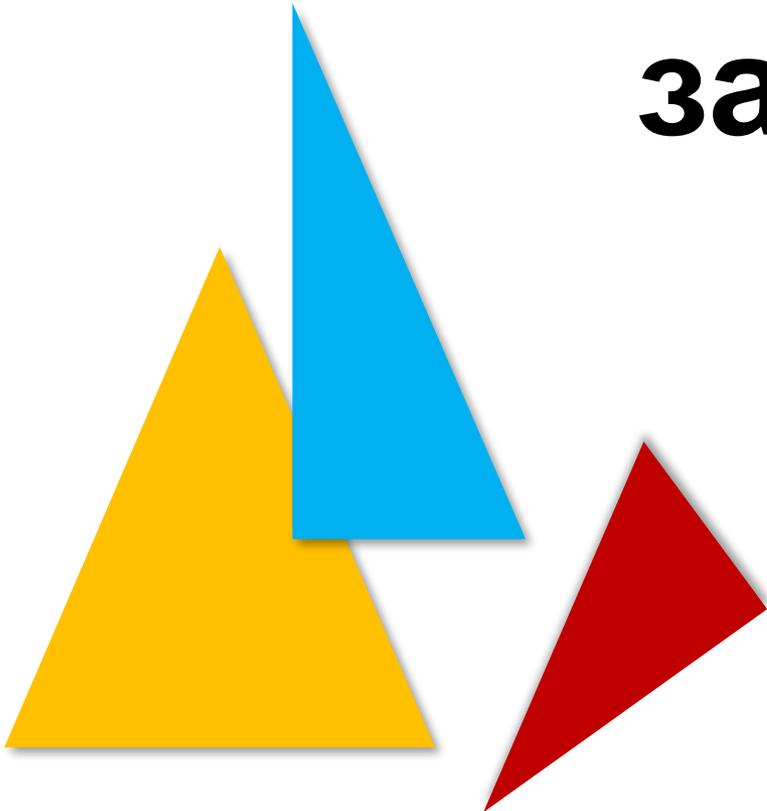
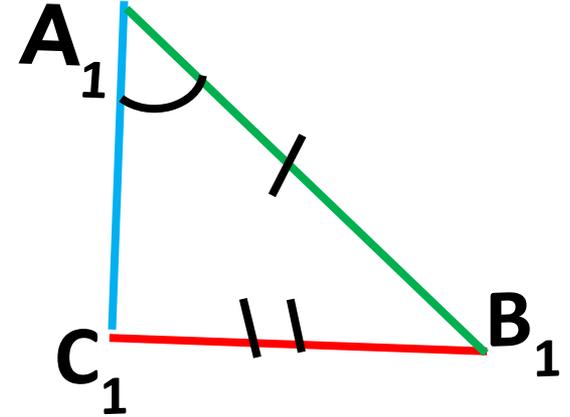
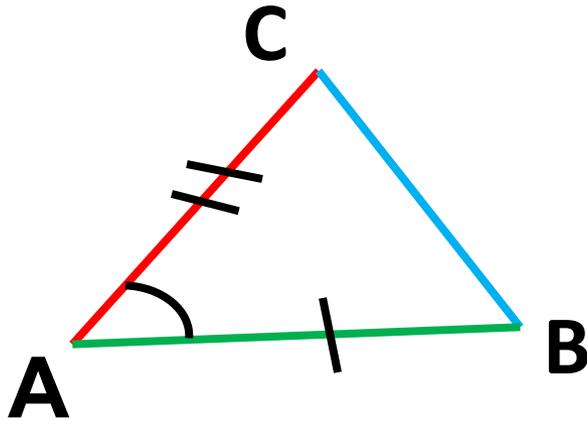


I признак равенства треугольников в задачах

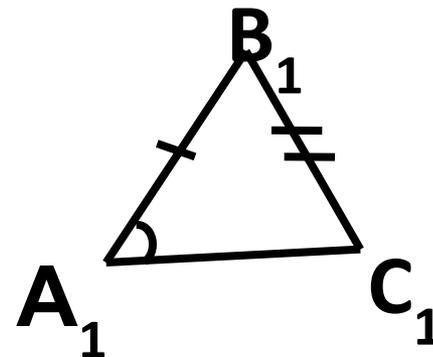
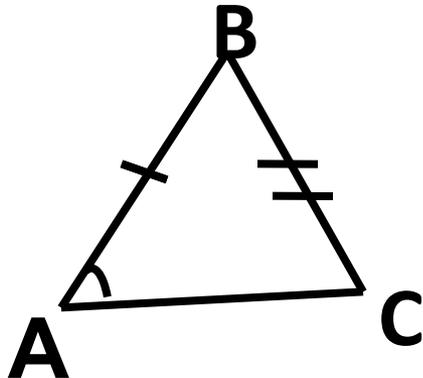


