $\mathbf{3 0}$ but less than 40 | 35 | 5 |
| 40 but less than 50 | 45 | 4 |
| $\mathbf{5 0}$ but less than 60 | 55 | 2 |
| Total |  | 20 |

## Organizing Numerical Data: Relative \& Percent Frequency Distribution Example

## Data in ordered array:

12, 13, 17, 21, 24, 24, 26, 27, 27, 30, 32, 35, 37, 38, 41, 43, 44, 46, 53, 58

| Class | Frequency | Relative <br> Frequency | Percentage |
| :---: | :---: | :---: | :---: |
| $\mathbf{1 0}$ but less than 20 | 3 | .15 | 15 |
| 20 but less than 30 | 6 | .30 | 30 |
| 30 but less than 40 | 5 | .25 | 25 |
| 40 but less than 50 | 4 | .20 | 20 |
| 50 but less than 60 | 2 | .10 | 10 |
| Total | 20 | 1.00 | 100 |

# Organizing Numerical Data: Cumulative Frequency Distribution Example 

## Data in ordered array:

$12,13,17,21,24,24,26,27,27,30,32,35,37,38,41,43,44,46,53,58$

| Class | Frequency | Percentage | Cumulative <br> Frequency | Cumulative <br> Percentage |
| :---: | :--- | :--- | :--- | :--- |
| 10 but less than 20 | 3 | $15 \%$ | 3 | $15 \%$ |
| 20 but less than 30 | 6 | $30 \%$ | 9 | $45 \%$ |
| 30 but less than 40 | 5 | $25 \%$ | 14 | $70 \%$ |
| 40 but less than 50 | 4 | $20 \%$ | 18 | $90 \%$ |
| 50 but less than 60 | 2 | $10 \%$ | 20 | $100 \%$ |
| Total | 20 | 100 | 20 | $100 \%$ |

## Why Use a Frequency Distribution?

## DCOV <br> A

- It condenses the raw data into a more useful form
- It allows for a quick visual interpretation of the data
- It enables the determination of the major characteristics of the data set including where the data are concentrated / clustered


## Frequency Distributions: Some Tips

- Different class boundaries may provide different picturAs for the same data (especially for smaller data sets)
- Shifts in data concentration may show up when different class boundaries are chosen
- As the size of the data set increases, the impact of alterations in the selection of class boundaries is greatly reduced
- When comparing two or more groups with different sample sizes, you must use either a relative frequency or a percentage distribution


## Visualizing Categorical Data Through Graphical Displays

Categorical Data


## Visualizing Categorical Data: The Bar Chart

- In a bar chart, a bar shows each category, the length of which represents the amount, frequency or percentage of values falling into a category which come from the summary table of the variable.



## Visualizing Categorical Data: The Bar Chart

DCOV

- The bar chart visualizes a categorical variable as a series of barsAThe length of each bar represents either the frequency or percentage of values for each category. Each bar is separated by a space called a gap.

| Reason For <br> Shopping Online? | Percent |
| :--- | ---: |
| Better Prices | $37 \%$ |
| Avoiding holiday <br> crowds or hassles | $29 \%$ |
| Convenience | $18 \%$ |
| Better selection | $13 \%$ |
| Ships directly | $3 \%$ |



## Visualizing Categorical Data: The Pie Chart

DCOV
The pie chart is a circle broken up into slices that represent categgAies. The size of each slice of the pie varies according to the percentage in each category.

