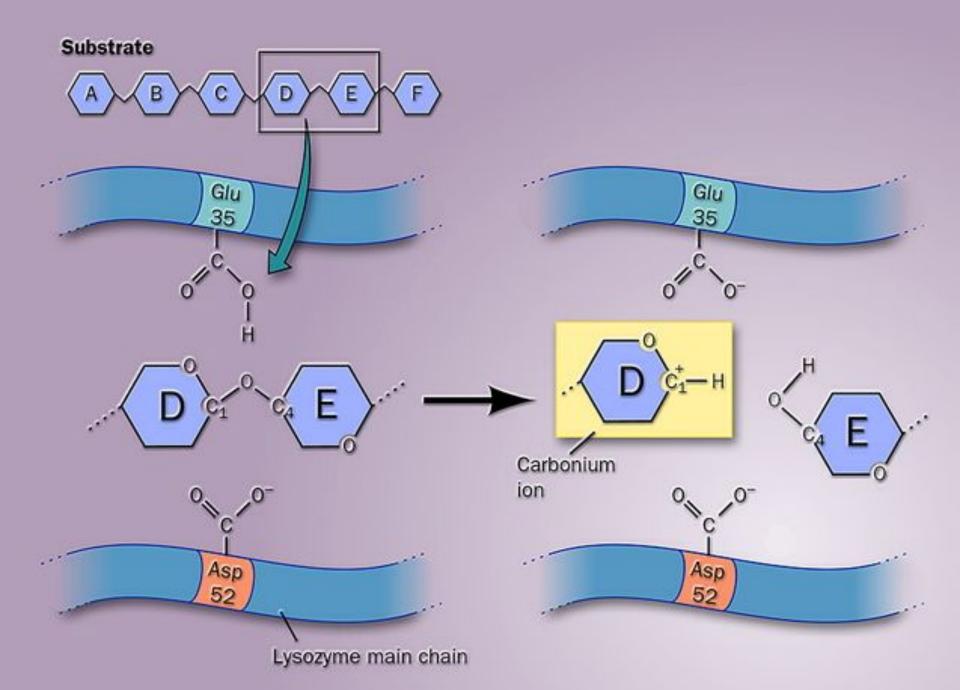
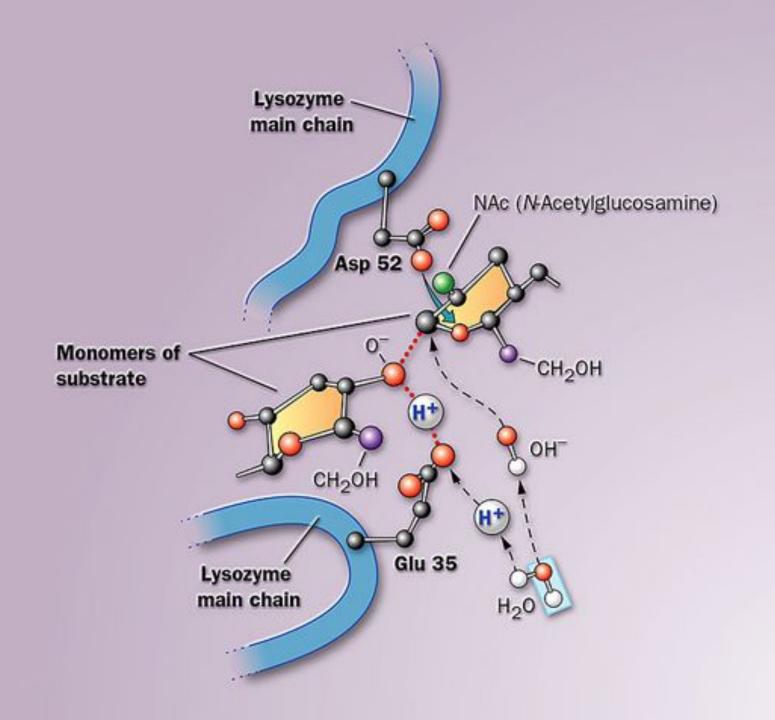


Ribonuclease A (RNase A)





Nucleophilic form

$$\Rightarrow$$

RÖ:

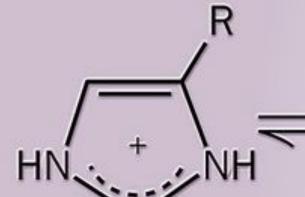
RÖH

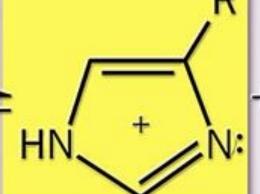
RS:

+ H⁺ Sulfhydryl

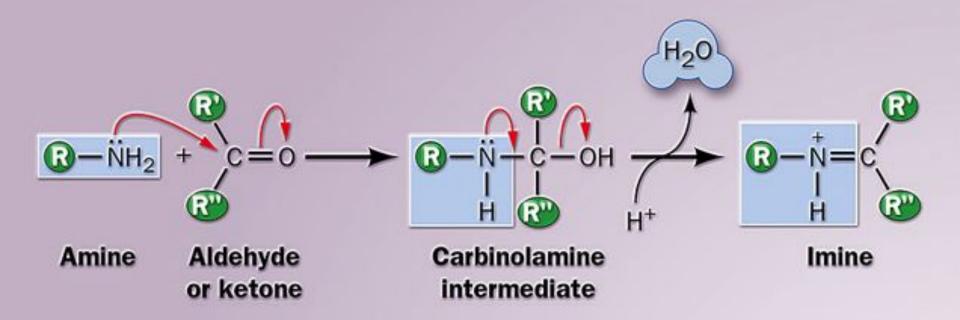
 $R\ddot{N}H_2$

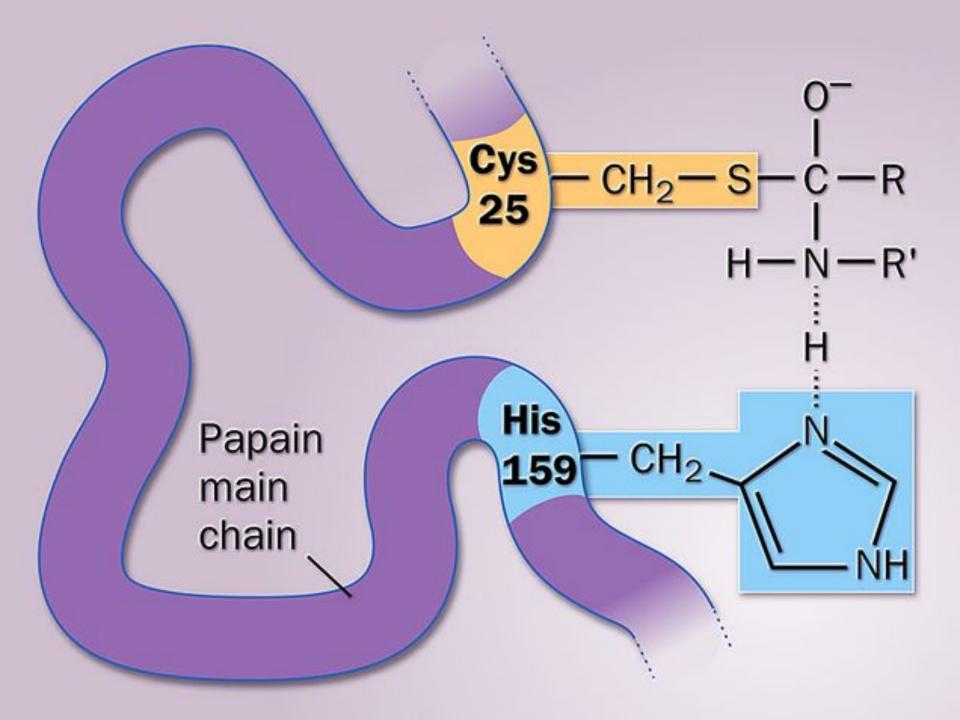
+ H⁺ Amino



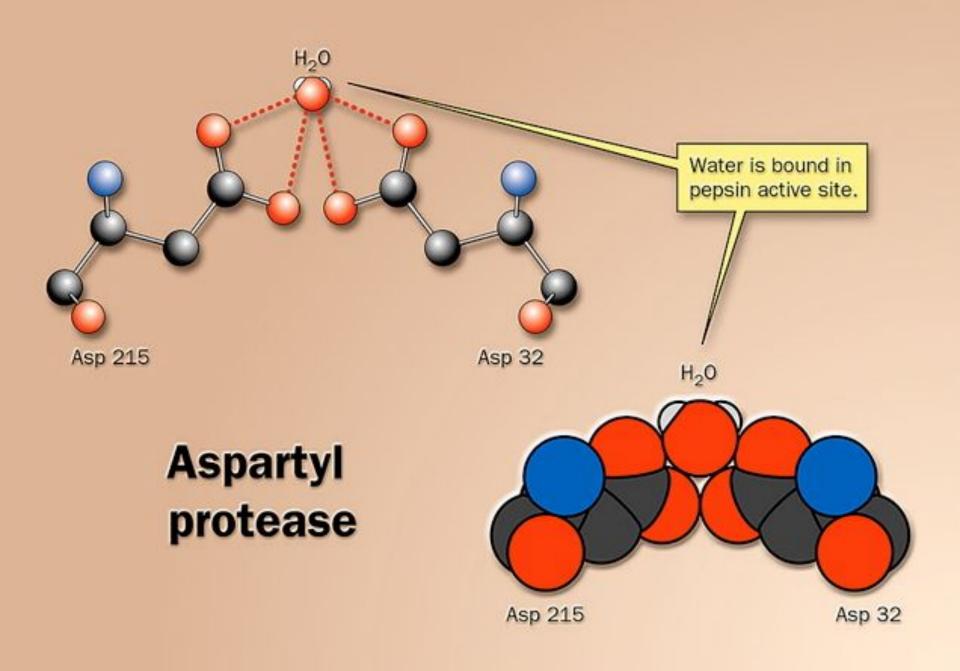


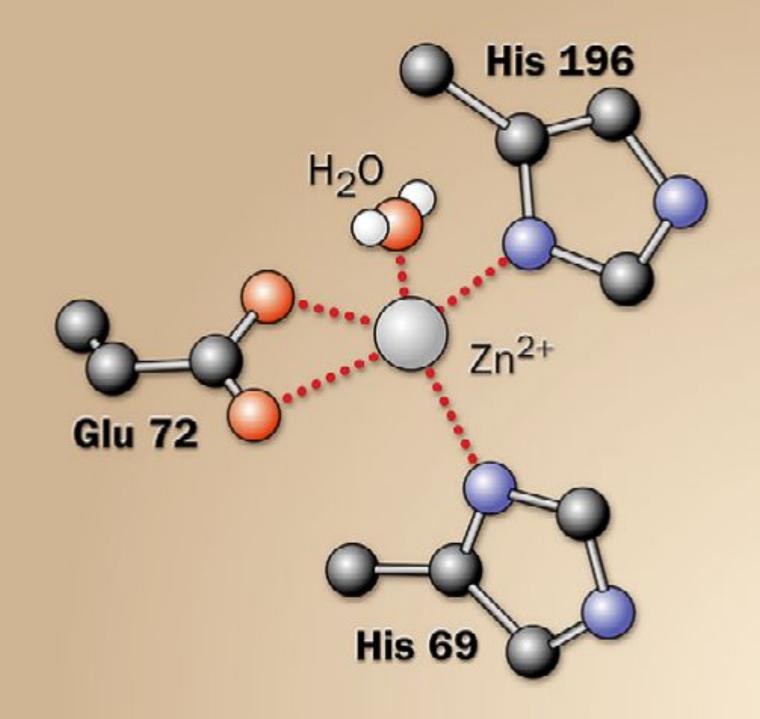
lmidazole group





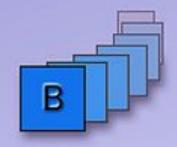






Reactants are spatially separated





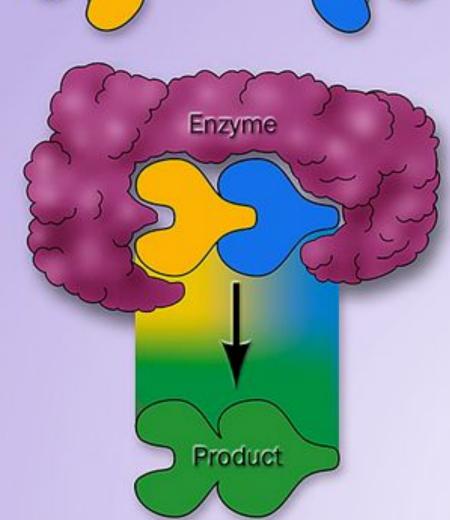
Enzyme brings reactants into proximity

Enzyme В Product

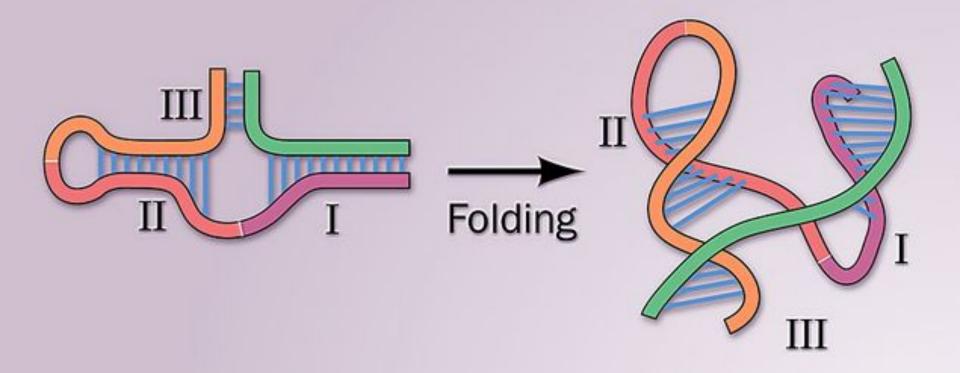
Transition to product occurs Reactants are not oriented for reaction