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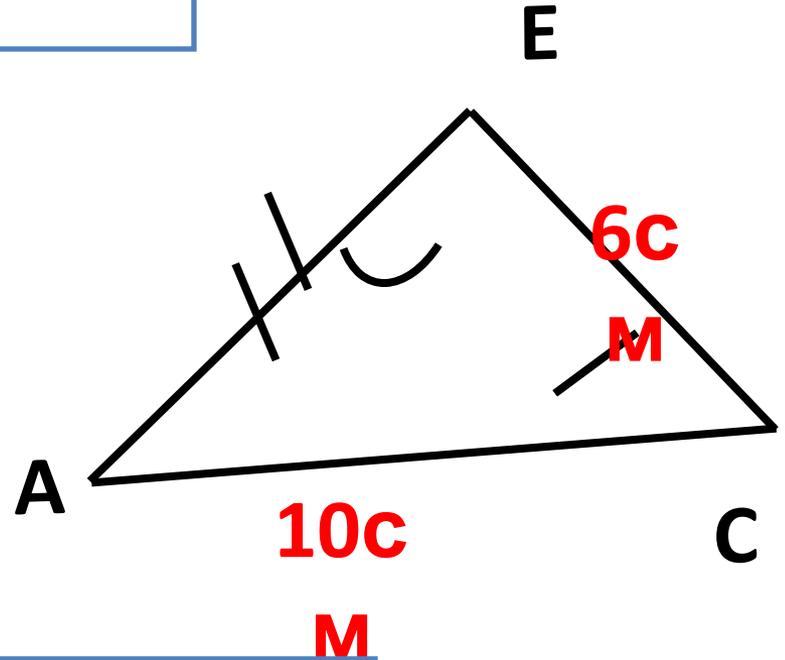
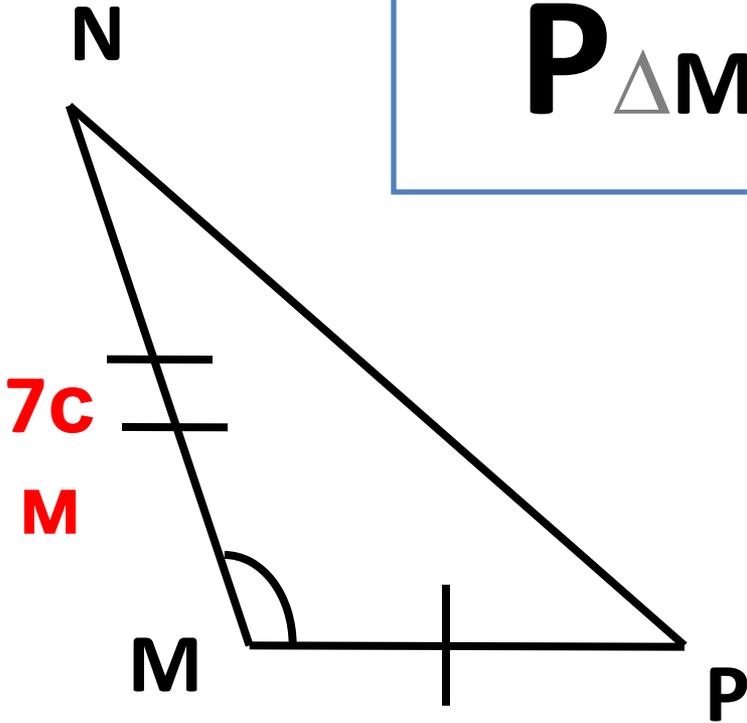
1. Если две стороны и угол одного треугольника равны двум сторонам и углу другого треугольника, то такие треугольники равны?



Можно ли утвердить равенство следующих треугольников?