Banking Preference

| Banking Preference? | $\%$ |
| :--- | ---: |
| ATM | $16 \%$ |
| Automated or live <br> telephone | $2 \%$ |
| Drive-through service at <br> branch | $17 \%$ |
| In person at branch | $41 \%$ |
| Internet | $24 \%$ |



| $\square$ ATM |
| :--- |
| $\square$ Automated or live |
| telephone |
| $\square$ Drive-through service at |
| branch |
| $\square$ In person at branch |
| $\square$ Internet |

## Visualizing Categorical Data: The Pie Chart

- The pie chart is a circle broken up into slices that represent categAries. The size of each slice of the pie varies according to the percentage in each category.

| Reason For Shopping <br> Online? | Percent |
| :--- | ---: |
| Better Prices | $37 \%$ |
| Avoiding holiday crowds or <br> hassles | $29 \%$ |
| Convenience | $18 \%$ |
| Better selection | $13 \%$ |
| Ships directly | $3 \%$ |



Visualizing Categorical Data: The Pareto Chart

- Used to portray categorical data
- A vertical bar chart, where categories are shown in descending order of frequency
- A cumulative polygon is shown in the same graph
- Used to separate the "vital few" from the "trivial many"


## Visualizing Categorical Data: The Pareto Chart (con't)



## Visualizing Categorical Data: The Pareto Chart (con't) <br> DCOV

Pareto Chart of Incomplete ATM Transactions

Cause

The "Vital
Few"

## Visualizing Categorical Data: Side-By-Side Bar Charts

The side-by side-bar chart represents the data from a contingenc $A$ table.


## Invoices with errors are much more likely to be of medium size ( $61.54 \%$ vs $30.77 \%$ and $7.69 \%$ )

# Visualizing Numerical Data By Using Graphical Displays 

## Numerical Data

DCOV
A


## Stem-and-Leaf Display

- A simple way to see how the data are distributed and where concentrations of data exist

METHOD: Separate the sorted data series into leading digits (the stems) and the trailing digits (the leaves)

## Organizing Numerical Data: Stem and Leaf Display

- A stem-and-leaf display organizes data into groups (called stems) so that the values within each group (the leaves) branch out to the right on each row.

Age of College Students


Night Students

| Stem | Leaf |
| ---: | :--- |
| 1 | 8899 |
| 2 | 0138 |
| 3 | 23 |
| 4 | 15 |

## Visualizing Numerical Data: The Histogram

- A vertical bar chart of the data in a frequency distribution is called a histogram.
- In a histogram there are no gaps between adjacent bars.
- The class boundaries (or class midpoints) are shown on the horizontal axis.
- The vertical axis is either frequency, relative frequency, or percentage.
- The height of the bars represent the frequency, relative frequency, or percentage.


## Visualizing Numerical Data: The Histogram

(In a percentage histogram the vertical axis would be defined to show the percentage of observations per class)



## Visualizing Numerical Data: The Polygon

- A percentage polygon is formed by having the midpoint of each class represent the data in that class and then connecting the sequence of midpoints at their respective class percentages.
- The cumulative percentage polygon, or ogive, displays the variable of interest along the $X$ axis, and the cumulative percentages along the $Y$ axis.
- Useful when there are two or more groups to compare.


## Visualizing Numerical Data: The Percentage Polygon dcov

Useful When Comparing Two or More Group今s


## Visualizing Numerical Data: The Percentage Polygon

Percentage Polygons for One-Year Return Percentage for the Growth and Value Funds


# Visualizing Numerical Data: The Frequency Polygon 



## Visualizing Numerical Data: The Ogive (Cumulative \% Polygon)

| Class | Lower <br> class <br> boundary | \% less <br> than lower <br> boundary |
| :---: | :---: | :---: |
| 10 but less than 20 | 10 | 0 |
| 20 but less than 30 | 20 | 15 |
| 30 but less than 40 | 30 | 45 |
| 40 but less than 50 | 40 | 70 |
| 50 but less than 60 | 50 | 90 |
| 60 but less than 70 | 60 | 100 |

A
(In an ogive the percentage
 of the observations less than each lower class boundary are plotted versus the lower class boundaries.