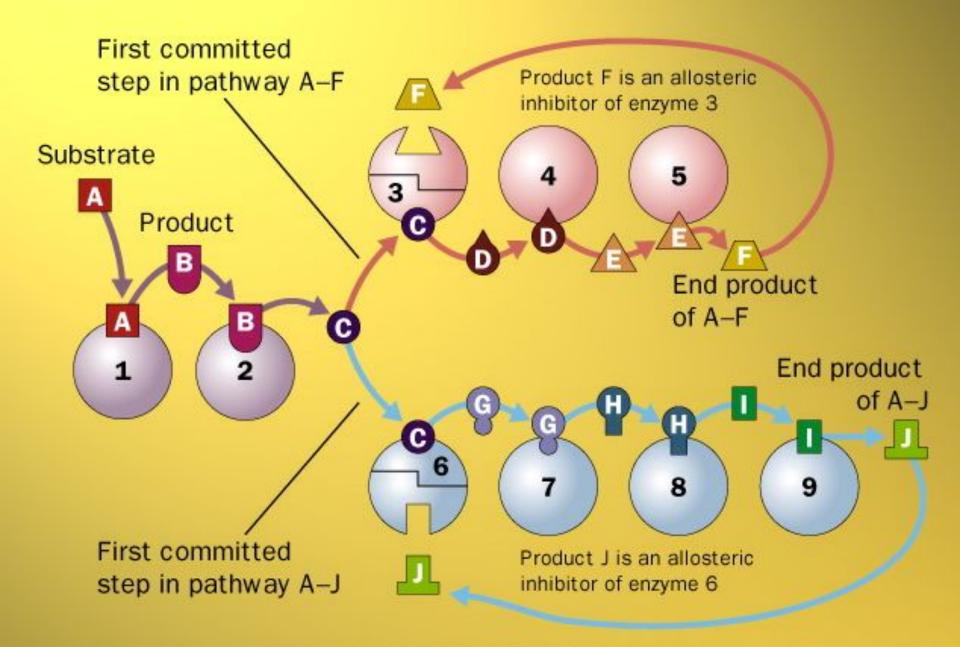


Enzyme orients reactants correctly

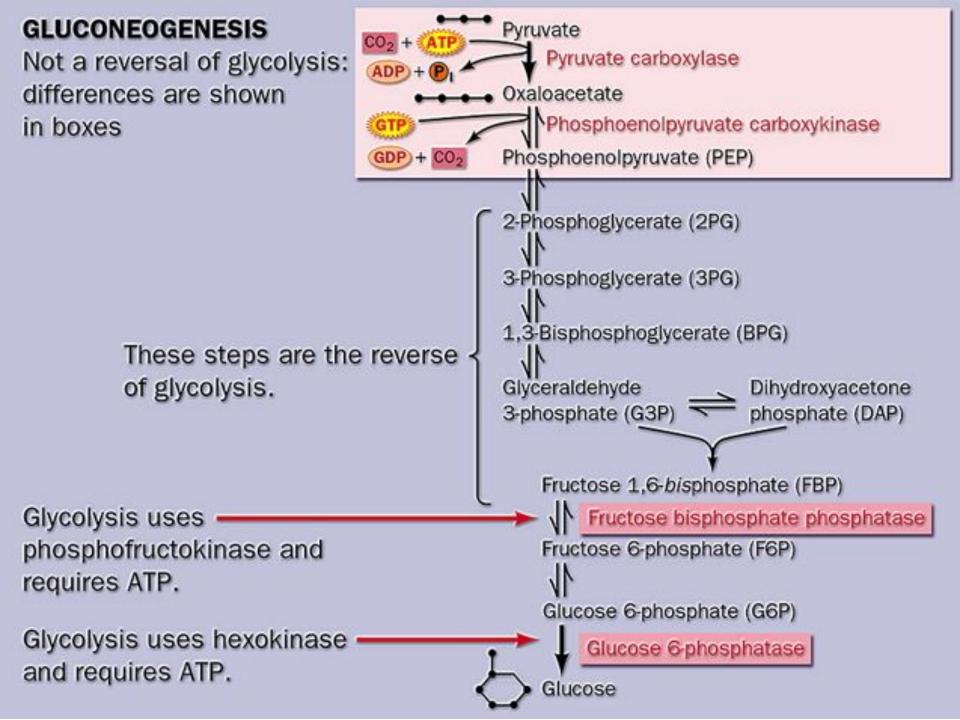


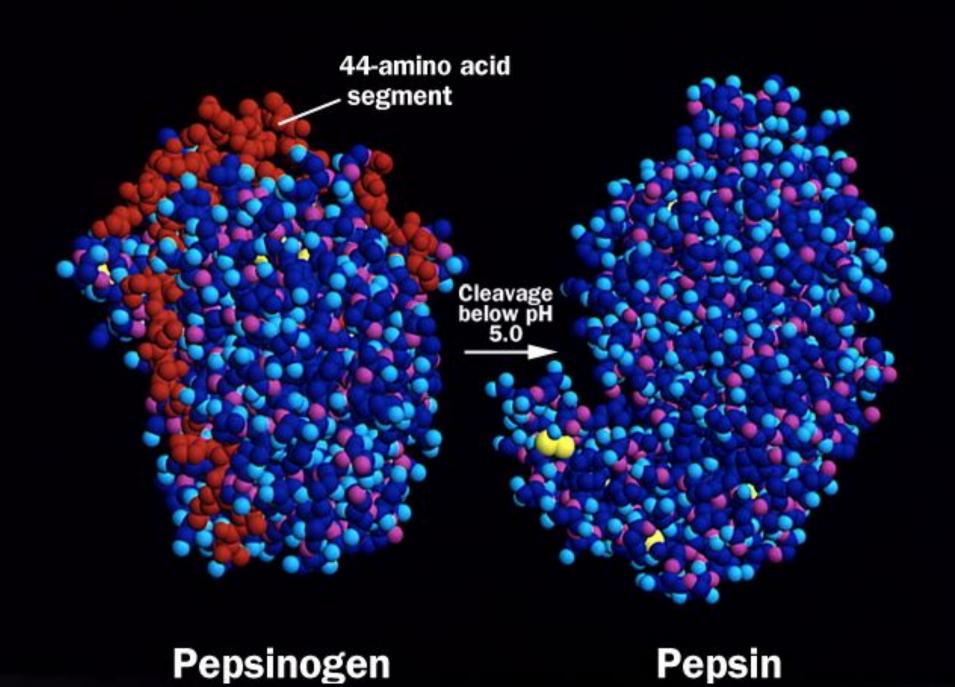
Transition to product occurs





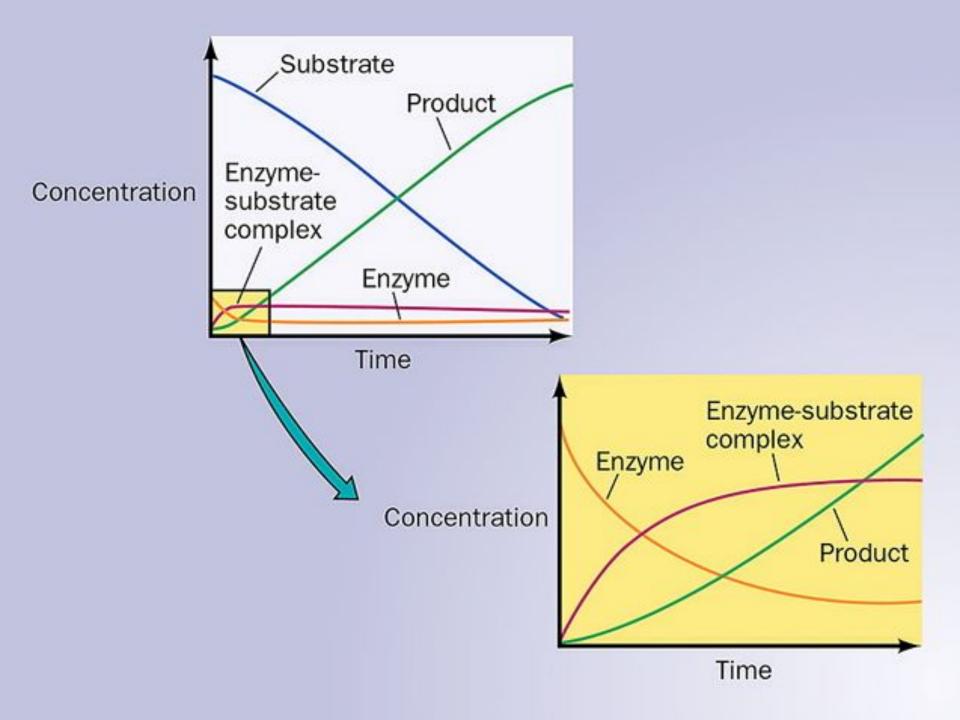
ALLOSTERIC INHIBITOR





$$E + S \stackrel{k_1}{\rightleftharpoons} ES \stackrel{k_2}{\longrightarrow} E + P$$

Nonallosteric enzyme kinetics



$$\frac{\Delta[\mathsf{ES}]}{\Delta t} = k_1[\mathsf{E}][\mathsf{S}]$$

Rate of formation of ES

$$-\frac{\Delta[ES]}{\Delta t} = k_{-1}[ES] + k_2[ES]$$

Rate of breakdown of ES

$$\frac{\Delta[\mathsf{ES}]}{\Delta t} = -\frac{\Delta[\mathsf{ES}]}{\Delta t}$$

$$k_1[E][S] = k_{-1}[ES] + k_2[ES]$$

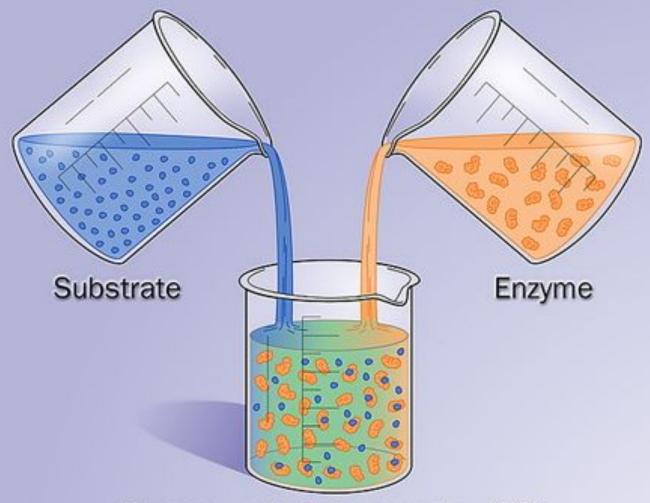
Steady state kinetics

Free enzyme concentration ([E])

$$[E] = [E]_0 - [ES]$$

$$k_1([E]_0 - [ES])[S] = k_{-1}[ES] + k_2[ES]$$

Formation of ES complex Breakdown of ES complex



Enzyme-substrate complex (ES)

- + free enzyme (E)
- + unbound substrate

$$[E]_{o} - [ES] = [E]$$

$$k_1([E]_0 - [ES])[S] = k_1[ES] + k_2[ES]$$
Formation of Breakdown of ES complex ES complex

$$\frac{([E]_0 - [ES])[S]}{[ES]} = \frac{k_{-1} + k_2}{k_1} = K_m$$

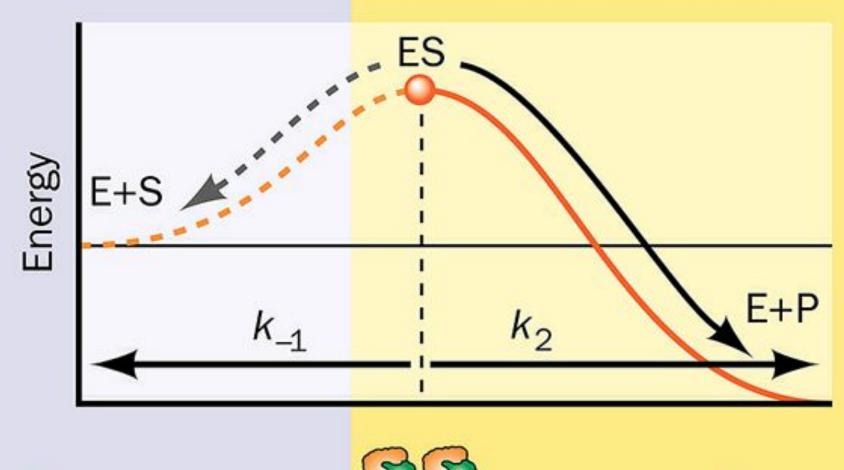
The Michaelis constant (K_m)