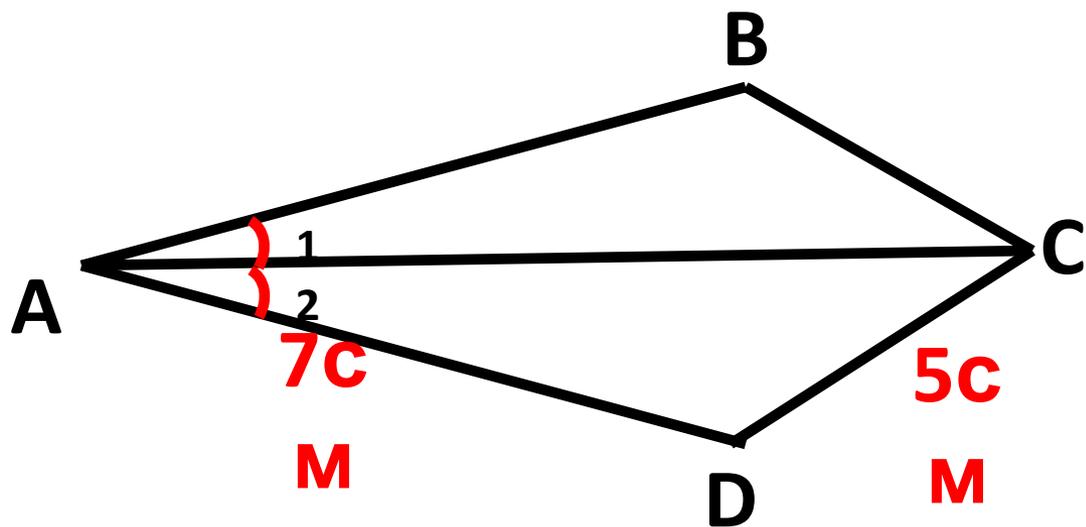
P_{ΔMNP}=?



∠ A=32°
∠ C=50°
∠ M=98°

∠ E= 98°
∠ P= 32°
∠ N= 50°

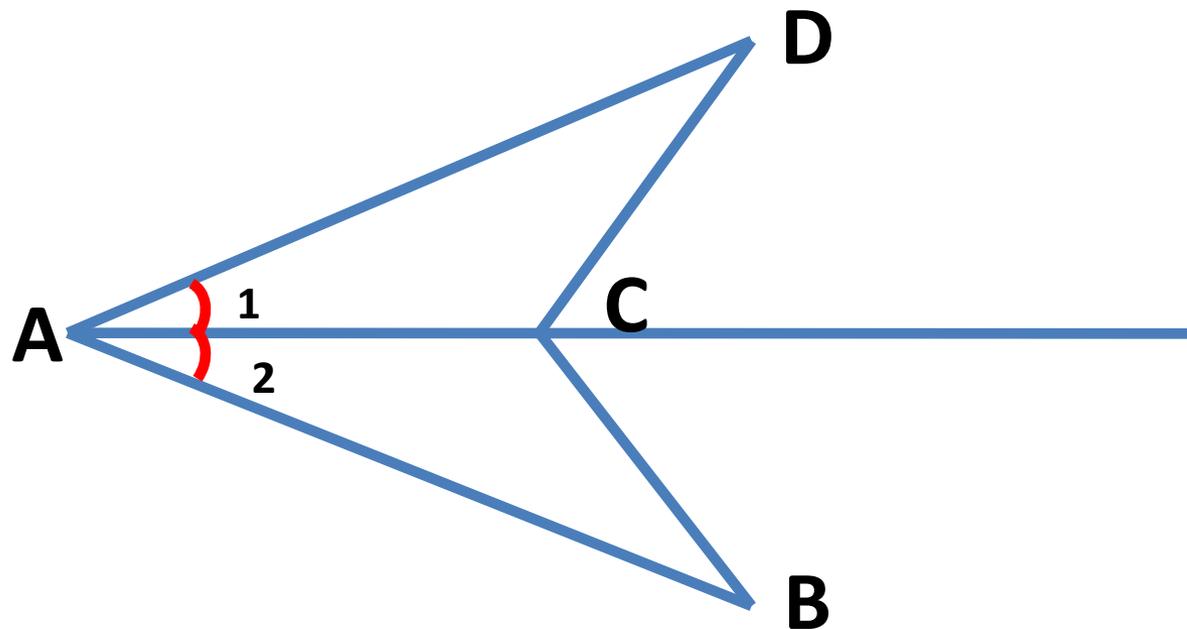
3)



BC = ?

- a) 5 см
- b) 7 см
- c) Недостаточно данных

4)



