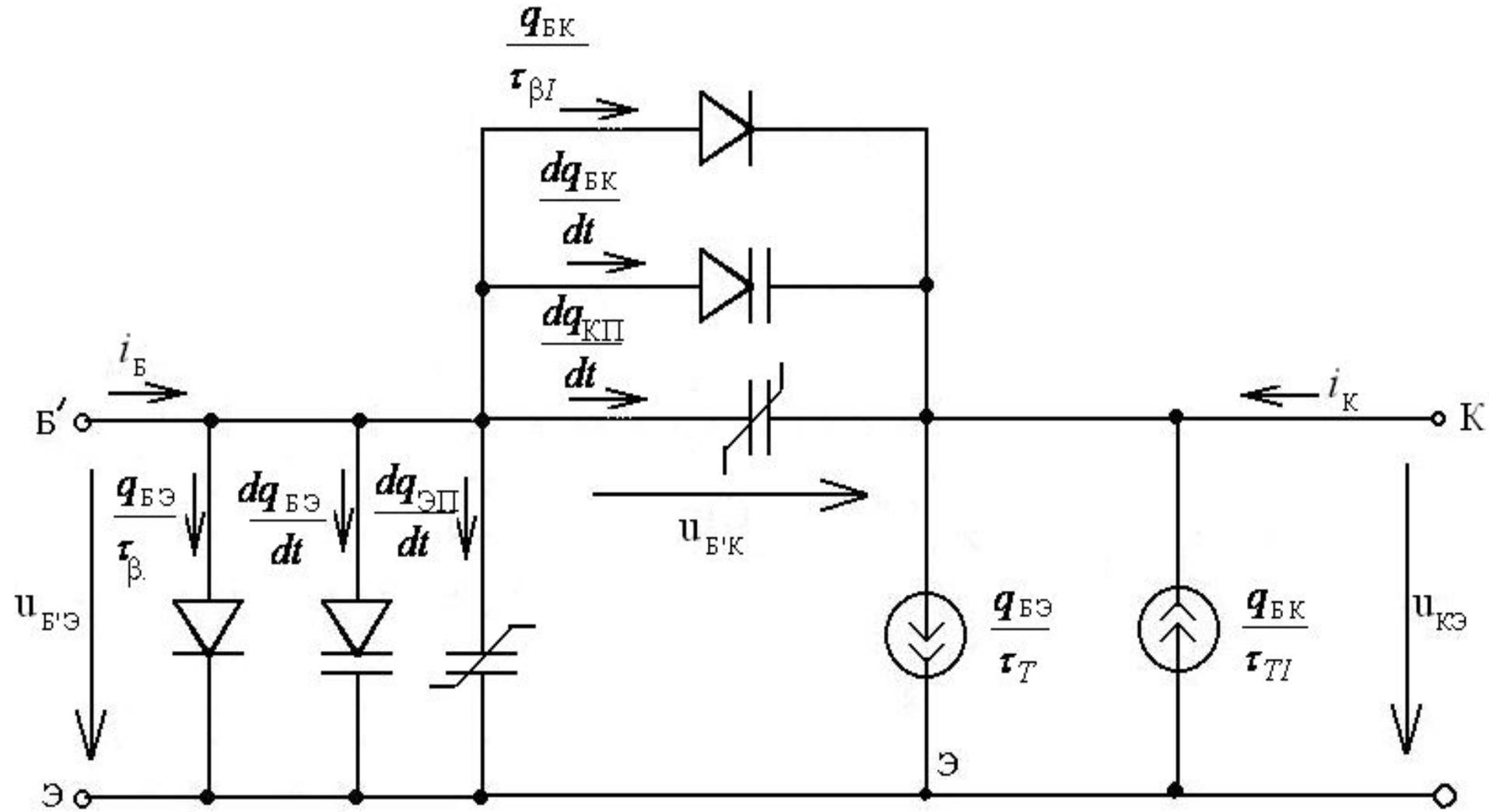


3.6. Зарядовые модели БТ



Уравнения зарядовой модели БТ

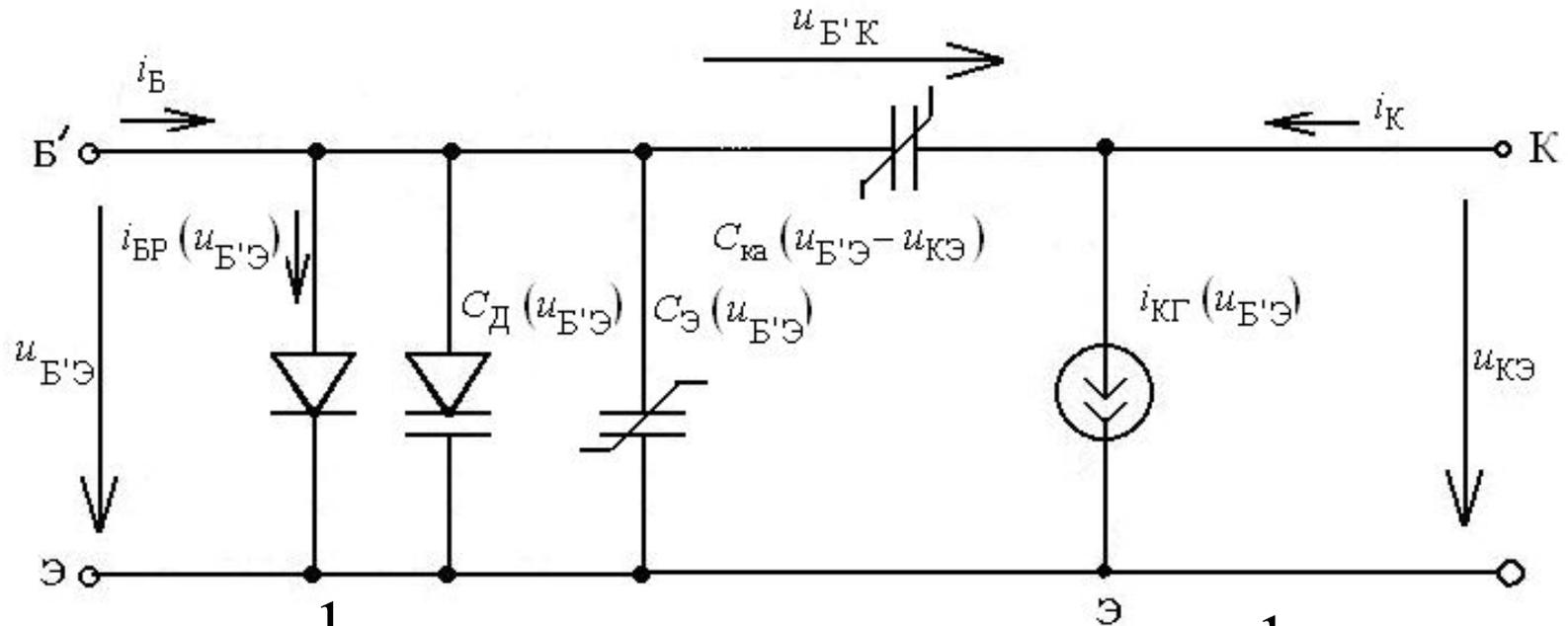
$$i_B = \frac{1}{\tau_\beta} q_{BЭ} + \frac{dq_{BЭ}}{dt} + \frac{dq_{ЭП}}{dt} + \frac{1}{\tau_{\beta I}} q_{BK} + \frac{dq_{BK}}{dt} + \frac{dq_{KP}}{dt}$$

$$i_K = \frac{1}{\tau_T} q_{BЭ} - \left(\frac{1}{\tau_{TI}} + \frac{1}{\tau_{\beta I}} \right) q_{BK} - \frac{dq_{BK}}{dt} - \frac{dq_{KP}}{dt}$$

$$q_{BЭ}(U_{B'Э}) = q_{BЭС} \begin{pmatrix} \frac{U_{B'Э}}{e^{\varphi_T}} & -1 \end{pmatrix} \quad q_{BK}(U_{B'К}) = q_{BKС} \begin{pmatrix} \frac{U_{B'К}}{e^{\varphi_T}} & -1 \end{pmatrix}$$

$$q_{ЭП}(U_{B'Э}) = -q_{ЭП}(0) \left(1 - \frac{U_{B'Э}}{V_{Э0}} \right)^{\gamma_{Э}} \quad q_{KP}(U_{B'К}) = -q_{KP}(0) \left(1 - \frac{U_{B'К}}{V_{K0}} \right)^{\gamma_{К}}$$