## Visualizing Two Numerical Variables By Using Graphical Displays

## DCOV <br> A



# Visualizing Two Numerical Variables: The Scatter Plot 

- Scatter plots are used for numerical data consisting of paired observations taken from two numerical variables
- One variable is measured on the vertical axis and the other variable is measured on the horizontal axis
- Scatter plots are used to examine possible relationships between two numerical variables



## Visualizing Two Numerical Variables: The Time-Series Plot DCOV

- Time-series plots are used to study patterns in the values of a numeric variable over time.
- The numeric variable is measured on the vertical axis and the time period is measured on the horizontal axis.


## Time-Series Plot Example

DCOV
A

| Year | Number of <br> Franchises |
| :---: | :---: |
| 1996 | 43 |
| 1997 | 54 |
| 1998 | 60 |
| 1999 | 73 |
| 2000 | 82 |
| 2001 | 95 |
| 2002 | 107 |
| 2003 | 99 |
| 2004 | 95 |

Number of Franchises, 1996-2004


## Exploring Multidimensional Data

- Can be used to discover possible patterns and $A$ relationships.
- Simple applications used to create summary or contingency tables
- Can also be used to change and / or add variables to a table
- All of the examples that follow can be created using Sections EG2.3 and EG2.7 or MG2.3 and MG2.7


## Pivot Table Version of

## Contingency Table For Bond Data DCOV

## First Six Data Points In The Bond Data SeA



## Can Easily Convert To An Overall Percentages Table

|  | A | B | C | D |
| :--- | :--- | :--- | :--- | :--- |
| 1 | Contingency Table of Type and Percentages of Fees |  |  |  |
| 2 |  |  |  |  |
| 3 | Count of Fees | Fees | $-\downarrow$ |  |
| 4 | Type | Yes | No | Grand Total |
| 5 | Intermediate Government | $18.48 \%$ | $28.80 \%$ | $47.28 \%$ |
| 6 | Short Term Corporate | $10.87 \%$ | $41.85 \%$ | $52.72 \%$ |
| 7 | Grand Total | $29.35 \%$ | $70.65 \%$ | $100.00 \%$ |

Intermediate government funds are much more likely to charge a fee.

## Can Easily Add Variables To An Existing Table

| 4 | A | B | C | D | E |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Multidimensional Contingency Table of Type, Risk, and Fees |  |  |  |  |
| 2 |  |  |  |  |  |
| 3 | Count of Fees |  | Fees - ${ }^{+}$ |  |  |
| 4 | Type $\rightarrow$ | Risk $\quad$ | Yes | No | Grand Total |
| 5 | $\Xi$ Intermediate Government | Above average | 15 | 14 | 29 |
| 6 |  | Average | 13 | 19 | 32 |
| 7 |  | Below average | 6 | 20 | 26 |
| 8 | Intermediate Government Total |  | 34 | 53 | 87 |
| 9 | $\square$ Short Term Corporate | Above average | 7 | 23 | 30 |
| 10 |  | Average | 7 | 30 | 37 |
| 11 |  | Below average | 6 | 24 | 30 |
| 12 | Short Term Corporate Total |  | 20 | 77 | 97 |
| 13 | Grand Total |  | 54 | 130 | 184 |

## Is the pattern of risk the same for all combinations of fund type and fee charge?

| Statistic Displayed |  |  |  | DCOV |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | $\wedge$ |
| 1 | A | B | C | D |
| 1 | Contingency Table of Type, and Fees, and Sums of Assets |  |  |  |
| 2 |  |  |  |  |
| 3 | Sum of Assets | Fees - $\downarrow$ |  |  |
| 4 | Type | Yes | No | Grand Total |
| 5 | Intermediate Government | 26252.7 | 56692.2 | 82944.9 |
| 6 | Short Term Corporate | 16842.1 | 67772.3 | 84614.4 |
| 7 | Grand Total | 43094.8 | 124464.5 | 167559.3 |

This table computes the sum of a numerical variable (Assets) for each of the four groupings and shows a total for each row and column.