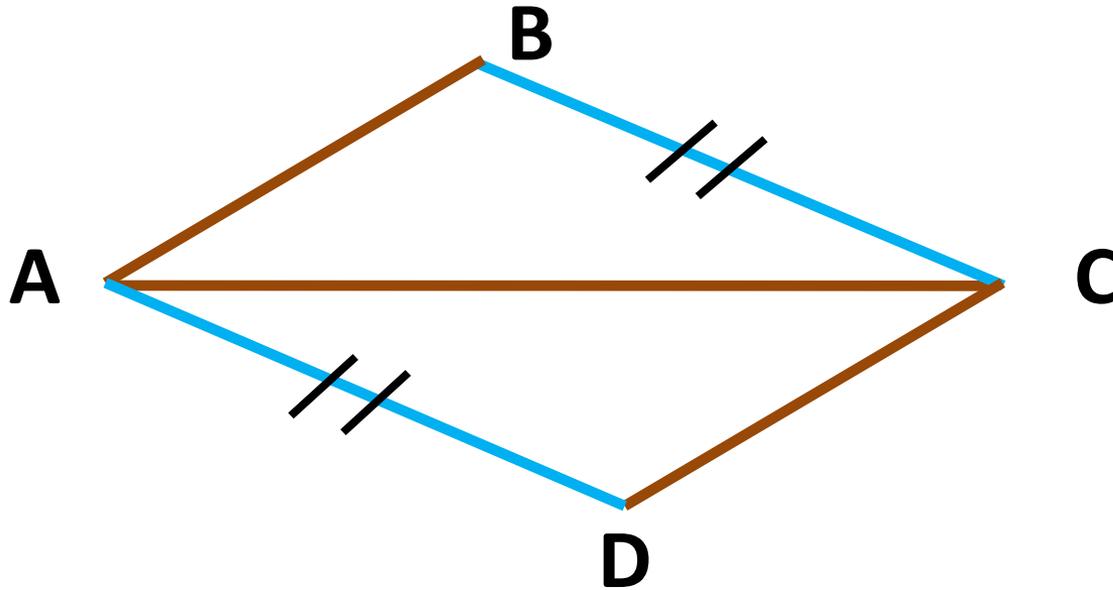
Дано:

$$\angle 1 = \angle 2$$

Доказать:

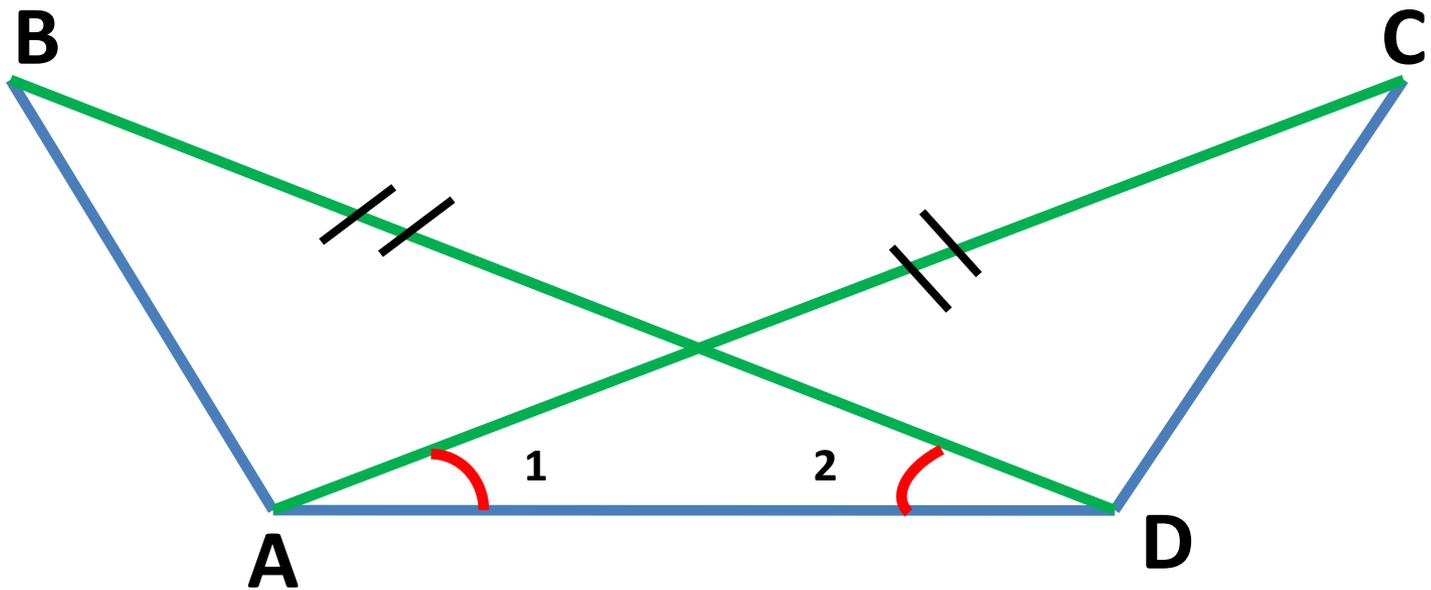
$$\triangle ADC = \triangle ABC$$

5)