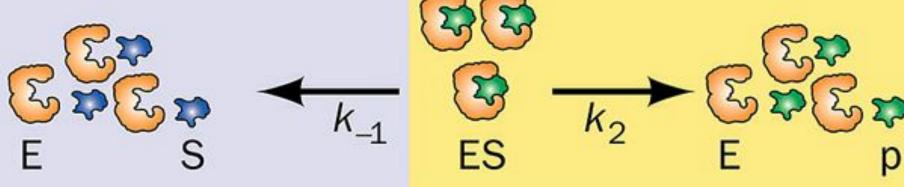
$$V_{\text{init}} = k_2[\text{ES}] \text{ and } [\text{ES}] = \frac{[\text{E}]_0[\text{S}]}{K_{\text{M}} + [\text{S}]}$$

$$V_{\text{init}} = \frac{k_2[E]_0[S]}{K_M + [S]}$$

Initial reaction rate

Initial reaction rate

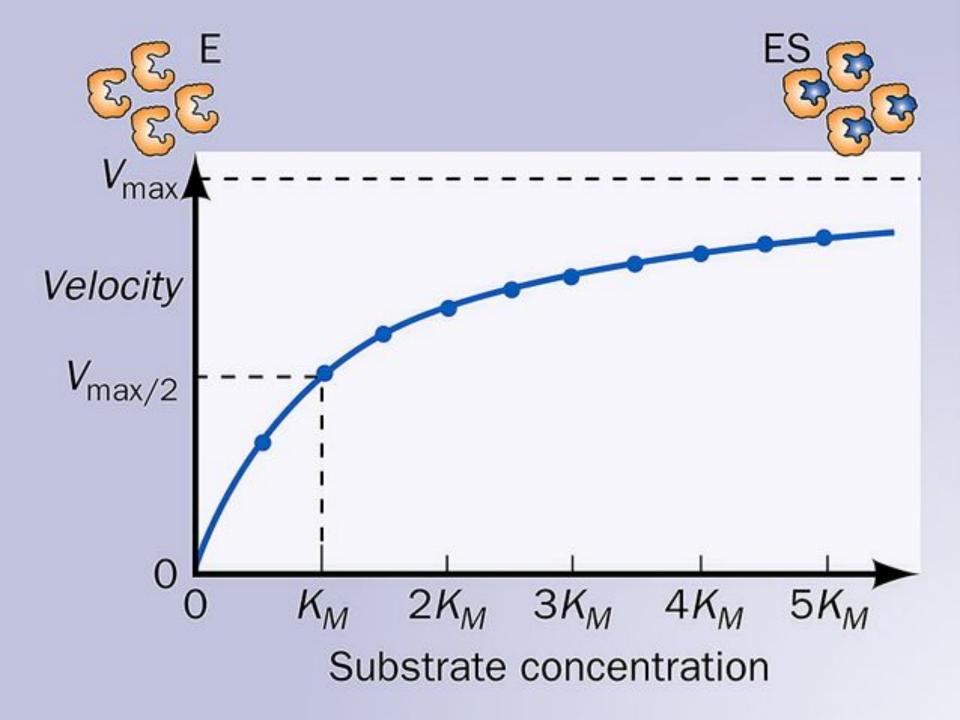




Enzyme-substrate Total enzyme complex
$$[ES] = [E]_0$$

$$V_{\text{init}} = V_{\text{max}} = k_2[E]_0$$

Maximum reaction rate



$$V_{\text{init}} = \frac{k_2[E]_0[S]}{K_{\text{M}} + [S]}$$

$$V_{\text{init}} = \frac{V_{\text{max}}[S]}{K_{\text{M}} + [S]}$$

Michaelis-Menten Equation

Michaelis-Menten equation

$$V = \frac{V_{\text{max}}[S]}{K_{\text{M}} + [S]}$$

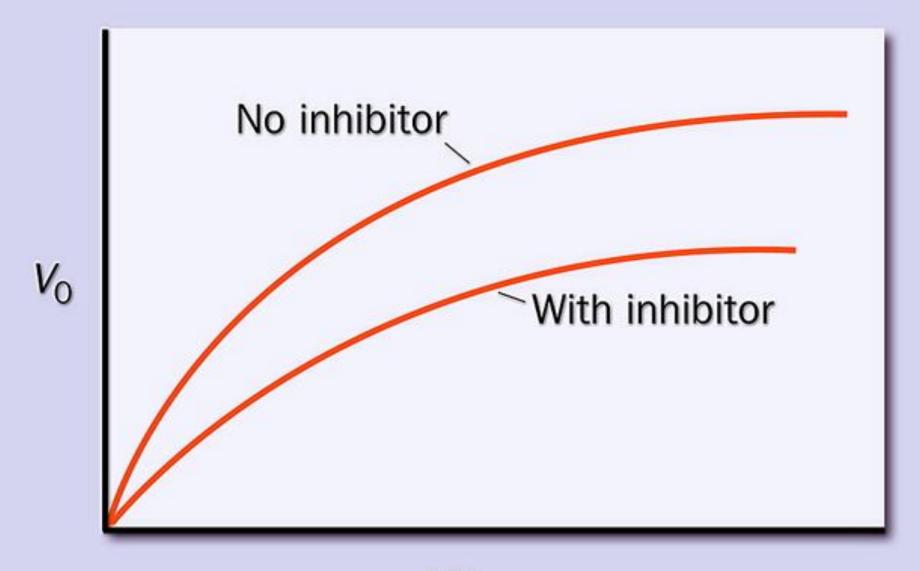
Take the reciprocal of both sides

$$\frac{1}{V} = \frac{K_{M} + [S]}{V_{max}[S]}$$

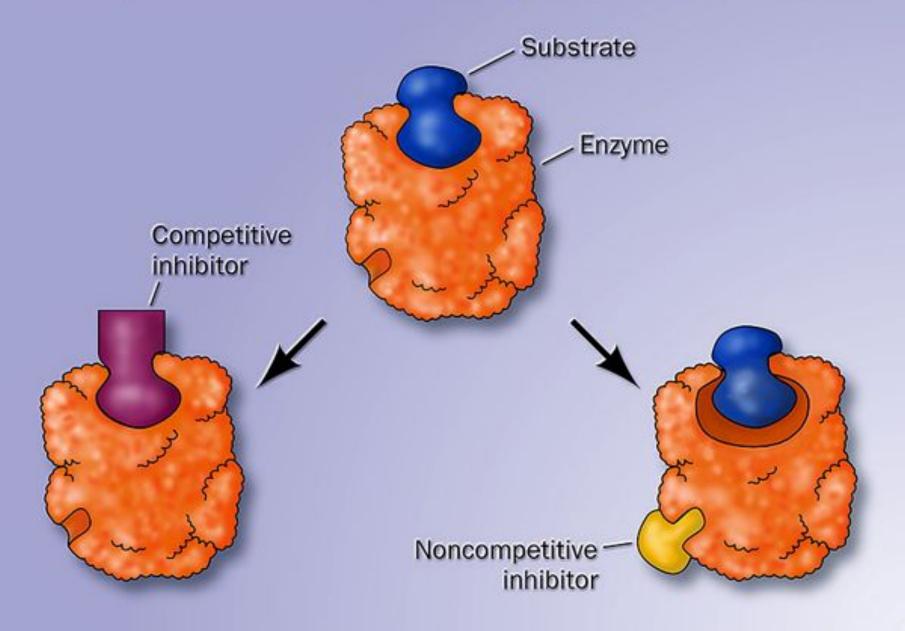
$$\frac{1}{V} = \frac{K_{M}}{V_{max}[S]} + \frac{[S]}{V_{max}[S]}$$

$$\frac{1}{V} = \frac{K_{M}}{V_{max}} \frac{1}{[S]} + \frac{1}{V_{max}}$$

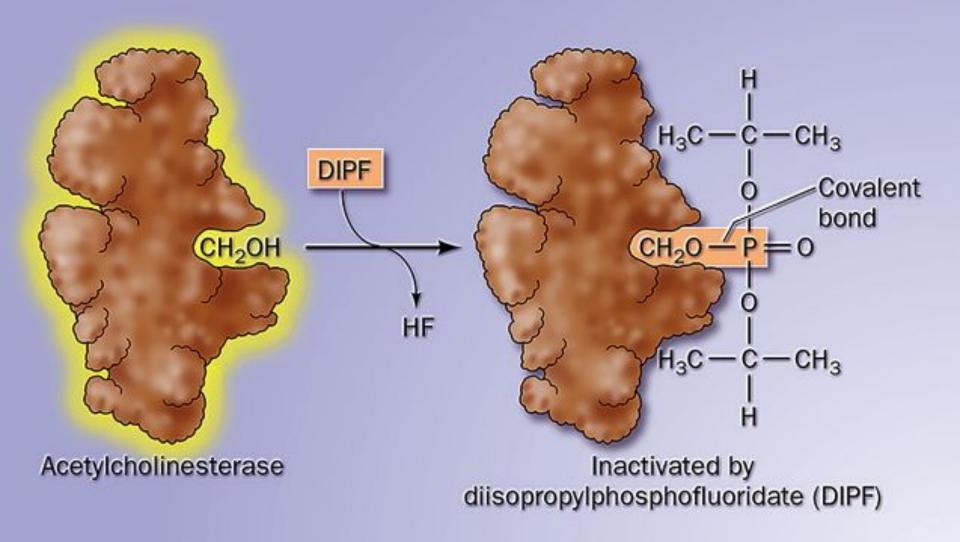
$$y = mx + b$$



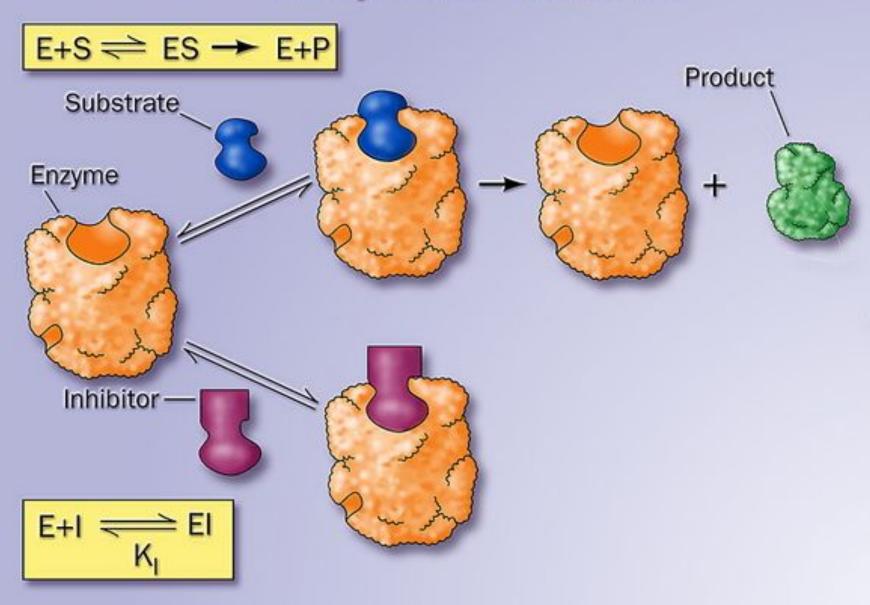
Competitive and Noncompetitive Inhibitors