## Tables Can Compute \& Display Other Descriptive Statistics

DCOV

| 4 | A | B | C | D | E |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Contingency Table of Type, Risk, Fees and Means of 2009 Return |  |  |  |  |
| 2 |  |  |  |  |  |
| 3 | Average of Return 2009 |  | Fees - + |  |  |
| 4 | Type | Risk $\quad$ | Yes | No | Grand Total |
| 5 | $\Theta$ Intermediate Government | Above average | 4.89 | 1.41 | 3.21 |
| 6 |  | Average | 3.39 | 3.74 | 3.60 |
| 7 |  | Below average | 5.98 | 7.17 | 6.90 |
| 8 | Intermediate Government Total |  | 4.51 | 4.42 | 4.45 |
| 9 | $\square$ Short Term Corporate | Above average | 15.99 | 12.42 | 13.25 |
| 10 |  | Average | 9.87 | 9.66 | 9.70 |
| 11 |  | Below average | 6.53 | 5.63 | 5.81 |
| 12 | Short Term Corporate Total |  | 11.01 | 9.23 | 9.60 |
| 13 | Grand Total |  | 6.92 | 7.27 | 7.16 |

This table computes and displays averages of 3-year return for each of the twelve groupings.

## Principles of Excellent Graphs

- The graph should not distort the data.
- The graph should not contain unnecessary adornments (sometimes referred to as chart junk).
- The scale on the vertical axis should begin at zero.
- All axes should be properly labeled.
- The graph should contain a title.
- The simplest possible graph should be used for a given set of data.


## Graphical Errors: Chart Junk

Bad Presentation
Minimum Wage


## Good Presentation

Minimum Wage

$1960 \quad 1970 \quad 1980 \quad 1990$

## Graphical Errors: Chart Junk, Can You Identify The Junk?

DCOV

## Bad Presentation

## Coke still has most fizz

## Coke Classic 20\%

Soft Drink Brand Market Share


## Graphical Errors: Chart Junk, Can You Identify The Junk?

DCOV

## Bad Presentation

## Good PresentatioA

## We're drinking more . . .

Australian wine exports to the U.S.
in millions of gallons


Australian Wine Exports to the U.S.


# Graphical Errors: Chart Junk, Can You Identify The Junk? 

DCOV
...they're growing more...
Amount of land planted with grapes for the wine industry


997-1998 243,644 acres

# Graphical Errors: <br> No Relative Basis 

DCOV A

Bad Presentation
A's received by students.
\%
30\%


FR = Freshmen, SO = Sophomore, JR = Junior, SR = Senior

## Graphical Errors: Compressing the Vertical Axis

## Bad Presentation

Quarterly Sales
200


Q1 $\quad$ Q2 $\quad$ Q3 $\quad$ Q4

## Quarterly Sales

50


Q1 Q2 Q3 Q4

## Graphical Errors: No Zero Point on the Vertical Axis

Bad Presentation
Monthly Sales


## Good Presentations



Graphing the first six months of sales

## In Excel It Is Easy To

## Inadvertently Create Distortions

- Excel often will create a graph where the vertical axis does not start at 0
- Excel offers the opportunity to turn simple charts into 3-D charts and in the process can create distorted images
- Unusual charts offered as choices by Excel will most often create distorted images


## Chapter Summary

## In this chapter, we have

- Discussed sources of data used in business
- Organized categorical data using a summary table or a contingency table.
- Organized numerical data using an ordered array, a frequency distribution, a relative frequency distribution, a percentage distribution, and a cumulative percentage distribution.
- Visualized categorical data using the bar chart, pie chart, and Pareto chart.
- Visualized numerical data using the stem-and-leaf display, histogram, percentage polygon, and ogive.
- Developed scatter plots and time-series graphs.
- Looked at examples of the use of Pivot Tables in Excel for multidimensional data.
- Examined the do's and don'ts of graphically displaying data.