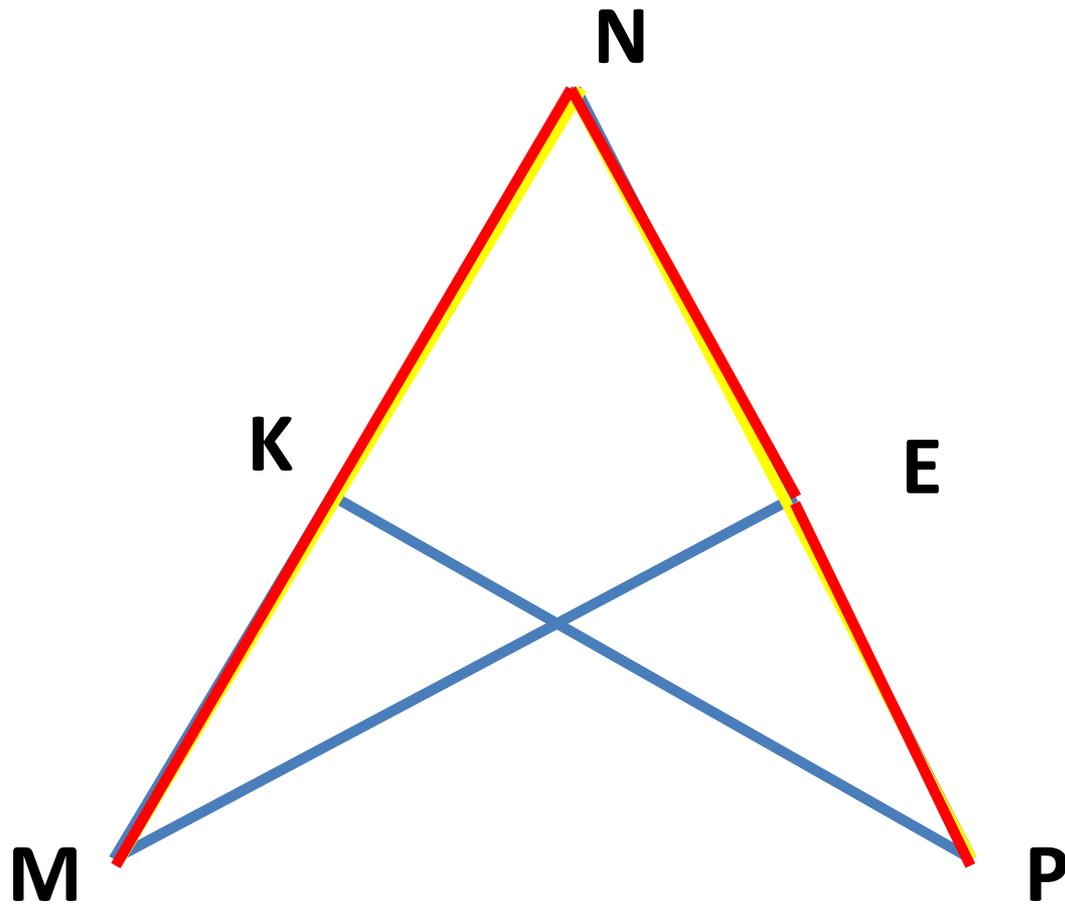
Дано:
 $AD = BC$

Доказать:
 $\triangle ABC = \triangle ADC$



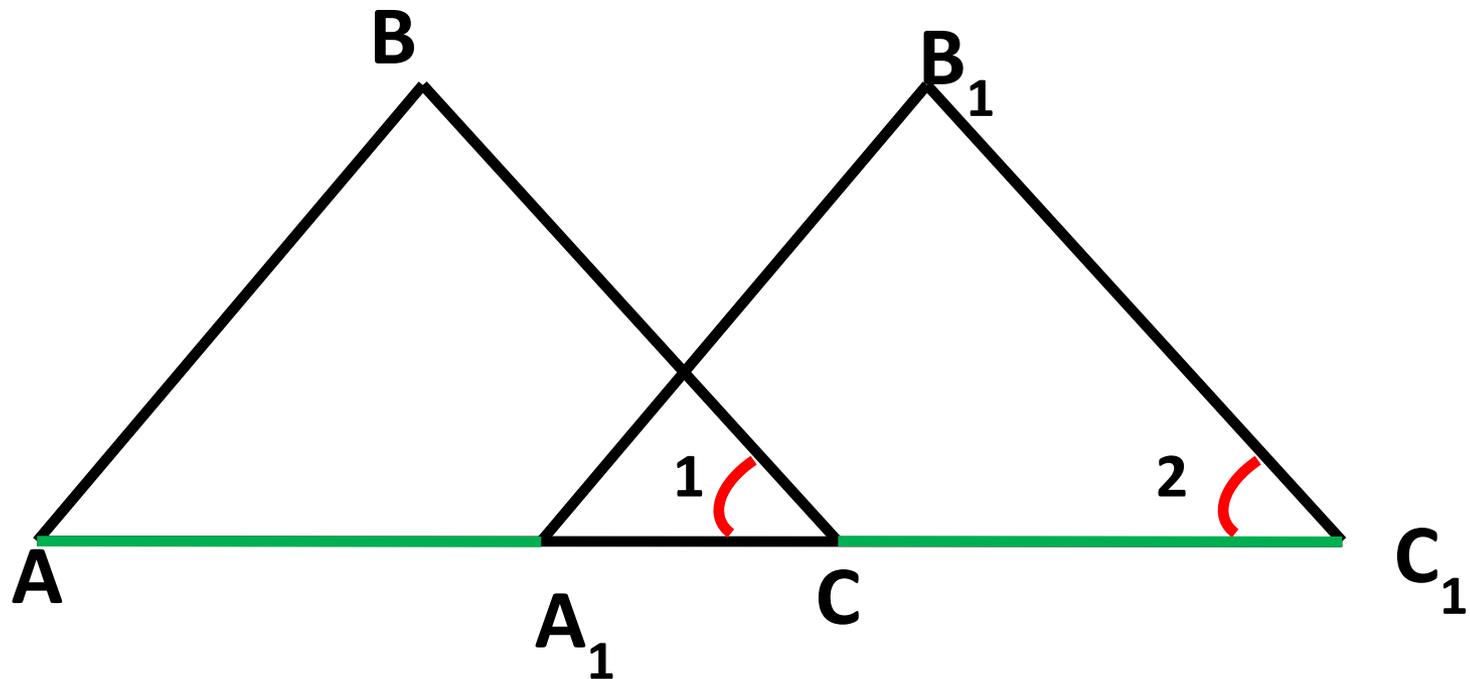
Дано:
 $AC=BD$
 $\angle 1 = \angle 2$

Доказать:
 $\triangle ABD = \triangle ACD$



