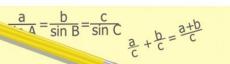


f(x) k		$x^n, n \neq -1$	$\frac{1}{x}$	$\sin x$	$\cos x$
F(x)	kx	$\frac{x^{n+1}}{n+1}$	$\ln x $	$\ln x - \cos x$	
f(x)	e^x	a^x $\frac{1}{}$	\sqrt{x}	1	1

f(x)	e^x	a^x	$\frac{1}{\sqrt{x}}$	\sqrt{x}	$\frac{1}{\sin^2 x}$	$\frac{1}{\cos^2 x}$
F(x)	e^x	$\frac{a^x}{\ln a}$	$2\sqrt{x}$	$\frac{2}{3}\sqrt{x^3}$	-ctgx	tgx



105 0 00



 $(x+y)(x-y) = x^2 - y^2$

y=sin 90

$$f(x) \quad k \quad x^{n}, n \neq -1 \quad \frac{1}{x} \quad \sin x \quad \cos x$$

$$F(x) \quad kx \quad \frac{x^{n+1}}{n+1} \quad \ln|x| \quad -\cos x \quad \sin x$$

$$f(x) \quad e^{x} \quad a^{x} \quad \frac{1}{\sqrt{x}} \quad \sqrt{x} \quad \frac{1}{\sin^{2} x} \quad \frac{1}{\cos^{2} x}$$

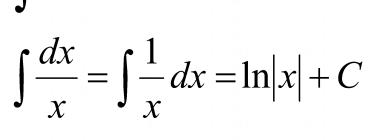
$$F(x) \quad e^{x} \quad \frac{a^{x}}{\ln a} \quad 2\sqrt{x} \quad \frac{2}{3}\sqrt{x^{3}} \quad -ctgx \quad tgx$$