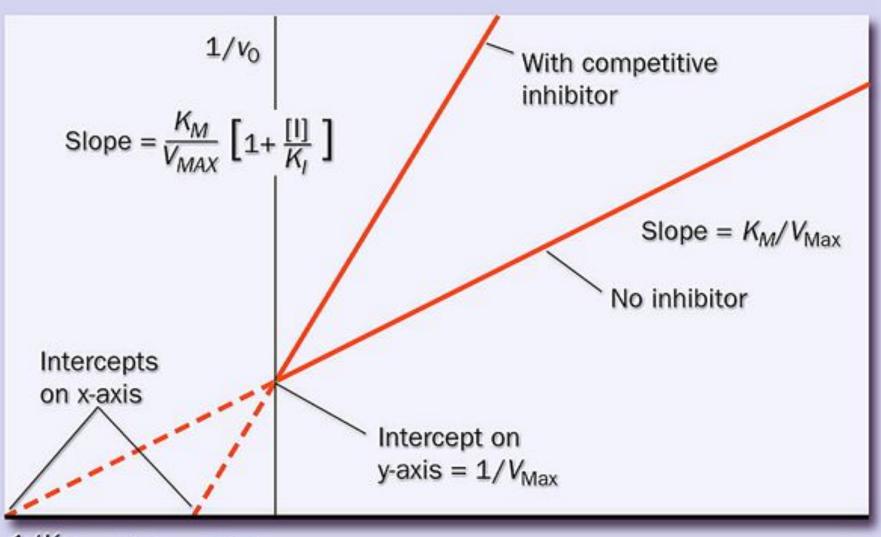


Inactivation of Acetylcholinesterase by DIPF



Competitive Inhibition

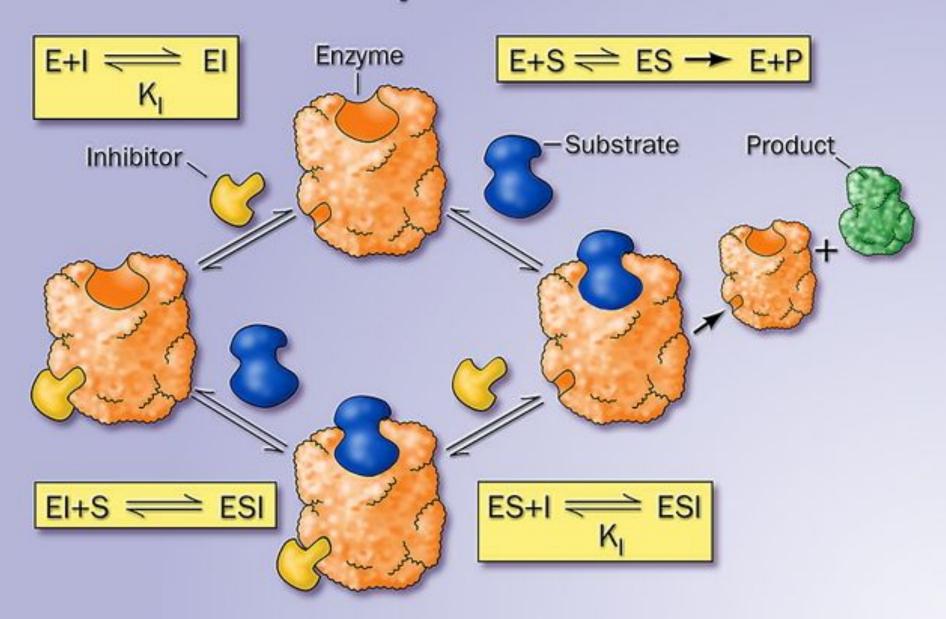


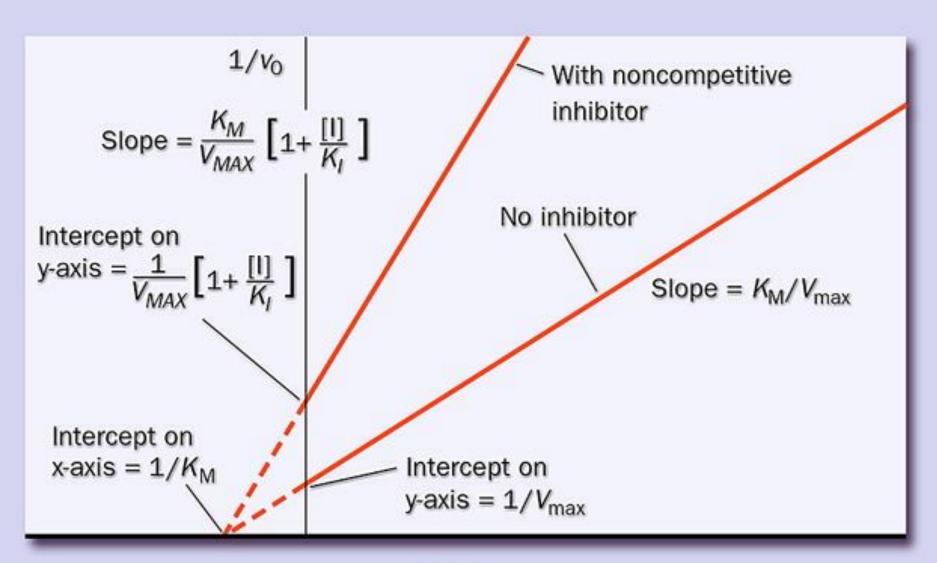


$$\frac{1/K_M}{K_M} \left[1 + \frac{[1]}{K_I} \right]$$

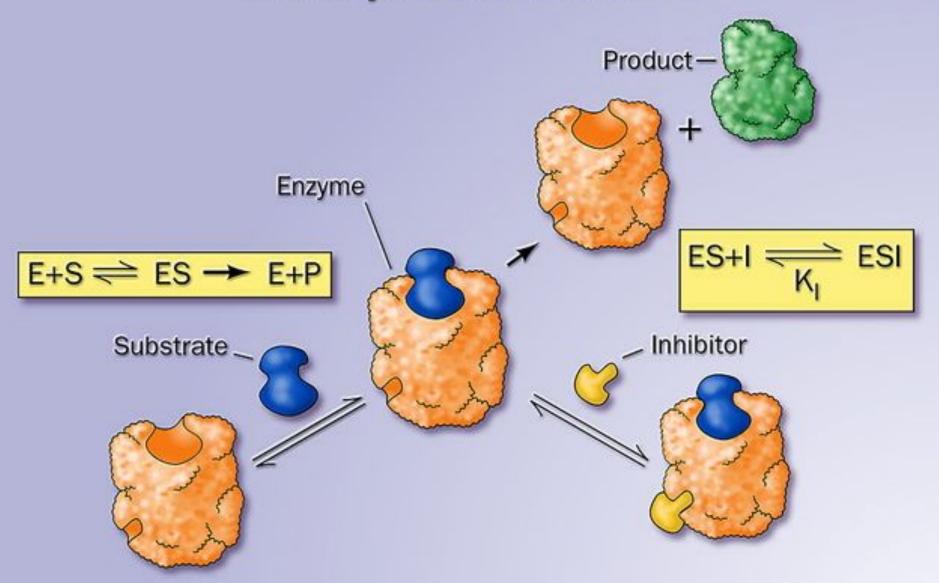
1/[S]