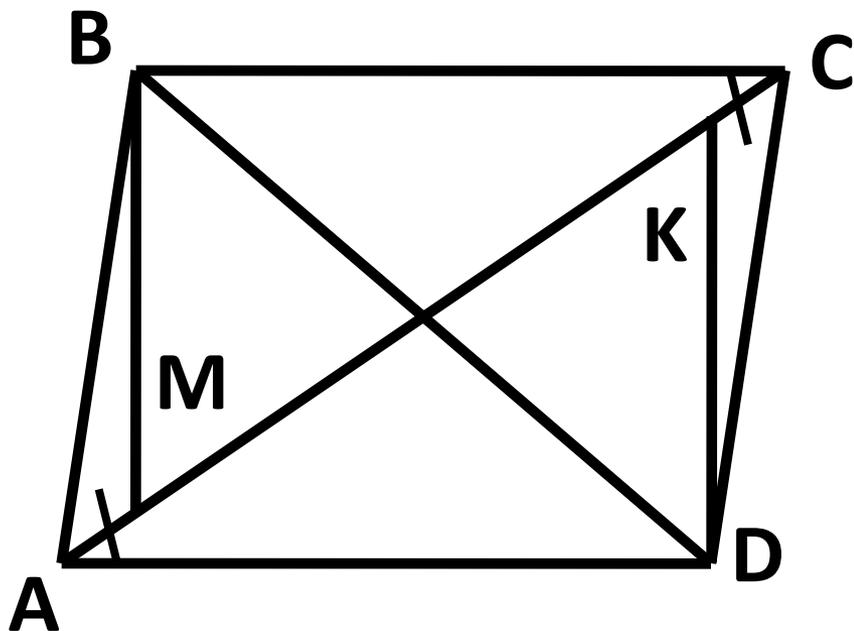
Дано:
 $NM=NP$
 $KM=EP$

Доказать:
 $\triangle NME = \triangle NPK$



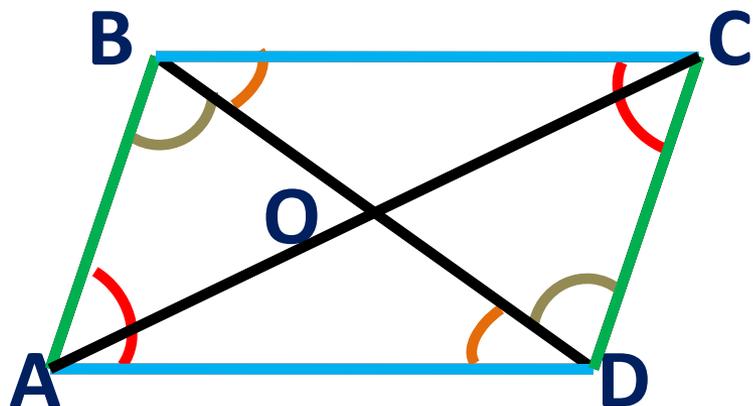
Дано:
 $AA_1 = CC_1$
 $\angle 1 = \angle 2$