$$\int 9dx = 9x + C$$

$$\int \sqrt{5}dx = x\sqrt{5} + C$$

$$\int dx = x + C$$

$$\int 4^x dx = \frac{4^x}{\ln 4} + C$$

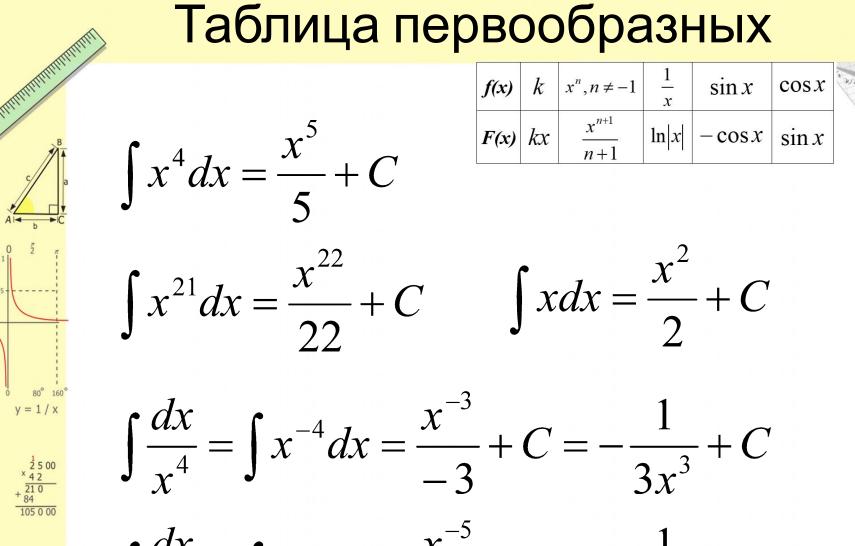


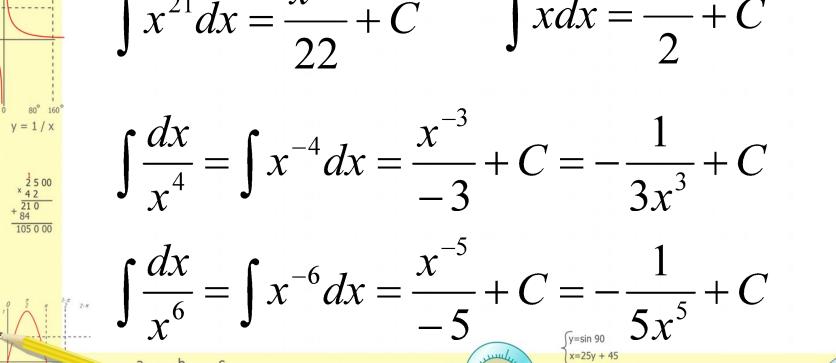
$$\int 7^x dx = \frac{7^x}{\ln 7} + C$$

$$\int \frac{dx}{\cos^2 x} = \int \frac{1}{\cos^2 x} dx = tgx + C$$







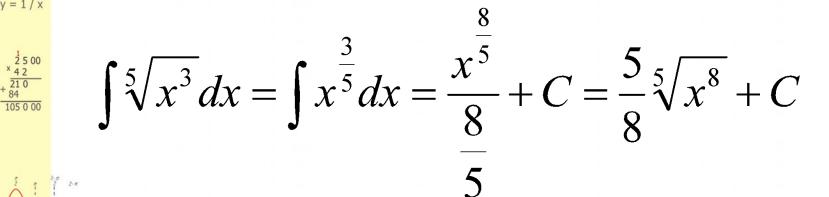


 $\frac{a}{\sin B} = \frac{c}{\sin C}$ $\frac{a}{c} + \frac{b}{c} = \frac{a+b}{c}$ $(x+y)(x-y) = x^2 - y^2$

$$f(x) \quad k \quad x^{n}, n \neq -1 \quad \frac{1}{x} \quad \sin x \quad \cos x$$

$$F(x) \quad kx \quad \frac{x^{n+1}}{n+1} \quad \ln|x| \quad -\cos x \quad \sin x$$

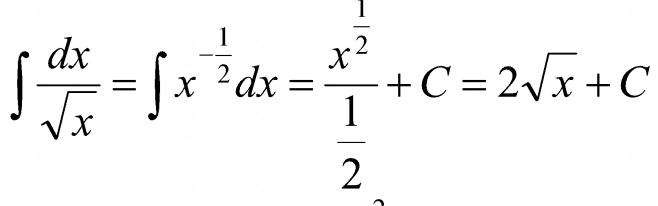
$$\int \sqrt{x} dx = \int x^{\frac{1}{2}} dx = \frac{x^{\frac{3}{2}}}{\frac{3}{2}} + C = \frac{2}{3} \sqrt{x^3} + C$$

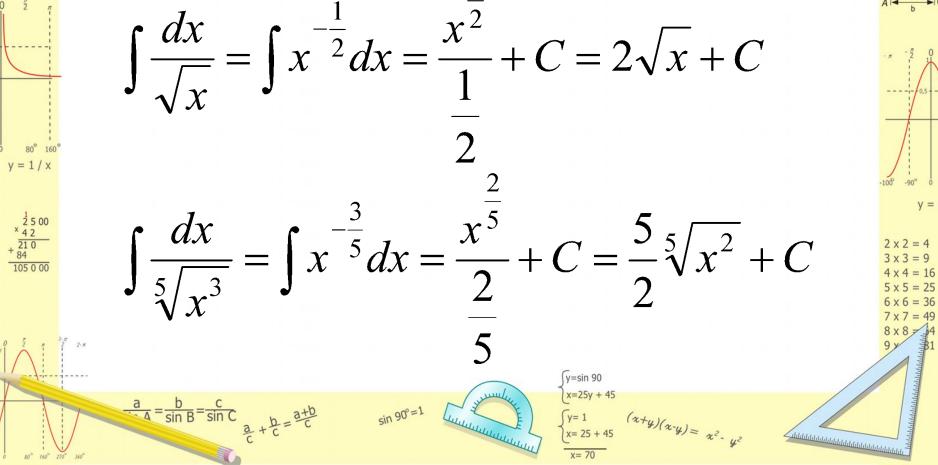


 $\frac{a}{a} = \frac{b}{\sin B} = \frac{c}{\sin C}$ $\frac{a}{c} + \frac{b}{c} = \frac{a+b}{c}$ $\sin 90^{\circ} = 1$ $\lim_{x \to 2.5} (x+y)(x-y) = x^{2} - y^{2}$ $\lim_{x \to 70} (x+y)(x-y) = x^{2} - y^{2}$

$$f(x) \quad k \quad x^{n}, n \neq -1 \quad \frac{1}{x} \quad \sin x \quad \cos x$$

$$F(x) \quad kx \quad \frac{x^{n+1}}{n+1} \quad \ln|x| \quad -\cos x \quad \sin x$$