1. An insurance company evaluates many numerical variables about a person before deciding on an appropriate rate for automobile insurance. A representative from a local insurance agency selected a random sample of insured drivers and recorded, $X$, the number of claims each made in the last 3 years, with the following results.

$$
\begin{array}{ll} 
& \underline{X} \underline{f} \\
1 & 14 \\
2 & 18 \\
3 & 12 \\
4 & 5 \\
5 & 1
\end{array}
$$

1. Referring to Table 2-1, how many drivers are represented in the sample? ( )
2. Referring to Table 2-1, how many total claims are represented in the sample? )
3. A type of vertical bar chart in which the categories are plotted in the descending rank order of the magnitude of their frequencies is called a ( )
4. The width of each bar in a histogram corresponds to the( ) a) differences between the boundaries of the class. b) number of observations in each class.
c) midpoint of each class.
d) percentage of observations in each class.
5. When constructing charts, the following is plotted at the class midpoints:
A. frequency histograms.
B. percentage polygons.
C. cumulative relative frequency ogives.
D. All of the above.

## COUNTIF (range, criteria)

# Active Learning Lecture Slides For use with Classroom Response Systems 

## Business Statistics: <br> A First <br> Course

Which of the following always displays percentages rather than counts?
A. Frequency table
B. Bar chart
C. Relative frequency table
D. Contingency table

Which of the following always displays percentages rather than counts?
A. Frequency table
B. Bar chart
C. Relative frequency table
D. Contingency tabie

Which of the following gives the best visual of how a whole group is partitioned into several categories?
A. Bar chart
B. Frequency distribution
C. Pie chart
D. Contingency table

Which of the following gives the best visual of how a whole group is partitioned into several categories?
A. Bar chart
B. Frequency distribution
C. Pie chart
D. Contingency table

The following is a breakdown of TV viewers during the Super Bowl in 2007.

|  | Male | Female | Total |
| :--- | :---: | :---: | :---: |
| Game | 279 | 200 | 479 |
| Commercials | 81 | 156 | 237 |
| Won't Watch | 132 | 160 | 292 |
| Total | 492 | 516 | 1008 |

What percentage of viewers was male:
A. $19.8 \%$
B. 47.5\%
C. $48.8 \%$
D. 27.7\%

The following is a breakdown of TV viewers during the Super Bowl in 2007.

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| Total | 492 | 516 | 1008 |

What percentage of viewers watched the commercials only?
A. $8.0 \%$
B. 23.5\%
C. $58.2 \%$
D. $27.7 \%$

The following is a breakdown of TV viewers during the Super Bowl in 2007.

|  | Male | Female | Total |
| :--- | :---: | :---: | :---: |
| Game | 279 | 200 | 479 |
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| Won't Watch | 132 | 160 | 292 |
| Total | 492 | 516 | 1008 |

What percentage of viewers watched the commercials only?
A. $8.0 \%$
B. 23.5\%
D. $27.7 \%$

The following is a breakdown of TV viewers during the Super Bowl in 2007.

|  | Male | Female | Total |
| :--- | :---: | :---: | :---: |
| Game | 279 | 200 | 479 |
| Commercials | 81 | 156 | 237 |
| Won't Watch | 132 | 160 | 292 |
| Total | 492 | 516 | 1008 |

Of the viewers who did not watch the Super Bowl, what percentage was male?
A. $45.2 \%$
B. $\mathbf{4 8 . 8 \%}$
C. 26.8\%
D. $27.7 \%$

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Of the viewers who did not watch the Super Bowl, what percentage was male?

C. $26.8 \%$
D. $\mathbf{2 7 . 7 \%}$

In a contingency table, when the distribution of one variable is the same for all categories of another, we say the variables are
A. separate.
$B$. independent.
C. distinct.
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## You should use a histogram to display categorical data.

## A. True

## B. False

## You should use a histogram to display categorical data.

A. True
B. False