Доказать:
 $\triangle ABD = \triangle ACD$



Дано:
 $\triangle ABD = \triangle CDB$
 $AM = KC$

Доказать:
 $\triangle ABM = \triangle CDK$



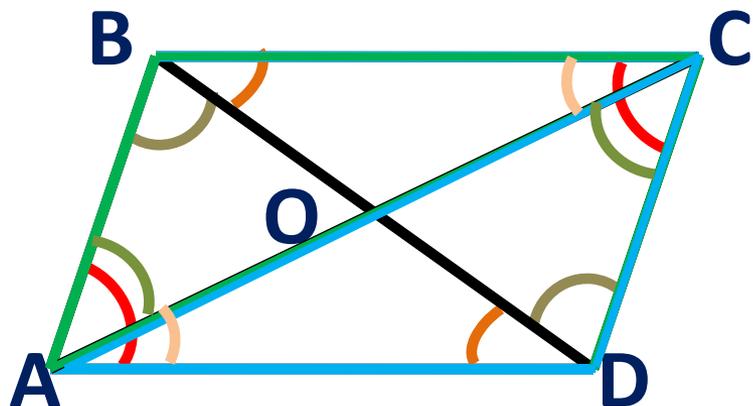
Дано:
 $\triangle ABD = \triangle CBD$

Следствия:

- 1) $AB = \dots CD$
- 2) $AD = \dots BC$
- 3) $\sphericalangle BAD = \dots \sphericalangle BCD$
- 4) $\sphericalangle ABD = \dots \sphericalangle BDC$
- 5) $\sphericalangle ADB = \dots \sphericalangle CBD$
- 6) $\sphericalangle ABC = \dots \sphericalangle ADC$

Обоснования:

- 1) т.к. $\triangle ABD = \dots \triangle CBD$
- 2) т.к. $\dots \triangle ABD \cong \triangle CBD$
- 3) т.к. $\dots \triangle ABD \cong \triangle CBD$
- 4) т.к. $\dots \triangle ABD \cong \triangle CBD$
- 5) т.к. $\dots \triangle ABD \cong \triangle CBD$
- 6) т.к. они
 равносторонние



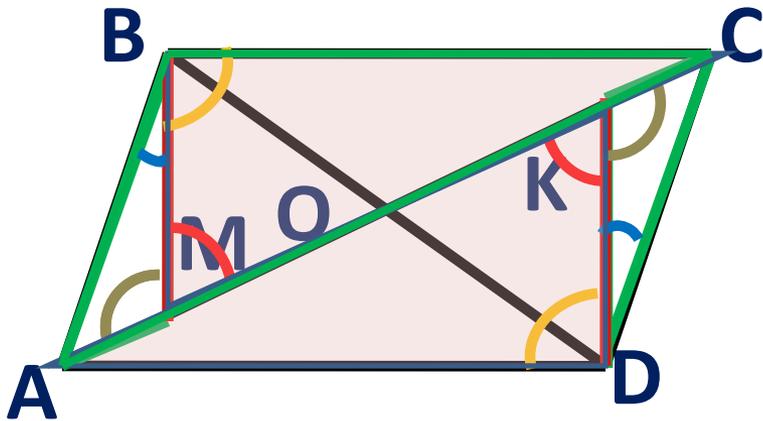
Дано:
 $\triangle ABD = \triangle CBD$

Следствия:

- 7) $\triangle ABC = \dots \triangle ACD$
- 8) $\angle BAC = \dots \angle ACD$
- 9) $\angle BCA = \dots \angle CAD$

Обоснования:

- 7) по 1 признаку
- 8) т.к. $\dots \triangle ABC \dots \triangle ACD$
- 9) т.к. $\dots \triangle ABC \dots \triangle ACD$