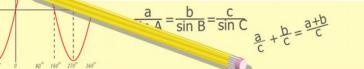


$$\int (f(x) + g(x))dx = \int f(x)dx + \int g(x)dx$$

$$\int kf(x)dx = k \int f(x)dx$$

$$\int f(kx+b)dx = \frac{1}{k}F(kx+b) + C$$

$$\int f(kx+b)dx = \frac{1}{k}F(kx+b) + C$$



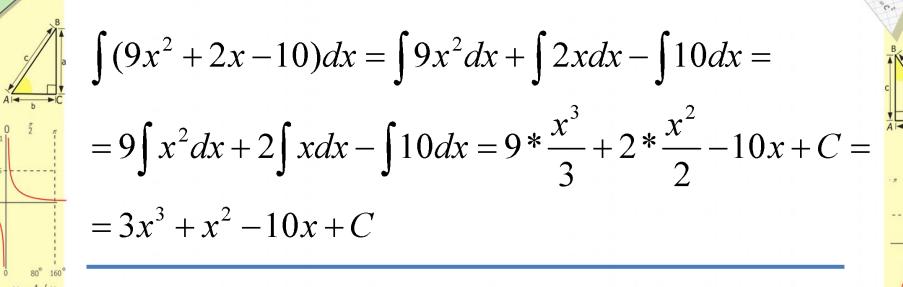
n 90°=1



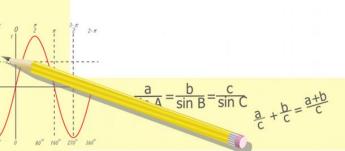
Правила интегрирования
$$\int (f(x)+g(x))dx = \int f(x)dx + \int g(x)dx$$

$$\int kf(x)dx = k \int f(x)dx$$

$$\int (9x^2 + 2x - 10)dx - \int 9x^2 dx + \int 2x dx - \int 10 dx -$$



$$\int_{\frac{\frac{1}{2}500}{\frac{42}{84}}}^{\frac{1}{2}500} \int (5e^x - 3\sin x + 1)dx = 5\int e^x dx - 3\int \sin x dx + \int dx = 5e^x - 3(-\cos x) + x + C = 5e^x + 3\cos x + x + C$$

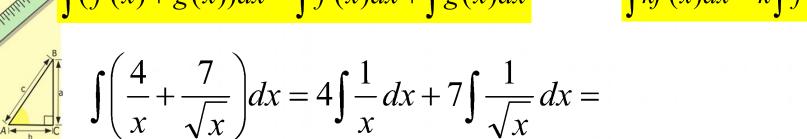


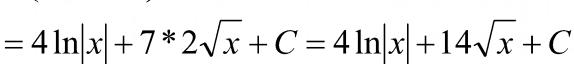




$$\int (f(x) + g(x))dx = \int f(x)dx + \int g(x)dx$$

$$\int kf(x)dx = k \int f(x)dx$$





$$\frac{5}{4}$$

$$\int \left(\frac{3}{x^4} - 10^4 \sqrt{x}\right) dx = 3 \int x^{-4} dx - 10 \int x^{\frac{1}{4}} dx = 3 * \frac{x^{-3}}{-3} - 10 * \frac{x^{\frac{5}{4}}}{5} + C = \frac{10}{4}$$