Зарядовая модель БТ в АО



$$i_{БР}(u_{B'Э}) = \frac{1}{\tau_{\beta}} q_{БЭ}(u_{B'Э})$$

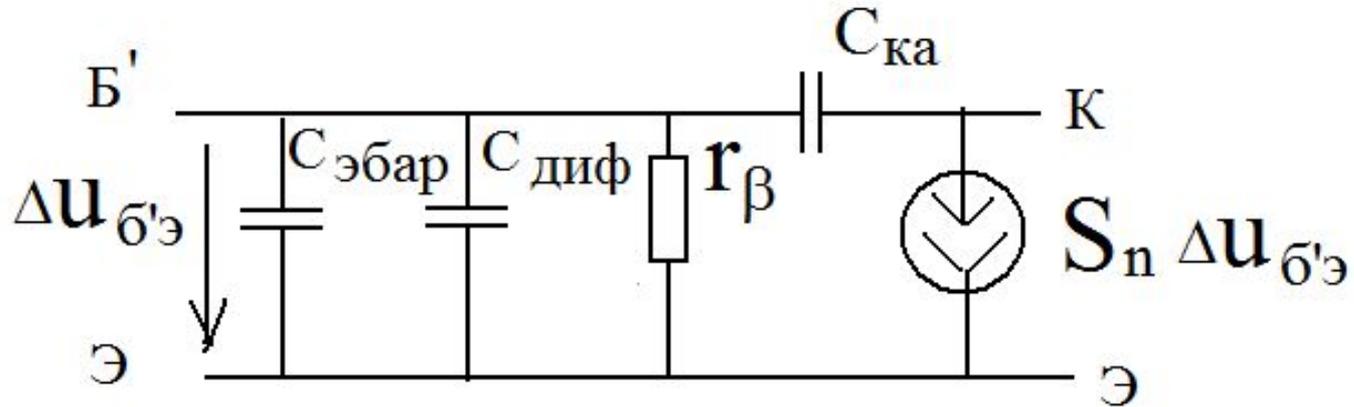
$$i_{КГ}(u_{B'Э}) = \frac{1}{\tau_T} q_{БЭ}(u_{B'Э})$$

$$C_D(u_{B'Э}) = \frac{dq_{БЭ}}{du_{B'Э}} = \frac{q_{БЭ}(u_{B'Э}) + q_{БЭС}}{\Phi_T}$$

$$C_{Э}(u_{B'Э}) = \frac{dq_{БП}}{du_{B'Э}} = \frac{\gamma_{Э} \cdot q_{ЭП}(0)}{\Phi_{КЭ}} \left(1 - \frac{u_{B'Э}}{\Phi_{КЭ}}\right)^{\gamma_{Э}-1}$$

$$C_{ка}(u_{B'Э} - u_{КЭ}) = \frac{dq_{КП}}{du_{B'К}} = \frac{\gamma_{К} \cdot q_{КП}(0)}{\Phi_{КК}} \left(1 - \frac{u_{B'Э} - u_{КЭ}}{\Phi_{КК}}\right)^{\gamma_{К}-1}$$

Малосигнальная эквивалентная схема БТ в АО без сопротивления базы



$$S_{\pi} = \frac{C_{Д}(U_{Б'Э})}{\tau_T} \quad C_{Д}(U_{Б'Э}) = \frac{I_{К}(U_{Б'Э})\tau_T}{\varphi_T} \quad S_{\pi}(U_{Б'Э}) = \frac{I_{К}(U_{Б'Э})}{\varphi_T}$$

$$r_{\beta} = \frac{\beta}{S_{\pi}} \quad r_{\beta} = \frac{\beta\varphi_T}{I_{К}(U_{Б'Э})} = \frac{\varphi_T}{I_{Б}(U_{Б'Э})}$$