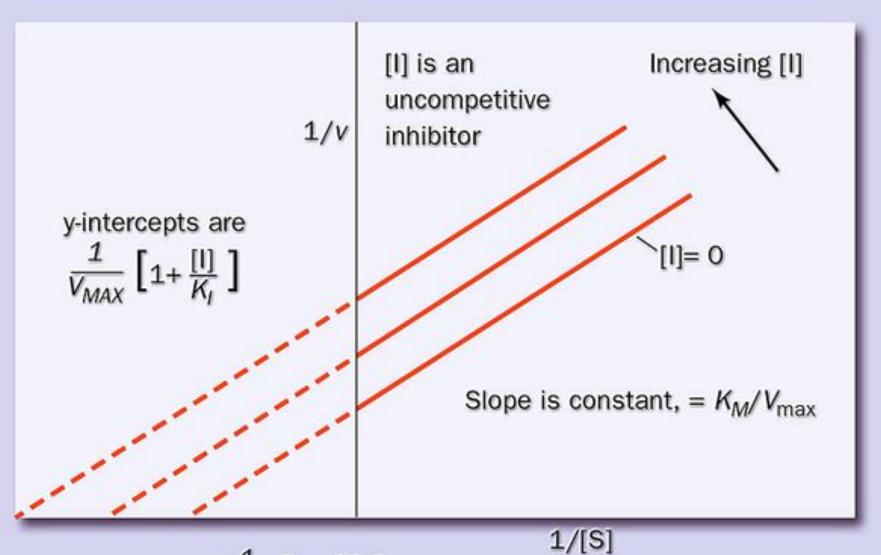
Noncompetitive Inhibition



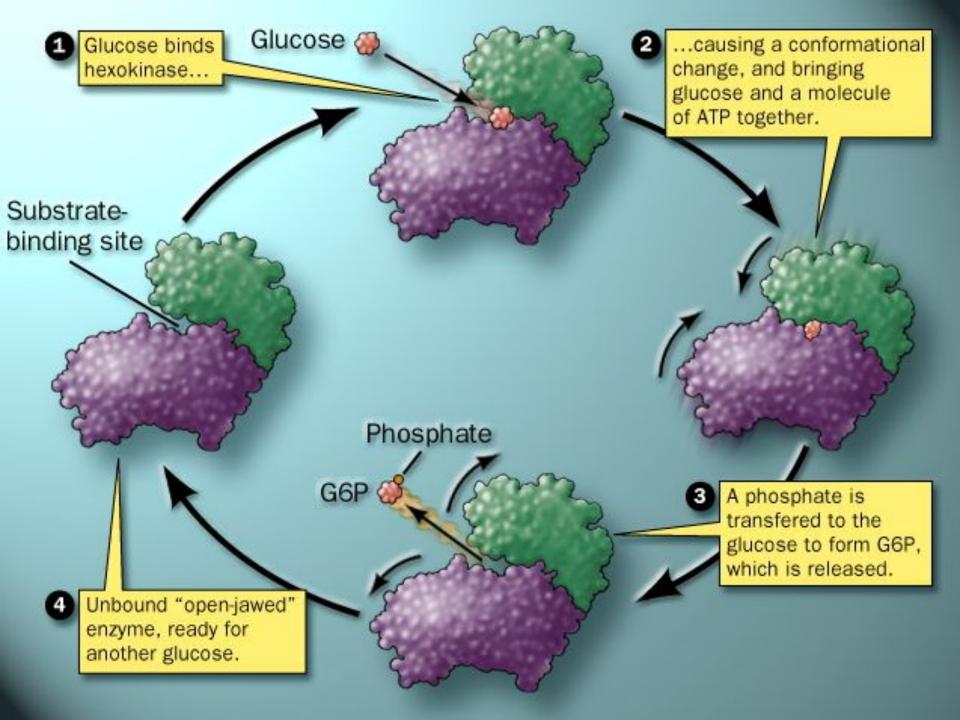


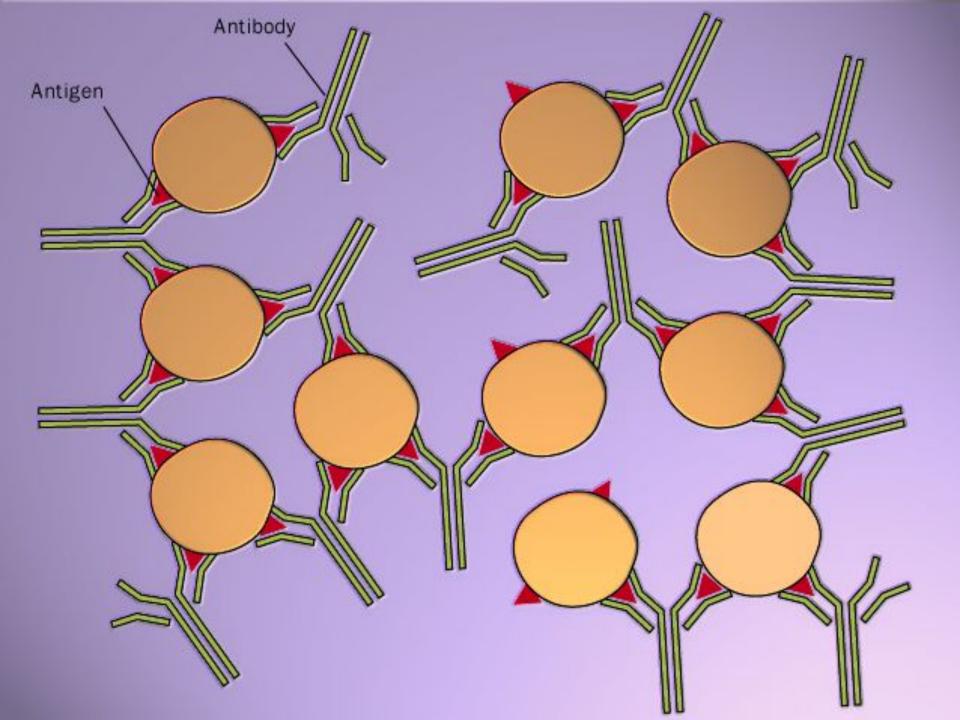
Uncompetitive Inhibition

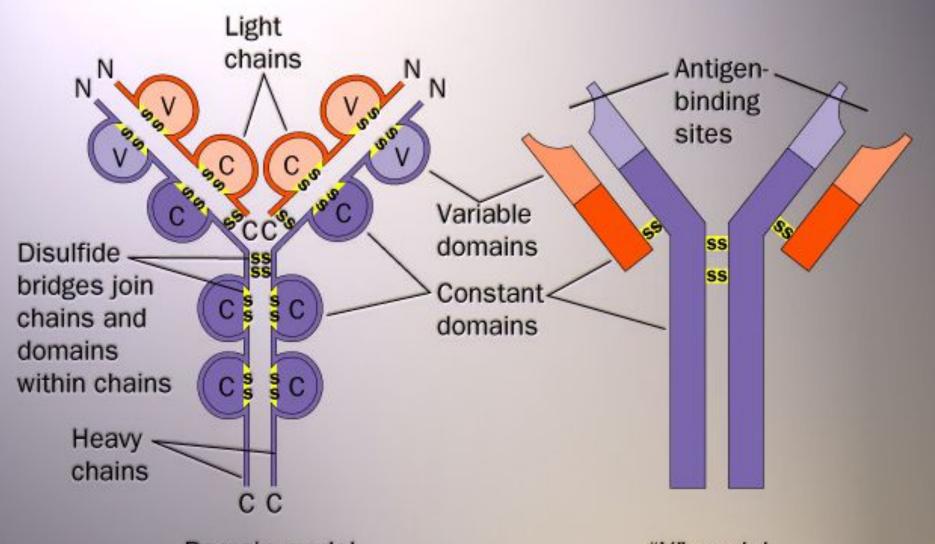




x-intercepts are $\frac{-1}{K_M} \left[1 + \frac{[1]}{K_I} \right]$

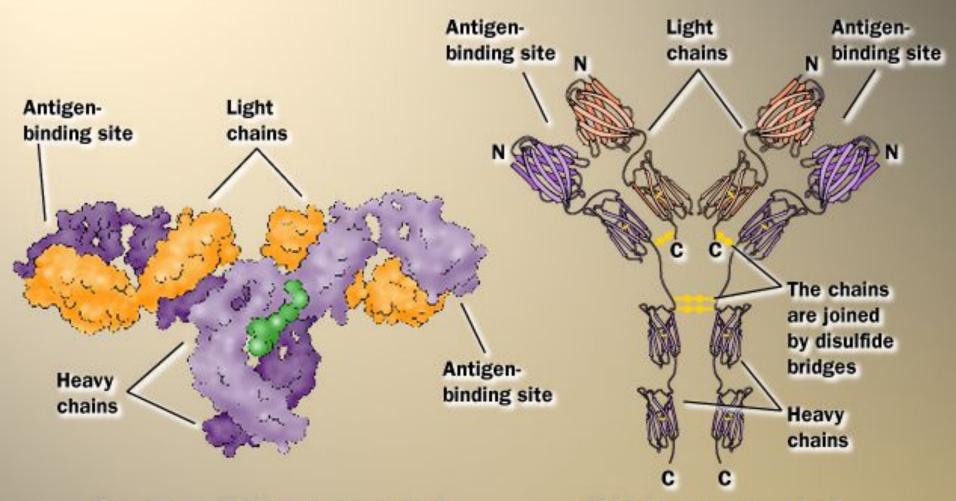






Domain model
Showing globular constant (C)