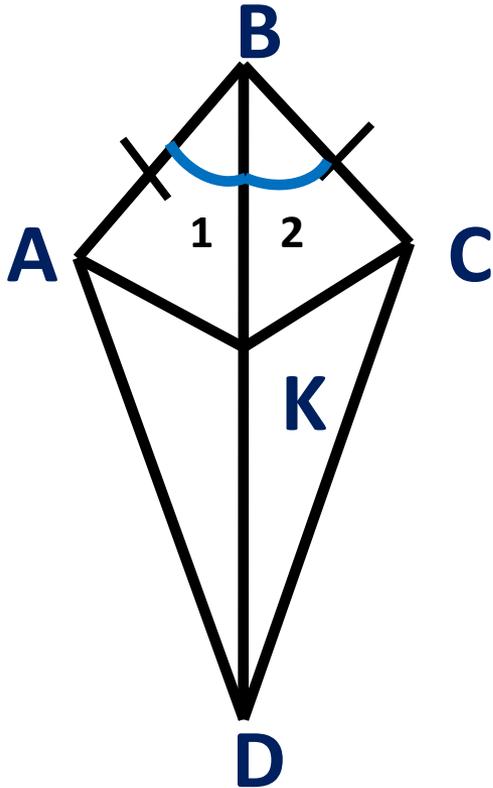


Следствия:

- 11) $\triangle BAM = \dots \triangle DCK$
- 12) $BM = \dots KD$
- 13) $\angle MBV = \dots \angle DKC$
- 14) $\angle BVM = \dots \angle CKD$
- 15) $\angle BMO = \dots \angle DKO$
- 16) $\angle MBC = \dots \angle KDA$
- 17) $\triangle MBC = \dots \triangle KDA$

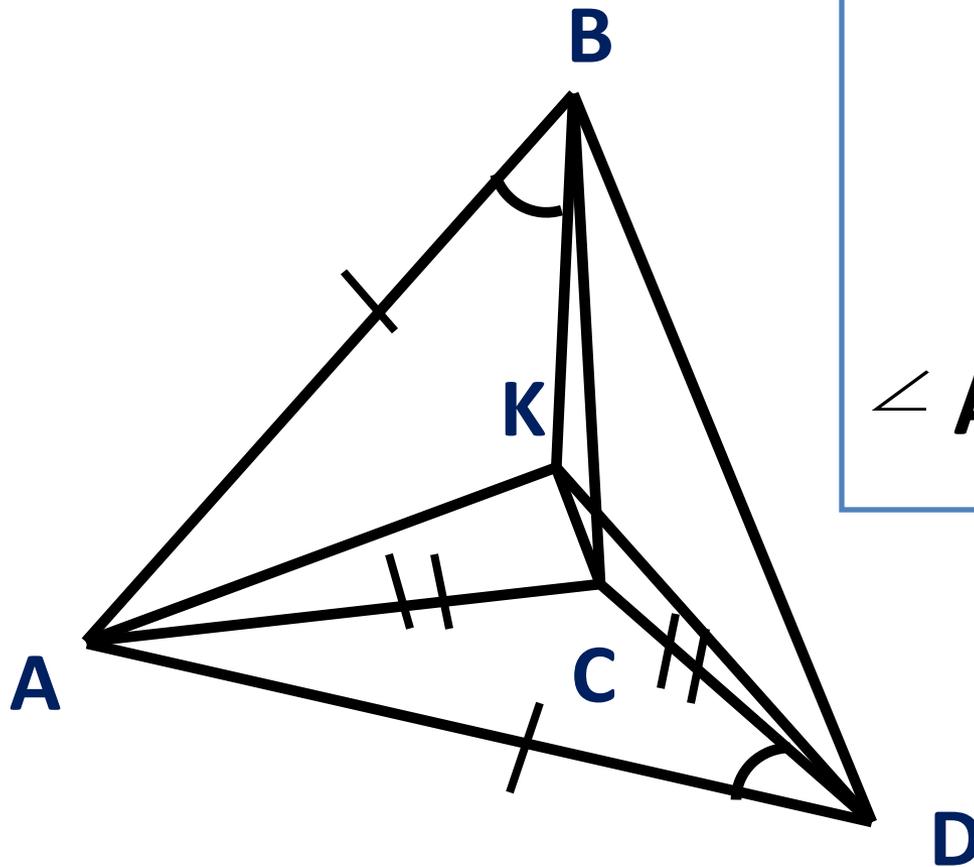
Обоснования:

- 11) Т.К. ... = ...
- 12) Т.К. ... = ...
- 13) Т.К. ... = ...
- 14) Т.К. ... = ...
- 15) Т.К. ... = ...
- 16) Т.К. ... = ...
- 17) Т.К. ... = ...



Дано:
 $AB=BC$
 $\angle 1 = \angle 2$

Доказать:
 $\triangle ADK = \triangle CDK$



Дано:
 $AB=AD$
 $AK=CD$
 $\angle ABK = \angle ADC$