$$=-x^{-3}-10*\frac{4}{5}x^{\frac{5}{4}}+C=-\frac{1}{x^{3}}-8\sqrt[4]{x^{5}}+C$$



$$\int f(kx+b)dx = \frac{1}{k}F(kx+b) + C$$

$$\begin{vmatrix} kx+b = 3x-1, k=3 \\ 1 + (3x-1)^5 \end{vmatrix} = (3x-1)^5$$

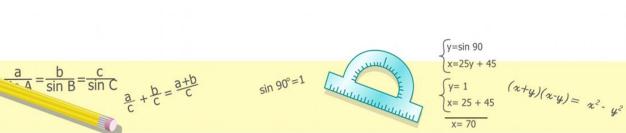
$$\int (3x-1)^4 dx = \begin{vmatrix} kx+b=3x-1, k=3 \\ f(t)=t^4 \Rightarrow F(t)=\frac{t^5}{5} \end{vmatrix} = \frac{1}{3} * \frac{(3x-1)^5}{5} + C = \frac{(3x-1)^5}{15} + C$$

$$\int \cos 4x dx = \begin{vmatrix} kx + b = 4x, k = 4 \\ f(t) = \cos t \Rightarrow F(t) = \sin t \end{vmatrix} = \frac{1}{4} * \sin 4x + C$$

$$\begin{vmatrix} kx + b = 6x + 5, k = 6 \\ \end{vmatrix}$$

$$\int \sqrt{6x+5} dx = \begin{vmatrix} kx+b=6x+5, k=6 \\ f(t)=\sqrt{t} \Rightarrow F(t) = \frac{2}{3}\sqrt{t^3} \end{vmatrix} = \frac{1}{6} * \frac{2}{3}\sqrt{(6x+5)^3} + C =$$

$$= \frac{1}{9}\sqrt{(6x+5)^3} + C$$



$$\int f(kx+b)dx = \frac{1}{k}F(kx+b) + C$$

$$\pi \int_{-\infty}^{\infty} dx = \frac{1}{k}F(kx+b) + C$$

$$\int \sin\left(\frac{x}{2} - \frac{\pi}{5}\right) dx = \begin{vmatrix} kx + b = \frac{x}{2} - \frac{\pi}{5}, k = \frac{1}{2} \\ f(t) = \sin t \Rightarrow F(t) = -\cos t \end{vmatrix} = -2 * \cos\left(\frac{x}{2} - \frac{\pi}{5}\right) + C$$

$$\int \frac{dx}{3-2x} = \begin{vmatrix} kx+b = -2x+3, & k = -2 \\ f(t) = \frac{1}{t} \Rightarrow F(t) = \ln|t| \end{vmatrix} = -\frac{1}{2} * \ln|3-2x| + C$$

$$\int_{\substack{\frac{1}{2}500 \\ \frac{42}{105000}}}^{\frac{1}{2}500} \int_{\frac{42}{105000}}^{\frac{1}{2}500} \int_{\frac{80}{105000}}^{\frac{1}{2}500} \left| f(t) = \frac{1}{t^5} = t^{-5} \Rightarrow F(t) = \frac{t^{-4}}{-4} = -\frac{1}{4t^4} \right| = \frac{1}{4t^4}$$

$$= -\frac{1}{2} * \left(-\frac{1}{4(3-2x)^4} \right) + C = \frac{1}{8(3-2x)^4} + C$$

$$= \frac{1}{8(3-2$$

$$\int f(kx+b)dx = \frac{1}{k}F(kx+b) + C$$

$$\int f(kx+b)dx = ||f(kx+b)|| dx = ||f(kx+$$

$$\int e^{5x+3} dx = \begin{vmatrix} kx+b=5x+3, k=5 \\ f(t)=e^t \Rightarrow F(t)=e^t \end{vmatrix} = \frac{1}{5} *e^{5x+3} + C$$

$$\int 8^{5x+3} dx = \begin{vmatrix} kx+b=5x+3, k=5\\ f(t)=8^t \Rightarrow F(t)=\frac{8^t}{\ln 8} = \frac{1}{5} * \frac{8^{5x+3}}{\ln 8} + C = \frac{8^{5x+3}}{5\ln 8} + C$$

$$\int \frac{\frac{x^{\frac{1}{2}500}}{x^{\frac{1}{210}}}}{\cos^{2}\frac{x}{4}} = \begin{vmatrix} kx + b = \frac{x}{4}, k = \frac{1}{4} \\ f(t) = \frac{1}{\cos^{2}t} \Rightarrow F(t) = tgt \end{vmatrix} = 4 * tg \frac{x}{4} + C$$