and variable (V) domains

"Y" model Emphasizes the antigen-binding site

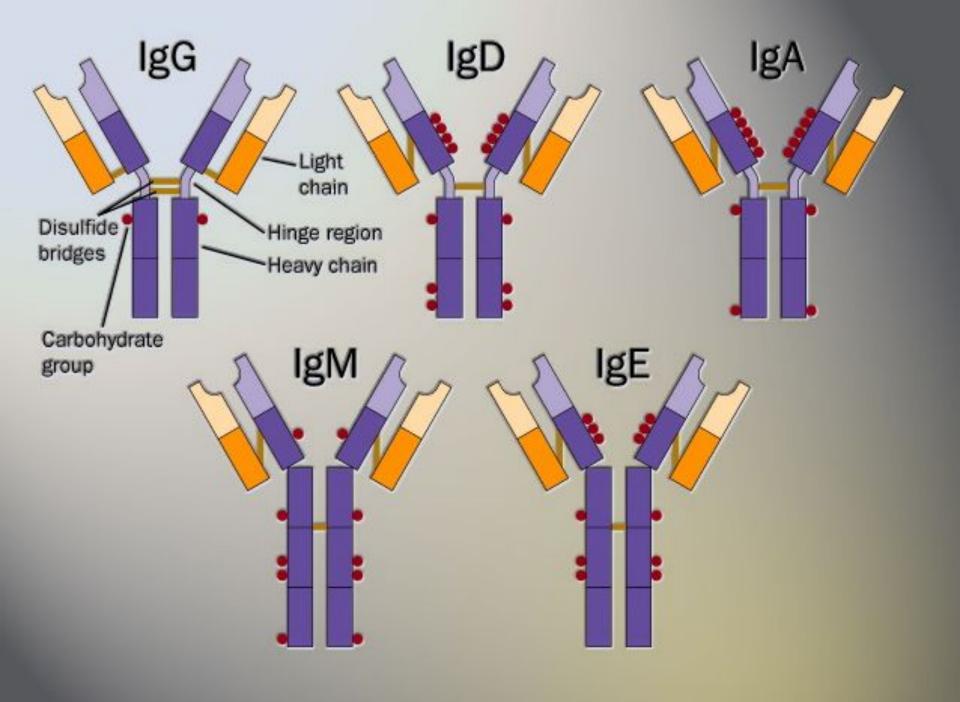


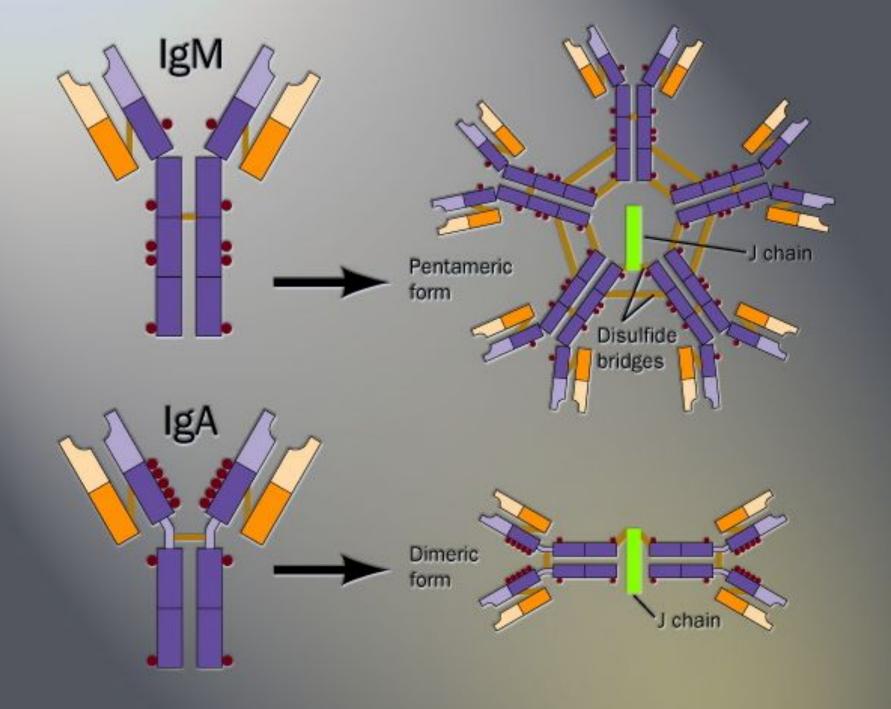
Space-filling model

The heavy chain and light chains twist around each other

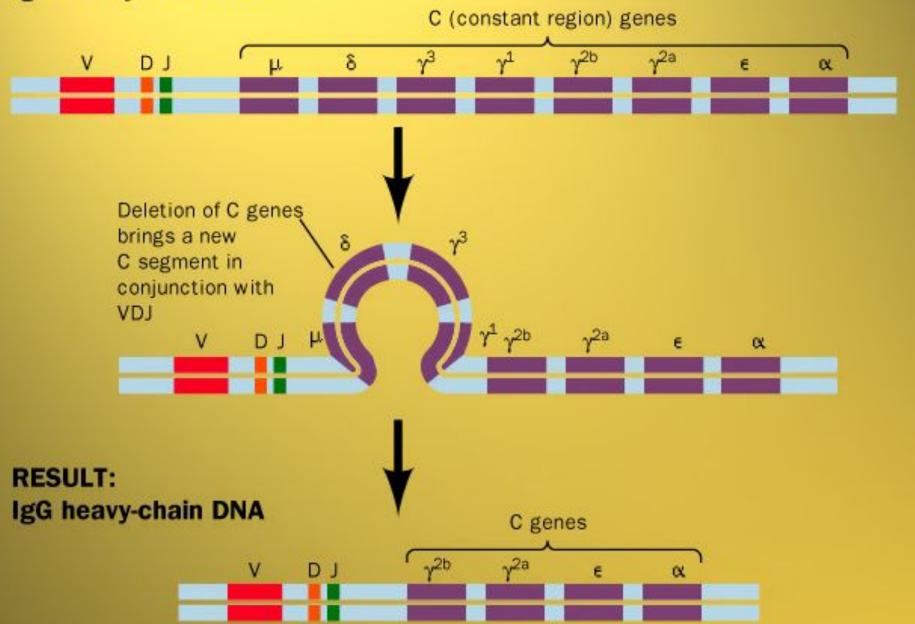
Ribbon model

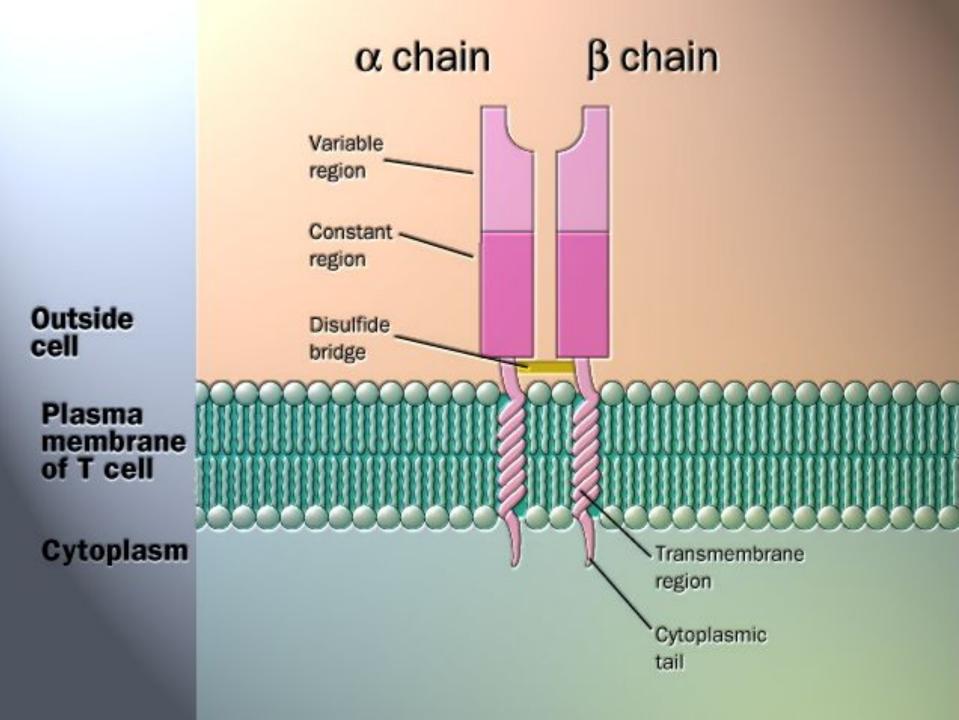
This model shows domains of β-sheets arranged like barrels ("β-barrels")

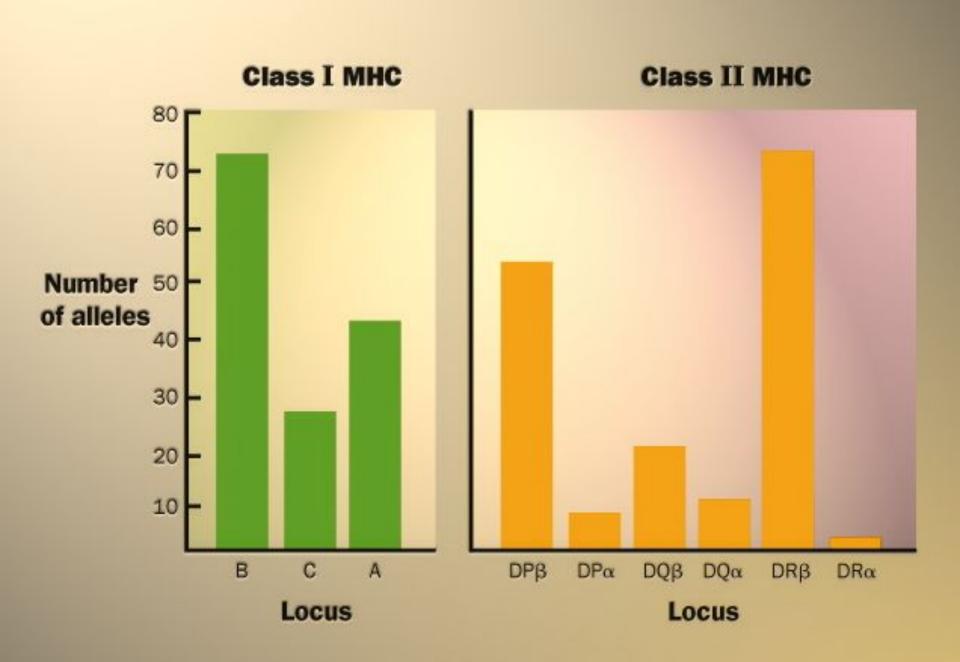




IgM heavy-chain DNA

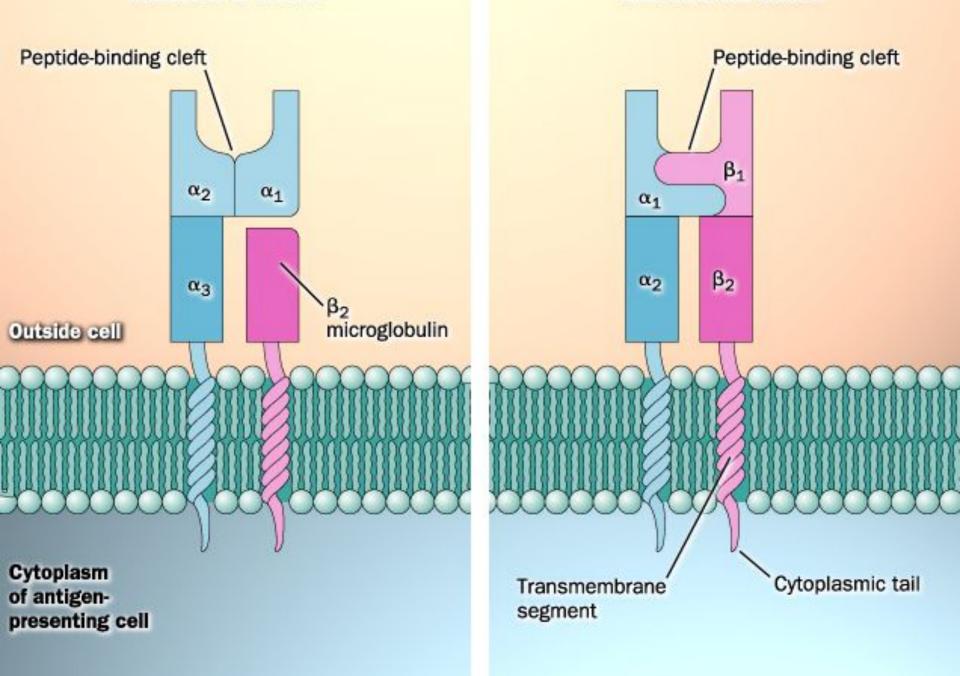


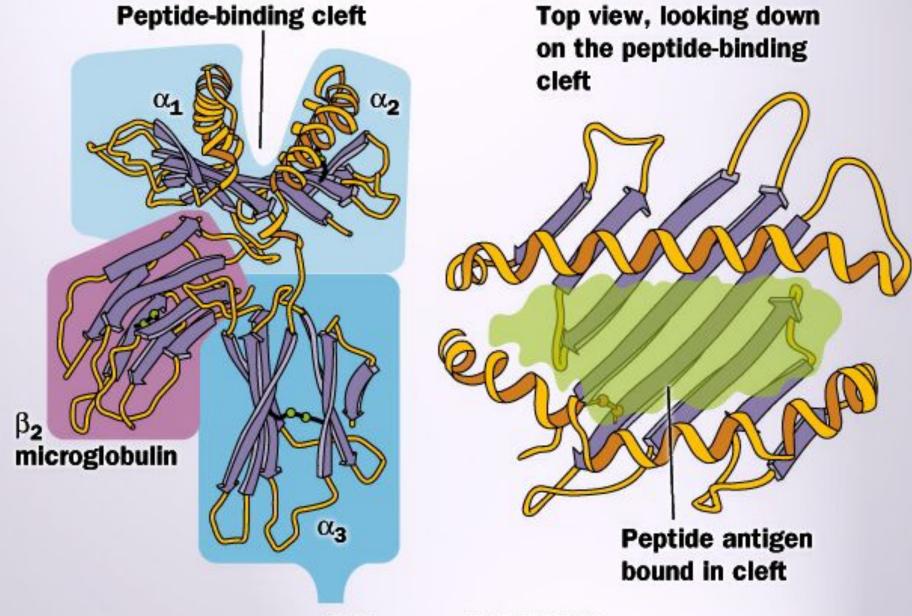




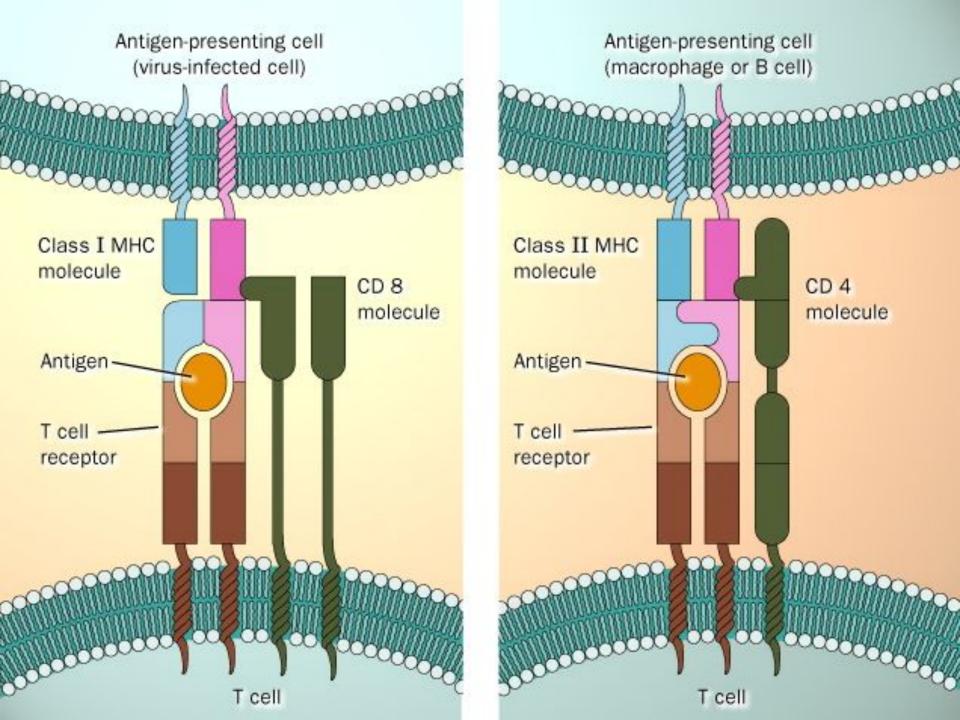
CLASS I MHC

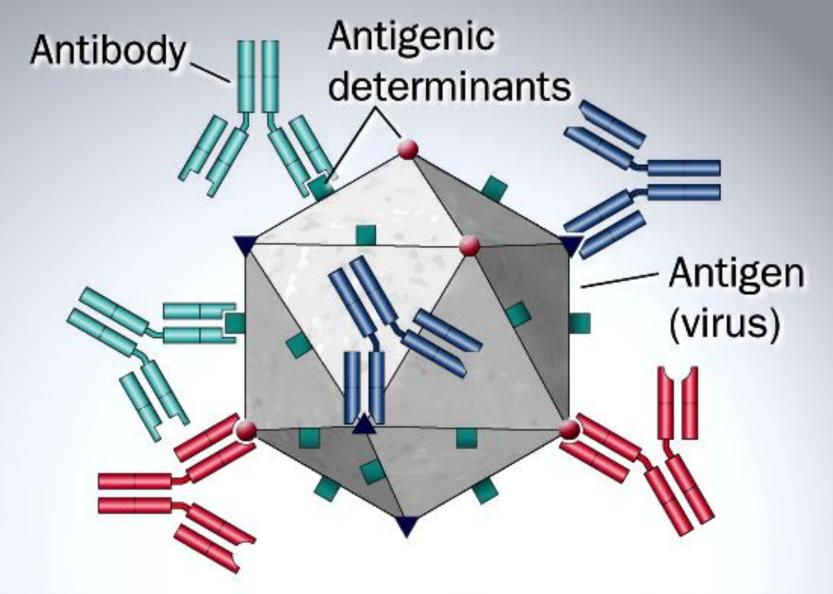
CLASS II MHC





Class I MHC





An antigen may have more than one determinant, each binding a specific antibody molecule

